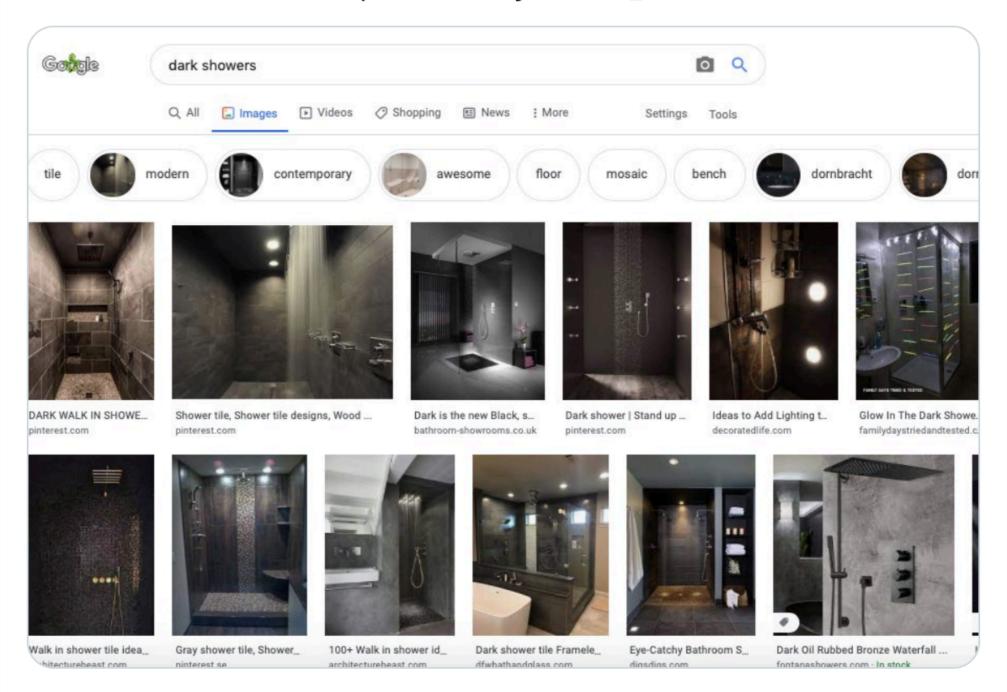
← Tweet



this is what happen when one is tired and tries to find scientific illustrations in the laziest possible way @suchi_kulkarni

•••



6:26 PM · Apr 22, 2021

Darkshowers a.k.a semivisible jets – Theory perspective

Suchita Kulkarni (she/her)

Junior group leader suchita.kulkarni@uni-graz.at

Based on Snowmass darkshowers arXiv:2203.09503



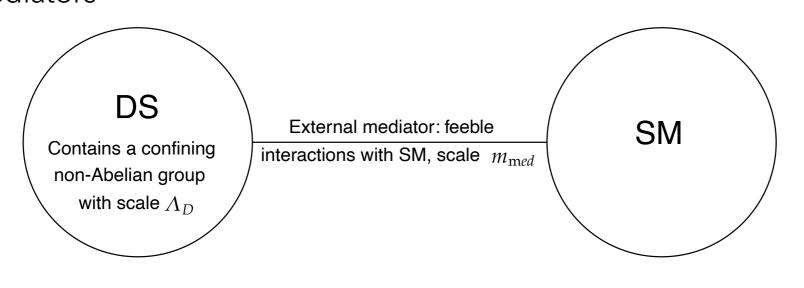






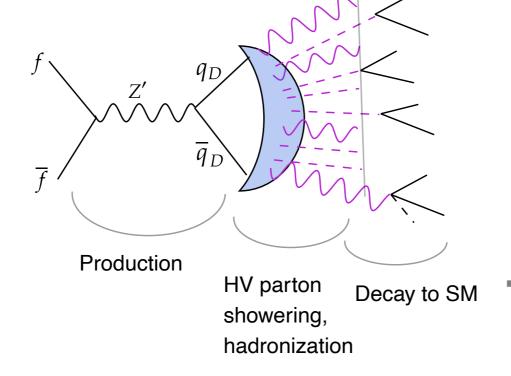
What we have in mind

ullet Only thinking about new $SU(N_c)$ gauge group uncharged under the SM with s-channel DS - SM mediators



See <u>S. Sinha's talk</u> for experimental aspects

⇒ Darkshowers



- Jets with large MET inside
- Jets with displaced vertices
- Jets with too many or too few tracks

Semi-visible jets correspond to jets with large MET without displaced vertices

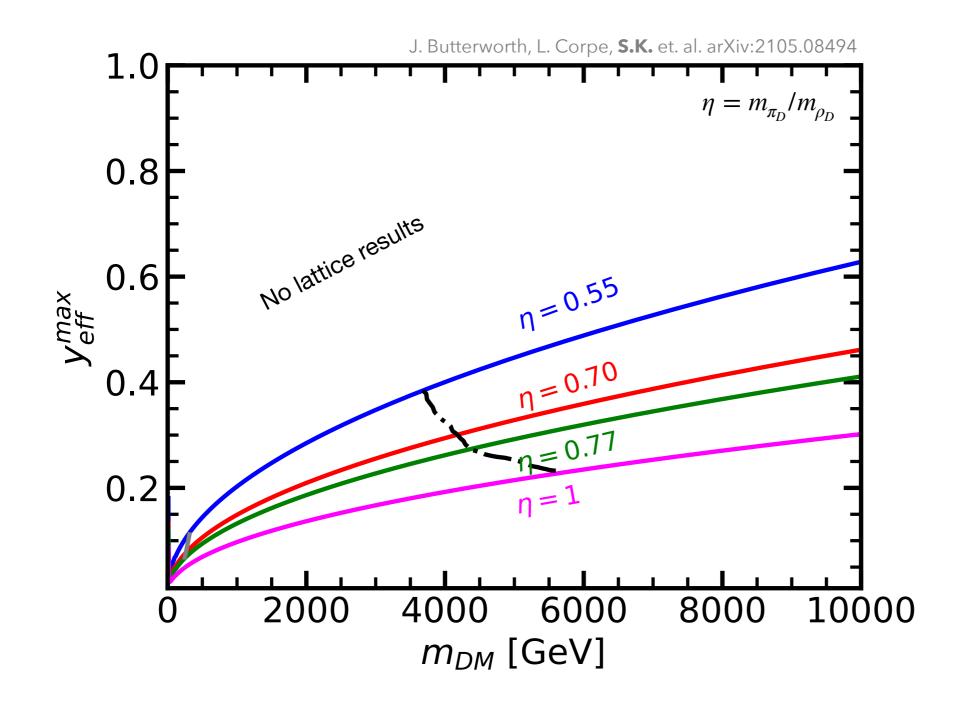
S. Kulkarni 26 May 2023



(Side remark SM mediators)

See talk by <u>E. Raynolds</u> for new ATLAS results

If dark sector if charged under the Standard Model, there are typically no jets

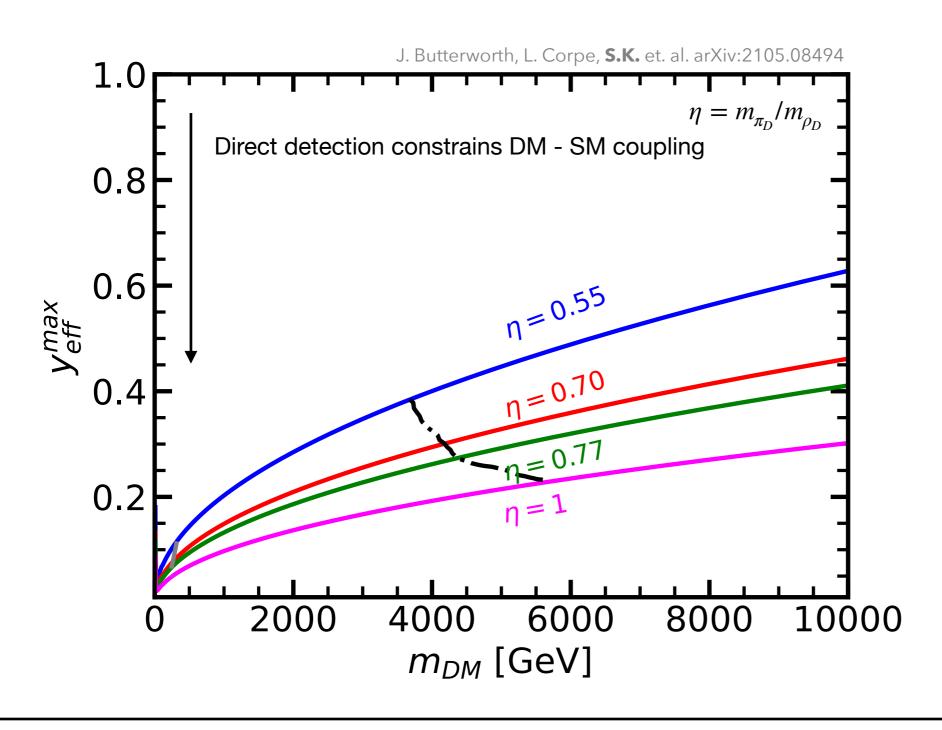


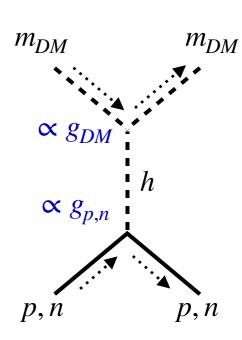


(Side remark SM mediators)

See talk by <u>E. Raynolds</u> for new ATLAS results

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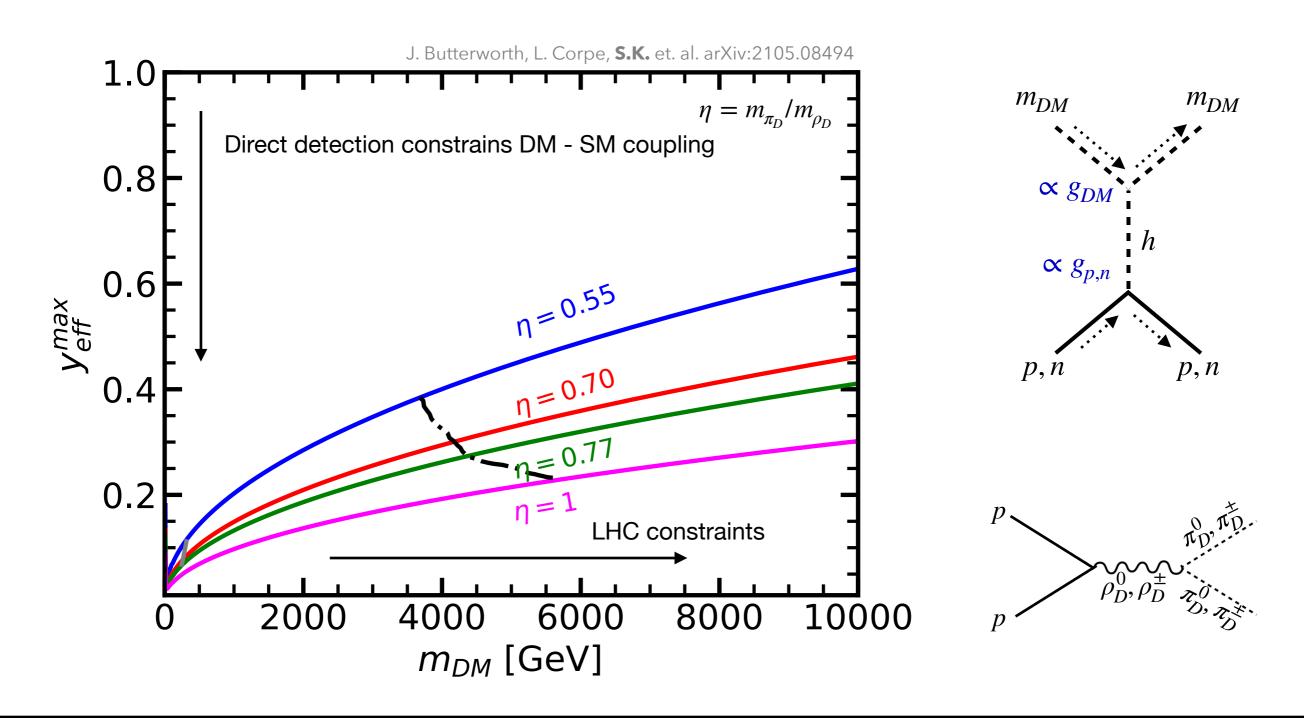




(Side remark SM mediators)

See talk by <u>E. Raynolds</u> for new ATLAS results

If dark sector if charged under the Standard Model, there are typically no jets





What we have in mind



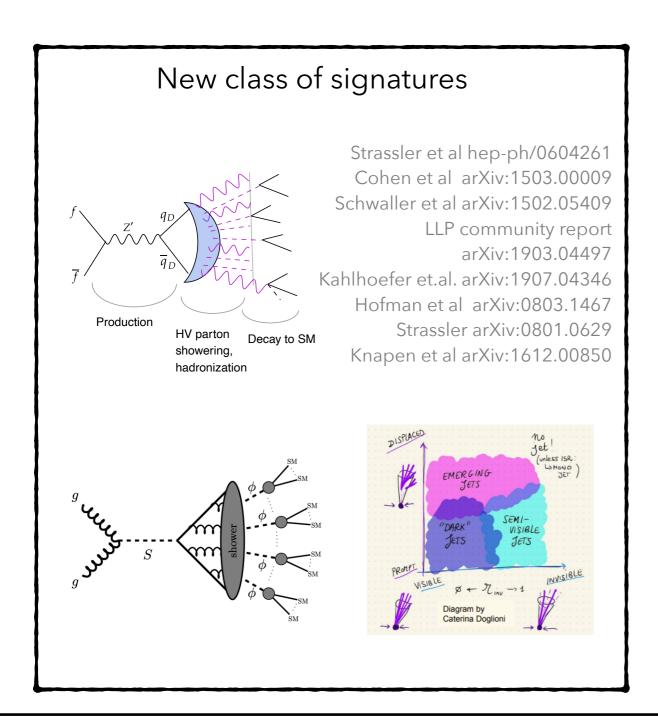
Twin Higgs see e.g. Chako, Goh, Harnik hepph/0506256

imgflip.com



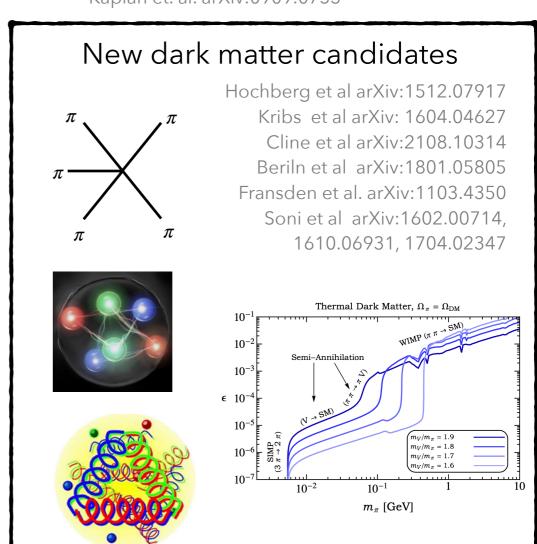
Why strongly interacting theories

- Composite Higgs: dark sector (DS) scale related to SM
- This talk: no relation between DS and SM scales



Talks by <u>G. Durieux</u>, <u>J.M. Lizana</u>

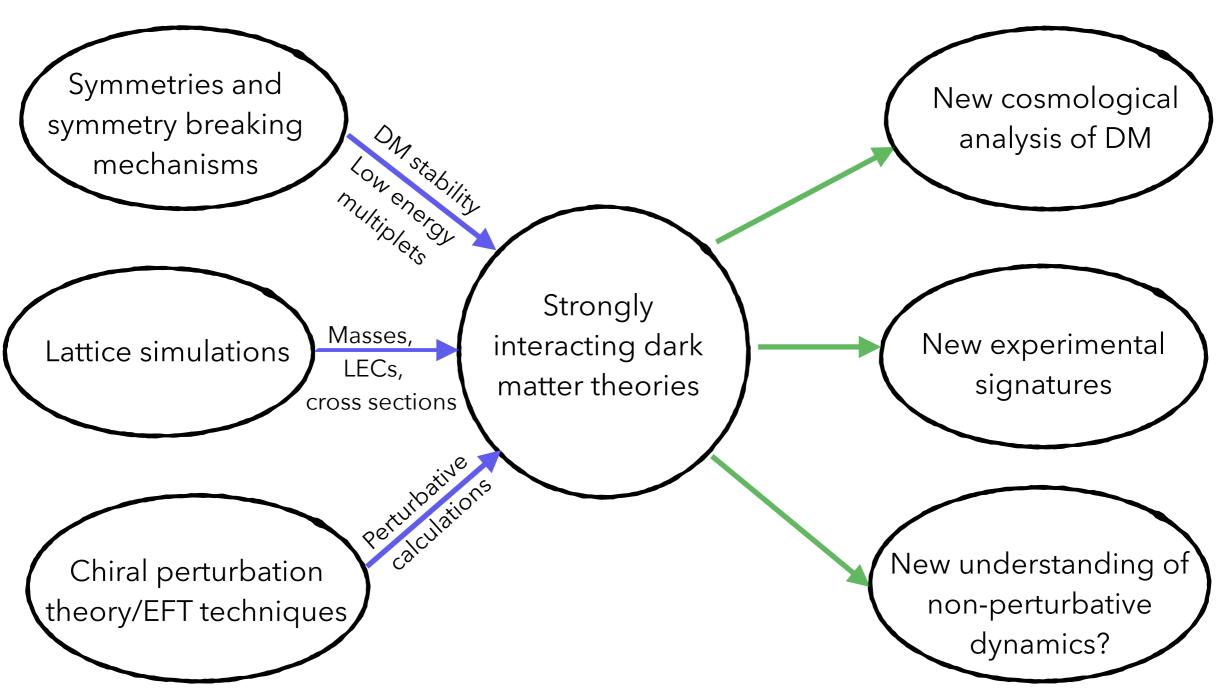
Nussinov Phys.Lett.B 165 (1985) 55-58, Chivakula et al, Nucl.Phys. B329 (1990) 445, Hietanen et al., arXiv:1308.4130, Kribs et al., arXiv:0909.2034, Buckley et al, arXiv:1209.6054, Francis et al., arXiv:1809.09117, LSD, arXiv:1301.1693, Boddy et al., arXiv:1402.3629, Detmold et al. arXiv:1406.2276, Farrar et al arXiv:2007.10378, Kaplan et. al. arXiv:0909.0753





Strongly interacting theories: pathways

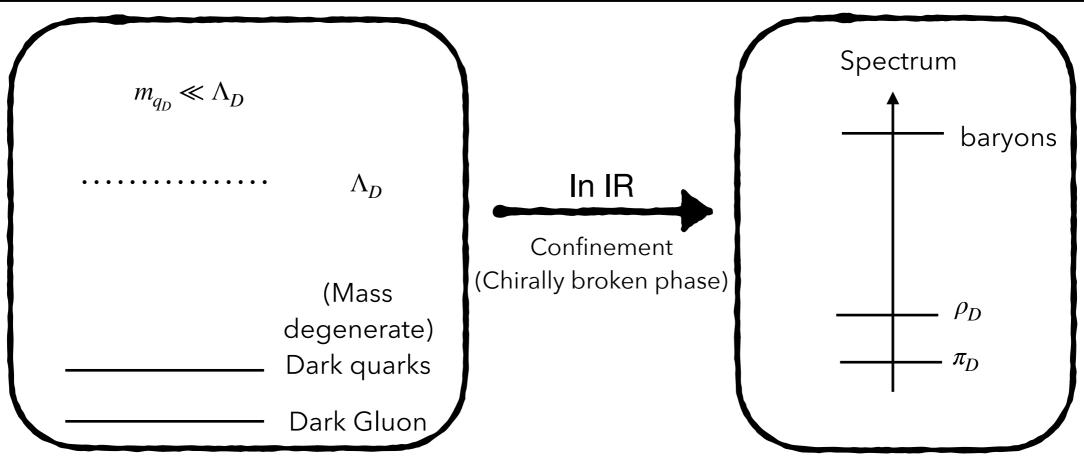
How to make systematic progress in the landscape of darkshowers?



N.B. All calculations can be done on lattice, but they are expensive, perturbative analysis is pragmatic way out



Dark sector: composition



UV physics contains

- Gauge fields (gluons)
- Matter fields i.e. Dirac/Majorana fermions, Scalars (in representation N_r)
- This talk: mass degenerate Dirac fermions in fundamental representation of $SU(N_{C_D})$ (event generators limitation)

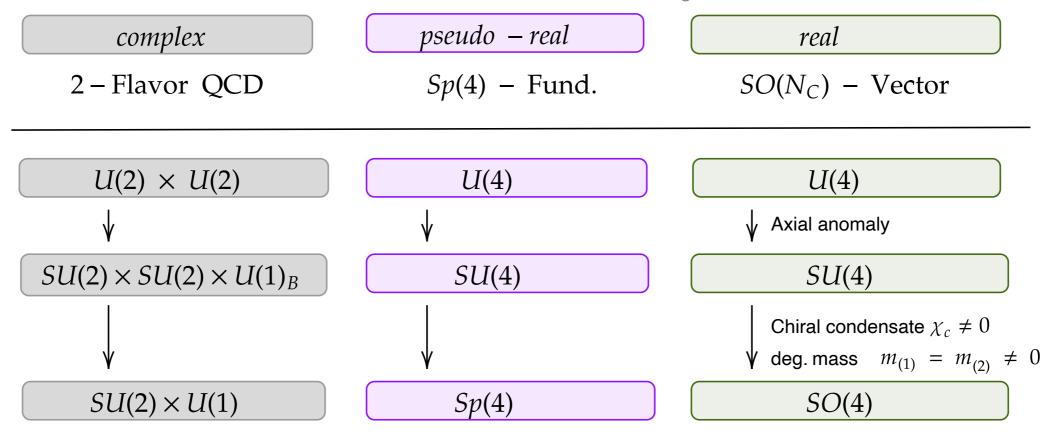
- Two discrete parameters N_{c_D} , N_{f_D}
- Two continuous parameters $m_{q_D}, \alpha_D(\mu)$ (UV)
 - $\Lambda_D, m_{\pi_D}/\Lambda_D$ or $m_{\pi_D}, m_{\pi_D}/m_{\rho_D}$ (IR)
- $N_{c_D} \neq 2$: fundamental representation in SU(2) gauge group is pseudo-real
- $N_{f_D} \neq 1$: 1 flavour theory has no pions Flavour, parity, CP conserving $SU(N_{C_D})$ theories



Non- $SU(N_{C_D})$ gauge groups

Snowmass dark shower incl. **S.K.**, S. Mee, M. Strassler arXiv:2202.09053 **S.K.**, A. Maas, S. Mee, M. Nikolic, J. Pradler, F. Zierler arXiv:2202.05191 **S.K.**, J. Pomper (in preparation)

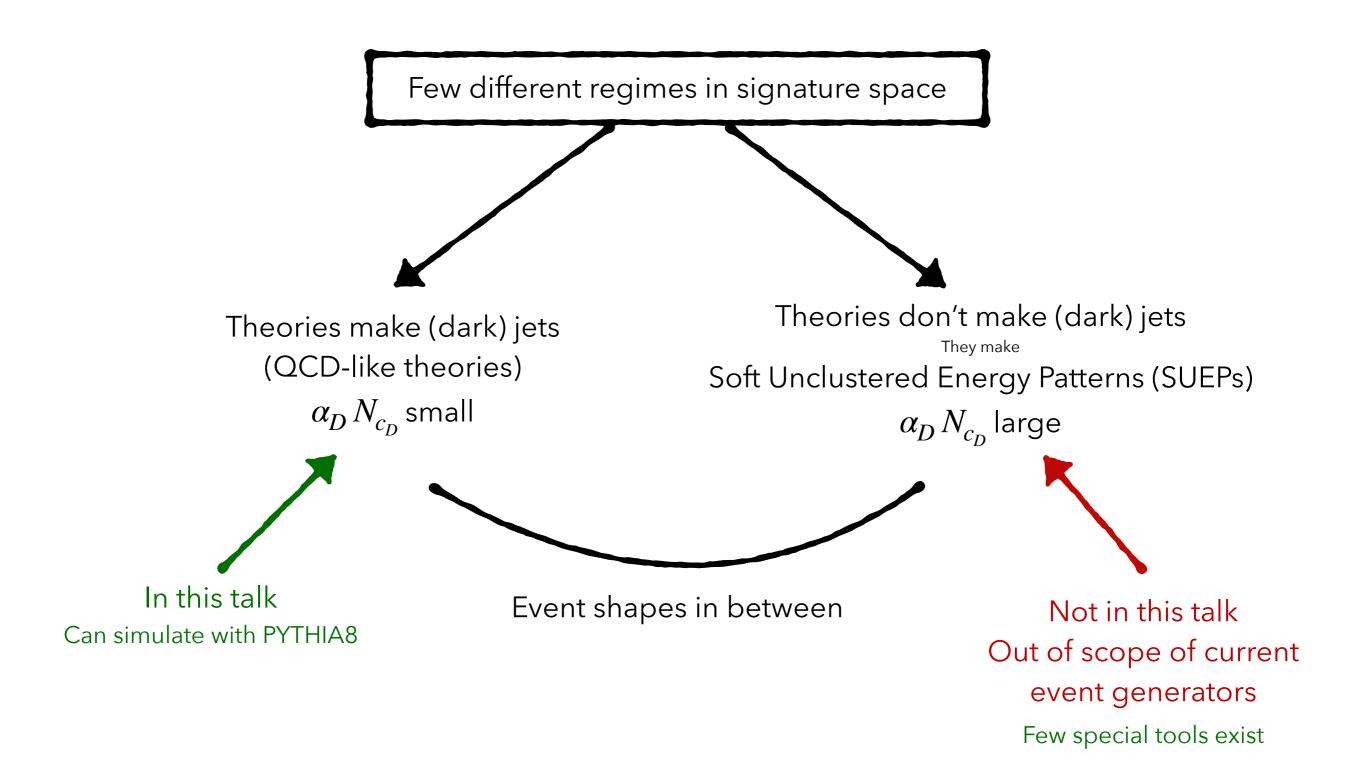
See also Hochberg et al arXiv:1512.07917



- Number of pions and rho mesons in 2 flavour theories
 - Complex: $N_{\pi_D} = 3, N_{\rho_D} = 3$
 - Pseudo-real: $N_{\pi_D} = 5, N_{\rho_D} = 10$
 - Real: $N_{\pi_D} = 9, N_{\rho_D} = 6$
- Colour flows are different for pseudo-real and real gauge groups; not encoded in current event generators



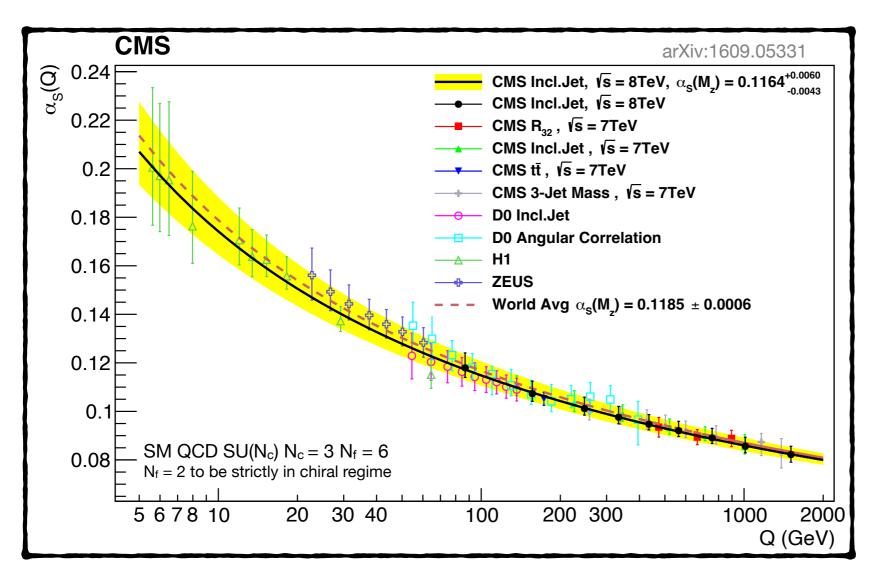
$SU(N_{C_D})$ collider signatures





QCD-like theories

ullet For mass degenerate fermions theory has four free parameters $N_{c_D}, N_{f_D}, m_{\pi_D}/\Lambda_D, \Lambda_D$



		_
Nc	Nf	ar
3	<< 9	arXiv:2008.12223
4	<< 13	08.122
5	<< 16	223
6	<< 18	

$$\alpha_D(Q^2) = \frac{1}{\frac{11 N_{c_D} - 2 N_{f_D}}{6\pi} \log\left(\frac{Q}{\Lambda_D}\right)}$$

• QCD-like theories: asymptotically free theories and are in chirally broken phase



Mass spectrum

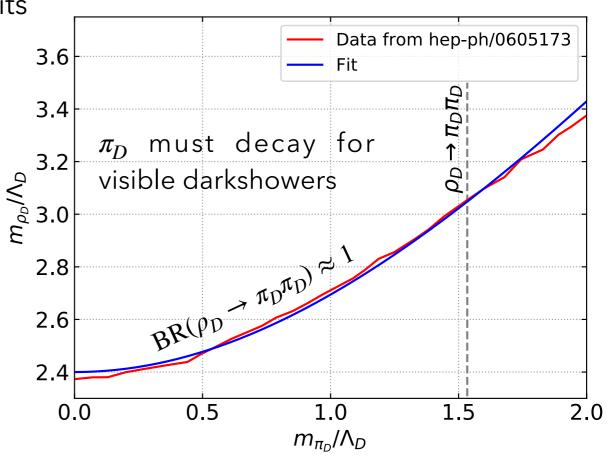
• $SU(N_{c_D})$, $N_{c_D} > 2$ theory with N_{f_D} mass degenerate quarks has $N_{f_D}^2 - 1$ mass degenerate dark rho, pions, plus 1 spin -0 and spin -1 singlet (just like the SM case)

$$\Pi^{SM} = \begin{pmatrix} \frac{\pi^{0}}{\sqrt{2}} + \frac{\eta}{\sqrt{6}} & \pi^{+} & K^{+} \\ \pi^{-} & -\frac{\pi^{0}}{\sqrt{2}} + \frac{\eta}{\sqrt{6}} & K^{0} \\ K^{-} & \overline{K^{0}} & -\sqrt{\frac{2}{3}}\eta \end{pmatrix} + \eta' \quad \rho^{\mu,SM} = \begin{pmatrix} \frac{\rho_{\mu}^{0}}{\sqrt{2}} + \frac{\omega_{\mu}}{\sqrt{6}} & \rho_{\mu}^{+} & K_{\mu}^{*+} \\ \rho_{\mu}^{-} & -\frac{\rho_{\mu}^{0}}{\sqrt{2}} + \frac{\omega_{\mu}}{\sqrt{6}} & K_{\mu}^{*0} \\ K_{\mu}^{*-} & \overline{K_{\mu}^{*0}} & -\sqrt{\frac{2}{3}}\omega_{\mu} \end{pmatrix} + \phi$$

• Lattice data used to derive (N_{c_D}, N_{f_D}) independent) fits

$$\frac{m_{\pi_D}}{\tilde{\Lambda}_D} = 5.5 \sqrt{\frac{m_{q_D}}{\tilde{\Lambda}_D}}$$

$$\frac{m_{\rho_D}}{\tilde{\Lambda}_D} = \sqrt{5.76 + 1.5 \frac{m_{\pi_D}^2}{\tilde{\Lambda}_D^2}}$$

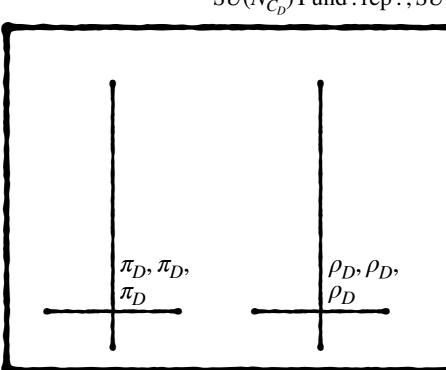




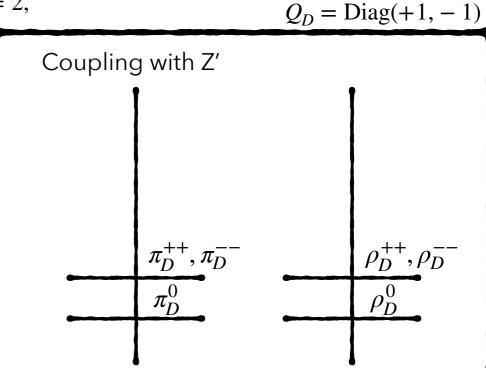
Flavour symmetry breaking leads to (dark)showers



 $q_D(u,d)_D$



 $SU(N_{C_D})$ Fund . rep . , $SU(N_{F_D}) = 2$,



• Example 1: $N_{f_D} = 2$; $n_{\pi_D} = n_{\rho_D} = 3$; $Q_D = \text{Diag}(+1, -1)$;

Doublet $(\pi_{\!D}^{++},\pi_{\!D}^{--});\,(\rho_{\!D}^{++},\rho_{\!D}^{--})$

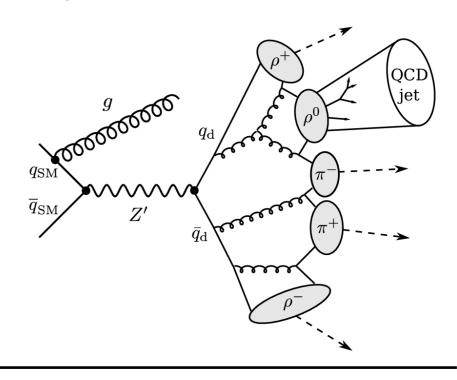
Singlets (π_D^0) ; (ρ_D^0)

 $\rho_D^0 - Z'$ mixing leads to visible decays

For charges of type Diag(+1... -1) only one diagonal ho_D^0 mixes with Z'

• Example 2: $N_{f_D} = 4$; $n_{\pi_D} = n_{\rho_D} = 15$; $Q_D = {\rm Diag}(-1, +1, -2, +2)$; All diagonal ρ_D^0 mix with Z'

Fig. From Kahlhoefer et.al. arXiv:1907.04346

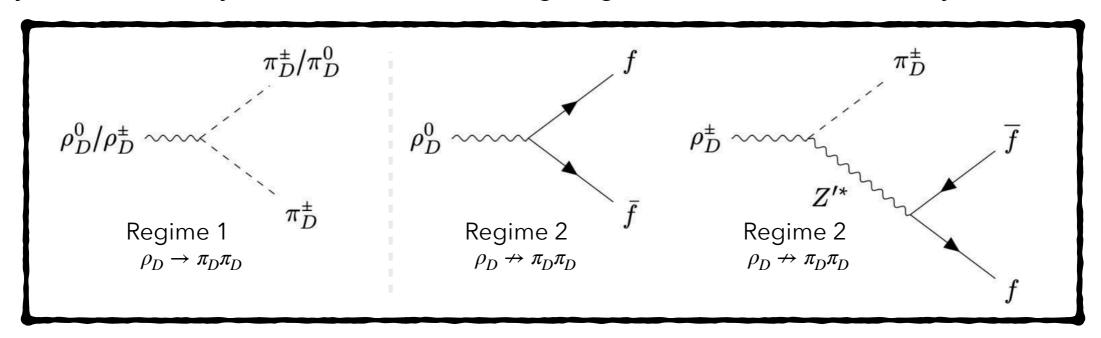




Dark rho meson decays

Beriln, Blinov, Gori, Schuster, Toro arXiv:1801.05805

Analysis of broken symmetries and chiral Lagrangian set dark meson decays

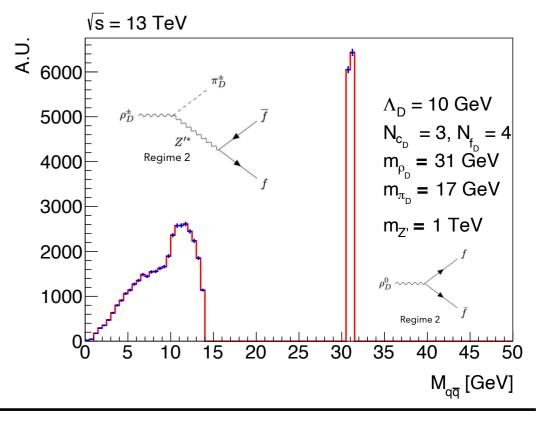


• Regime 2, $m_{\rho_D} < 2m_{\pi_D}$:

$$\Gamma(\rho_D \to \pi_D f \bar{f}) \propto \frac{m_{\rho_D}^{11}}{\Lambda_D^6 \, m_{Z'}^4} \, \Rightarrow \text{Potential LLPs!}$$

- Not captured in previous LHC phenomenology
- Example 1: $N_{\!f_{\!D}}=1$ both off-diagonal $\rho_{\!D}$ decay via three body
- Example 2: $N_{f_D} = 4$ seven ρ_D decay via three body

See also Born, Karur, Knapen, Shelton arXiv:2303.04167

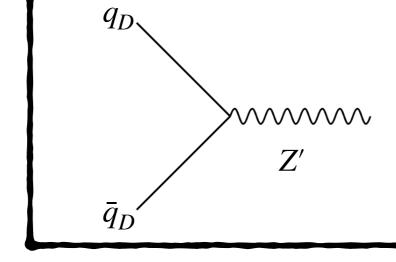




Dark pion decays

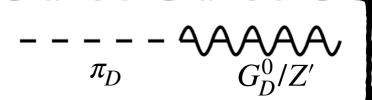
See Strassler, Zurek hep-ph/0604261

UV theories

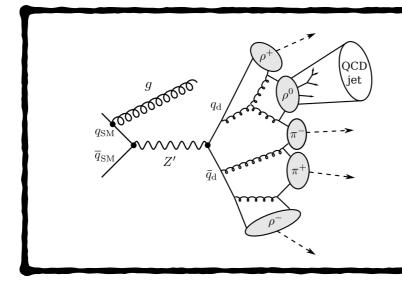


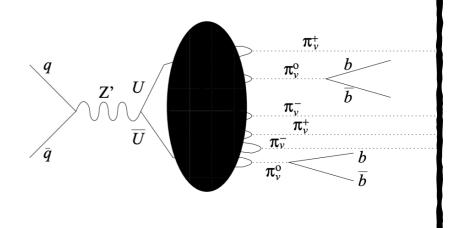
IR portals





LHC signatures



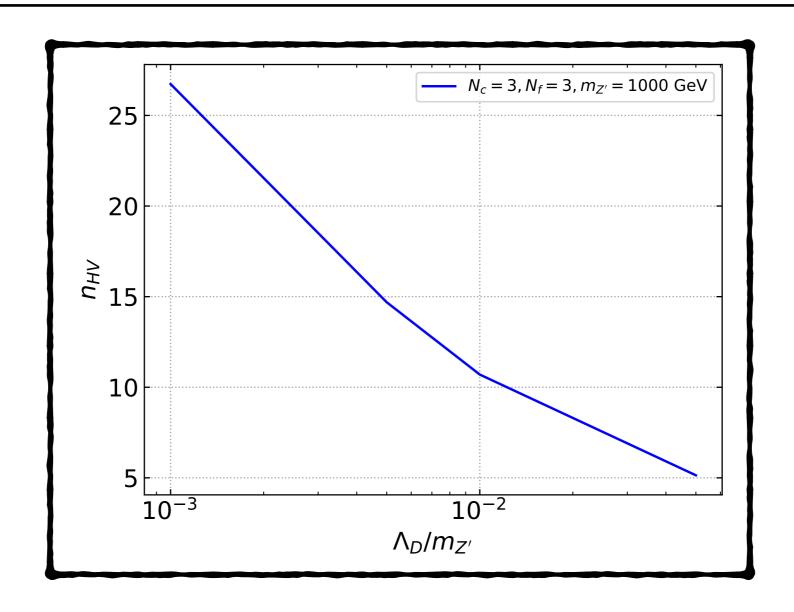


SVJ composition depends on Z' properties

SVJ typically rich in HF



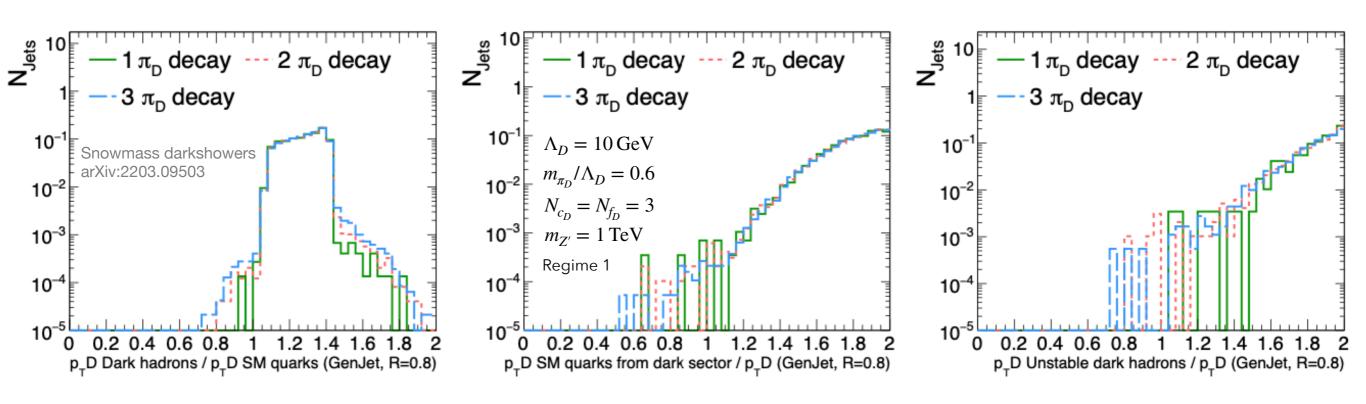
Choosing $m_{Z'}$



- For $m_{Z'}\gg \Lambda_D$ hard production is followed by dark parton shower and hadronization, for $m_{Z'}\sim \Lambda_D$ dark shower and hadronization shuts down \to dark hadron production
- First approximate quantitive study to establish these regimes \rightarrow pick $m_{Z'} \gtrsim 30 \Lambda_D$



Impact on SM final states



- Number of decaying pions can lead to differences in jet substructure variables
- Some of the jet substructure variables (e.g. pT_D) are not IRC safe, care should be taken while using them
- Regime II scenarios, not yet explored
- (Dark) Hadronization uncertainties can be significant, did not explore in details



Conclusions

• Strongly interacting dark sectors can explain a variety of SM shortcomings and present interesting opportunities at the experiments



- A strong phenomenological and experimental program exists
- A successful exploration of strongly interacting sectors benefits from understanding the theories in UV and IR and is further complemented by lattice simulations
 - Defined theoretically consistent darkshowers scenarios for dark quark mass degenerate regime
 - Identified less explored spin-1 meson decays
 - Demonstrated need to carefully study IRC safety of jet substructure variables
 - Performed first validation of PYTHIA8 for simulating darkshowers (not presented in the talk)
- Did not consider mass split scenarios
 - More theory work necessary
 - PYTHIA8 validation necessary
- More SM DS portals can be constructed and can lead to more exotic dark showers
- If you want to design a search for darkshowers talk to (more than one) theory friends before choosing your favourite model

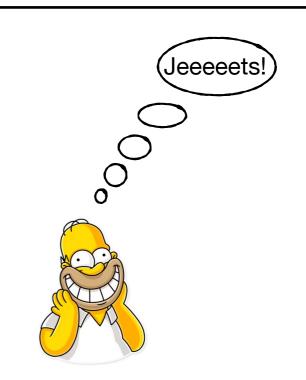


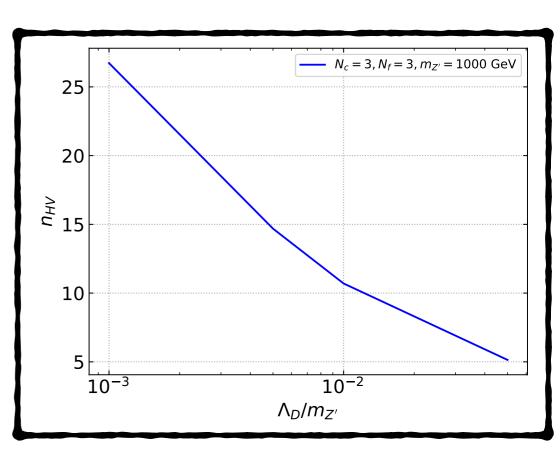
Backup



How to get jets?

- Choose $N_{c_D}>2$ and $N_{f_D}>1$, $\Lambda_D>1\,{\rm GeV}$, stay within asymptotically free region
- Pick $0.25 < m_{\pi_D}/\Lambda_D < 2$ and set mass spectrum
 - NB: This mass spectrum will provide current quark mass (NOT the same as PYTHIA8 HV 4900101:m0 parameter
 - Set constituent quark mass 4900101:m0 as $m_{q_{const}} \equiv m_{q_D} + \Lambda_D$ (this is not an exact relation)
- Pick $m_{Z'} \gtrsim 30 \Lambda_D$ to get jets
- Neglect special treatment for singlets for now
- Assume baryons are heavy thus irrelevant
- Depending on m_{π_D}/Λ_D and portal, set the dark meson decay modes
 - Note: $m_{\pi_D}/\Lambda_D < 1.53 \Rightarrow \rho_D \rightarrow \pi_D \pi_D$ open!

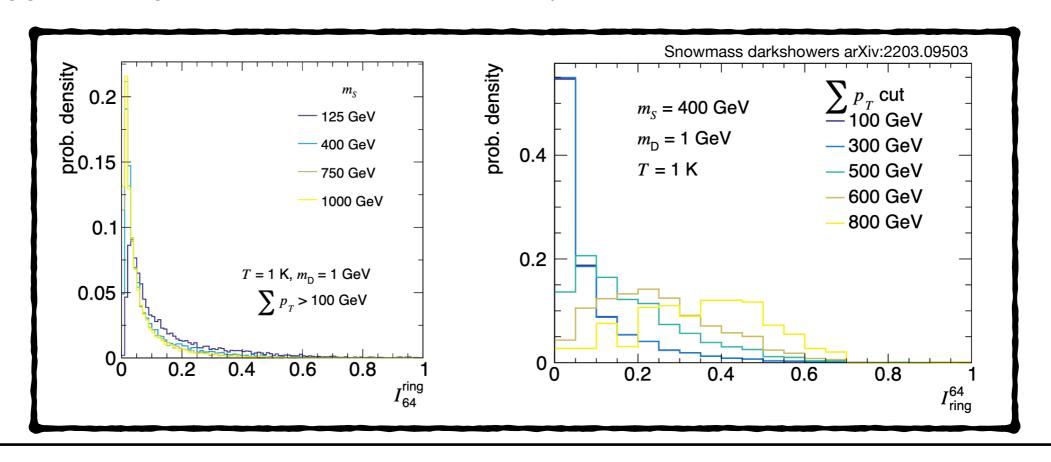






Beyond QCD-like theories: SUEP

- Large 't Hooft coupling $\lambda = \alpha_D N_{c_D}$: unsuppressed large- angle radiation \rightarrow wide, spherical showers; small class of theories have been proven to exist
- No dedicated simulation tools, at best some idealised approximations exist
- Common underlying feature is global radiation pattern, event shape observables can serve as useful analysis tool
- New variables to quantify event isotropy for SUEP benchmark models
- Experimental avenues being investigated; care in handling tools necessary
- Trigger strategies create bias towards less spherical events



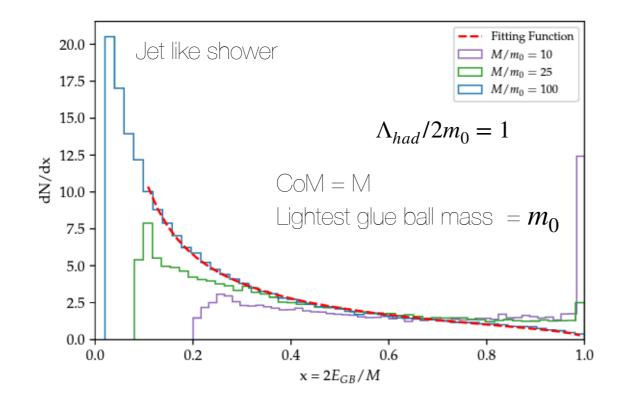
S. Kulkarni 26 May 2023

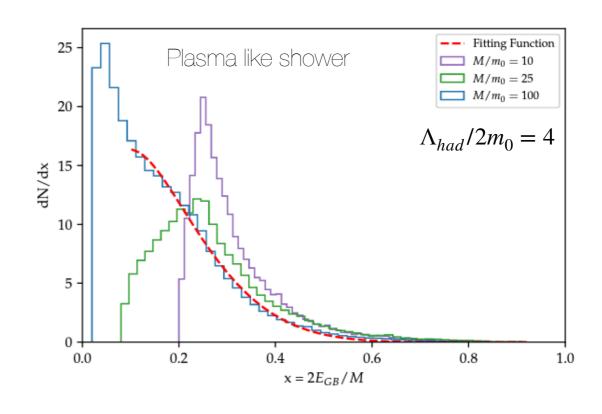


Beyond QCD-like theories: Glueballs

Curtin, Gemmell, Verhaaren arXiv:2202.12899

- Occur in simplest non-Abelian theories, theories containing no light fermions or scalars
- These refer to bound states of gluons, theories characterised entirely by confinement scale; spectrum computed on lattice
- First effort for creating Yang-Mills parton shower and hadronization
- First publicly available simulation tool with two different hadronization settings
 - Perturbatively motivated jet-like hadronization
 - More exotic SUEP like final state





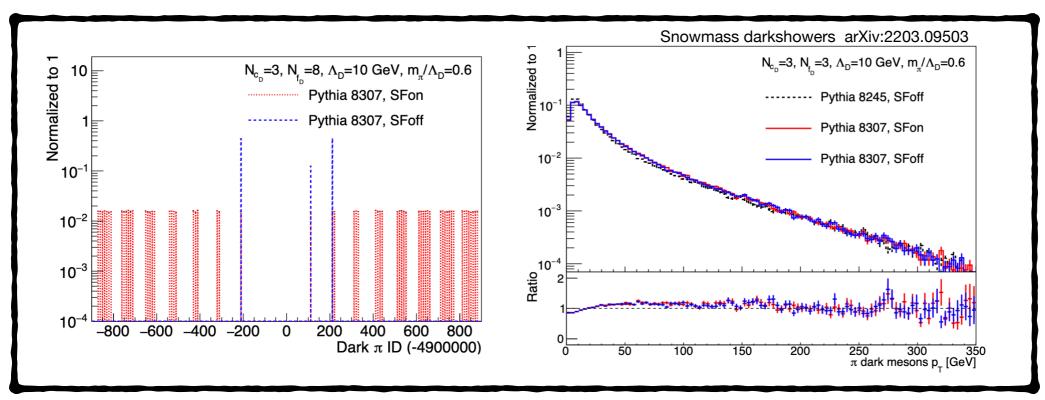


PYTHIA8 improvements and validation

Need to be able to control properties of individual hadrons in PYTHIA8 HV

See also: Mies, Scherb, Schwaller arXiv:2011.13990

- How should such mass degenerate dark quark theories look like in MC simulation?
- Do we reproduce SM QCD using PYTHIA8 HV module?



Pythia8.307 now available

- Adjustments in HV (mini)-string fragmentation so that it leads dark meson to p_T suppression to match with SM QCD; now available in PYTHIA8_(8.307)
- PYTHIA8 $_{(8.307)}$ now has possibility to separately control properties of dark quark and mesons (separateFlav = on)
- Validated only for mass degenerate scenarios
- Hadronization module not validated however it reproduces SM QCD in appropriate regime

S. Kulkarni 23 26 May 2023



'Hacking' branching ratios in PYTHIA

- ullet For a theory with N_f flavours, number of pions are N_f^2-1
- Mass degenerate quarks imply mass degenerate pions (and rho)
- Out of these N_f-1 are diagonal pions and $N_f(N_f-1)/2$ off-diagonal pions
- Pythia models these diagonal and off-diagonal states using three pions, pythia assigns three pdg codes for these, one for diagonal, one for upper triangle and one for lower
- The number of pions/rhos that can decay depends on the specific theory
- Thus, one should rescale branching ratio of the pions by their multiplicity to account for the probability of decay
- If x number of diagonal pions decay then the rescale factor is $x/(N_f-1)$
- Similarly for y number of off-diagonal pions decaying the probability is $y/(N_f(N_f-1)/2)$

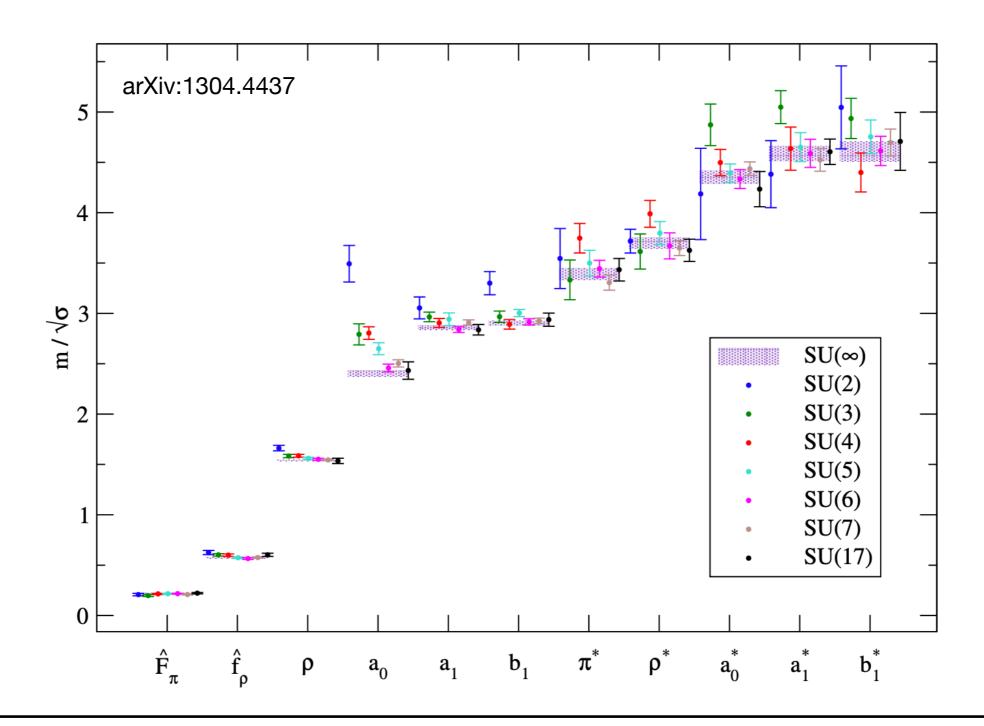
$$\Pi = \begin{bmatrix} \pi_D^0 & \pi_D^{\pm} & \dots \\ \vdots & \ddots & \\ \pi_D^{\pm} & \pi_D^0 \end{bmatrix}$$

• Theory dictates that equal number of diagonal and off-diagonal pions and rhos decay in any given theory (if rho to pi threshold is closed)



Meson masses

• Lattice simulations for a large number of (large N) SU(N) theories show that meson masses are more or less independent of the gauge group dimension



S. Kulkarni 25 26 May 2023



Benchmarks

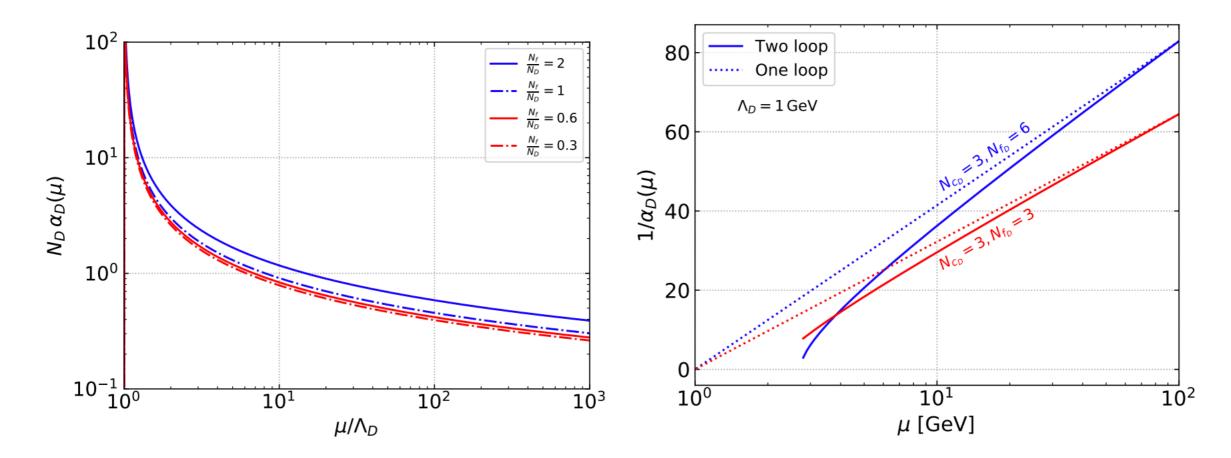
- A few suggested first list of benchmarks in snowmass
- Applicable for s-channel vector mediated SM DS interactions

Regime	$N_{c_{ m D}}, N_{f_{ m D}}$	$\Lambda_{ m D}$	Q	$m_{\pi_{ m D}}$	$m_{ ho_{ m D}}$	Stable	Dark hadron
		[GeV]		[GeV]	[GeV]	dark hadrons	decays
,	3,3	5	Various	3	12.55	$0/1/2\pi_{ m D}^0$	$ ho_{ m D}^{0/\pm} ightarrow \pi_{ m D}^{0/\pm} \pi_{ m D}^{\mp}$
$m_{\pi_{ m D}} < m_{ ho_{ m D}}/2$							$\pi_{ m D}^0 ightarrow c ar c$
	3,3	10	Various	6	25	$0/1/2~\pi_{ m D}^0$	$ ho_{ m D}^{0/\pm} ightarrow \pi_{ m D}^{0/\pm} \pi_{ m D}^{\mp}$
							$\pi_{ m D}^0 ightarrow c ar{c}$
	3,3	50	Various	30	125.5	$0/1/2~\pi_{ m D}^0$	$\left egin{array}{c} ho_{ m D}^{0/\pm} ightarrow\pi_{ m D}^{0/\pm}\pi_{ m D}^{\mp}\ \pi_{ m D}^{0} ightarrow bar{b} \end{array} ight $
							$\pi_{ m D}^0 ightarrow b b$
$m_{\pi_{ m D}} > m_{ ho_{ m D}}/2$	3,4	10	(-1,2,3,-4)	17	31.77	All $\pi_{ m D}$	$ ho_{ m D}^0 ightarrow { m q} { m ar q}$
							$ ho_{ m D}^{\pm} ightarrow \pi_{ m D}^{\pm} { m q} { m ar q}$

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Running of α_D

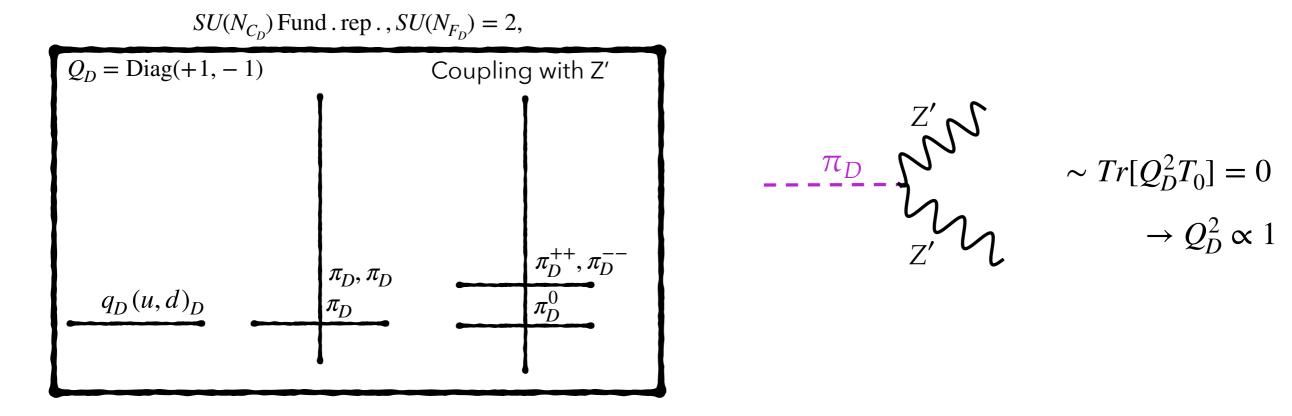


- ullet Running depends on $N_{\!f_{\!D}}/N_{\!c_{\!D}}$
- \bullet Two loop corrections become important as $N_{\!f_{\!D}}/N_{\!c_{\!D}}$ increases



Primary obstacles in getting DM candidate

- DM longevity needs to be ensured
 - Impose external symmetries
 - Use accidental symmetries e.g. lightest baryon (proton) is stable in the SM due to baryon number conservation
 - Engineer models to ensure stability

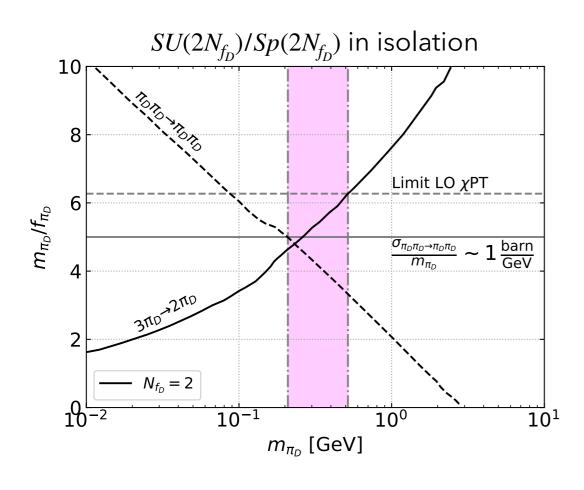


Quantitative estimates from genuine non-perturbative physics are needed



New avenues

Hochberg et al arXiv:1512.07917, Kribs et al arXiv: 1604.04627, Cline et al arXiv:2108.10314, Beriln et al arXiv:1801.05805

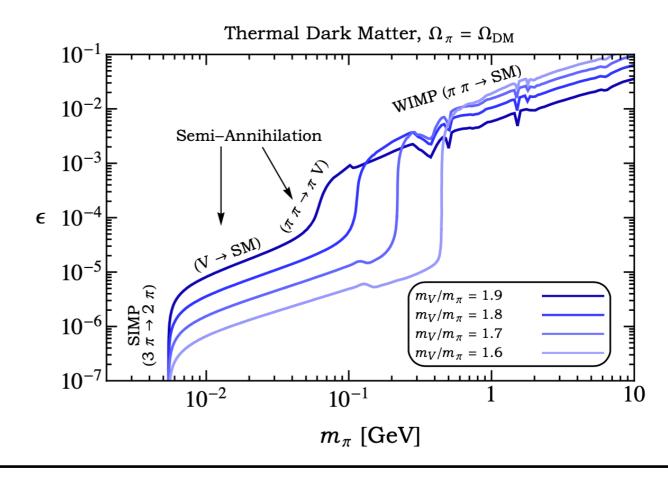


• Relic density

$$n_{\pi_D} \langle \sigma v \rangle_{3 \to 2} \sim H \implies \frac{m_{\pi_D}}{f_{\pi_D}} \propto m_{\pi_D}^{3/10}$$

• Self-scattering

$$\frac{\sigma_{\pi_D \pi_D \to \pi_D \pi_D}}{m_{\pi_D}} \propto \left(\frac{m_{\pi_D}}{f_{\pi_D}}\right)^4 \times \frac{1}{m_{\pi_D}^3}$$





SIMP future prospects

