



# Flow and correlations measurements in small and large systems

## Highlights from ALICE, CMS, and ATLAS

Lucia Anna Tarasovičová

On behalf of ALICE, CMS, and ATLAS collaborations

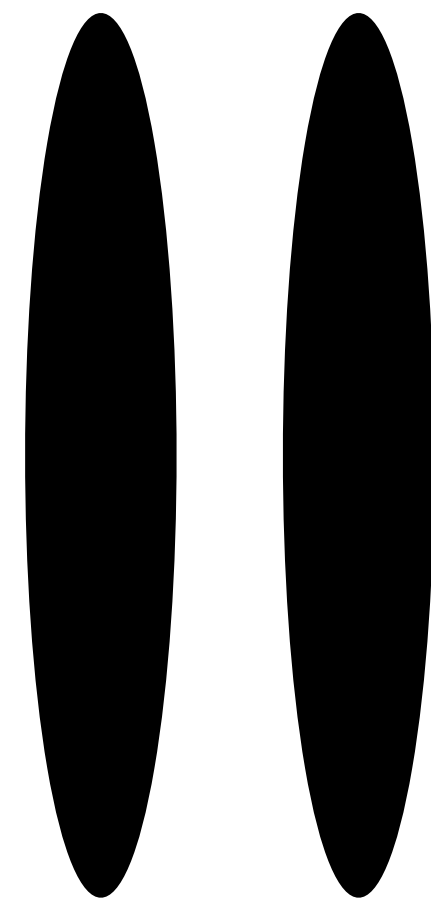
Westfälische Wilhelms-Universität, Münster

LHCP, 22.05.2023

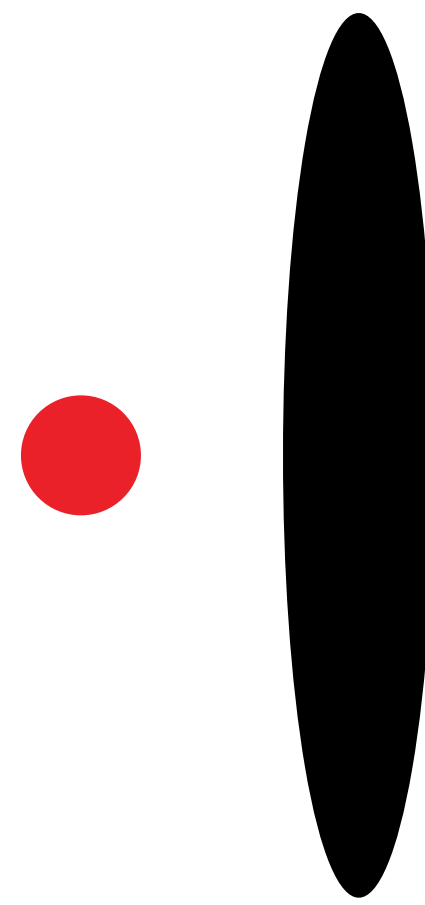




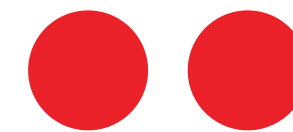
# From large to small systems



Pb—Pb



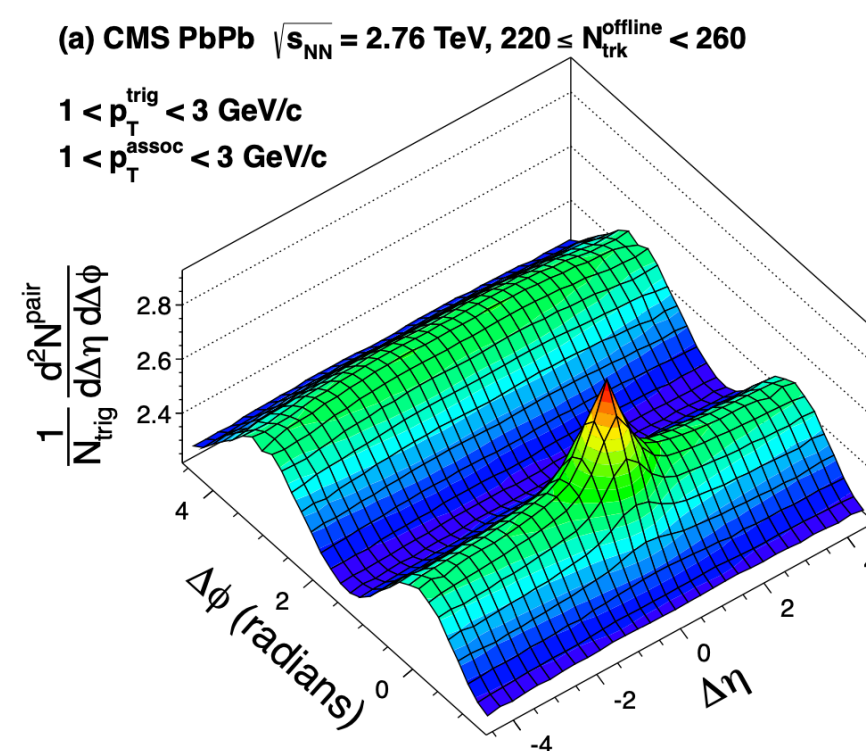
p—Pb



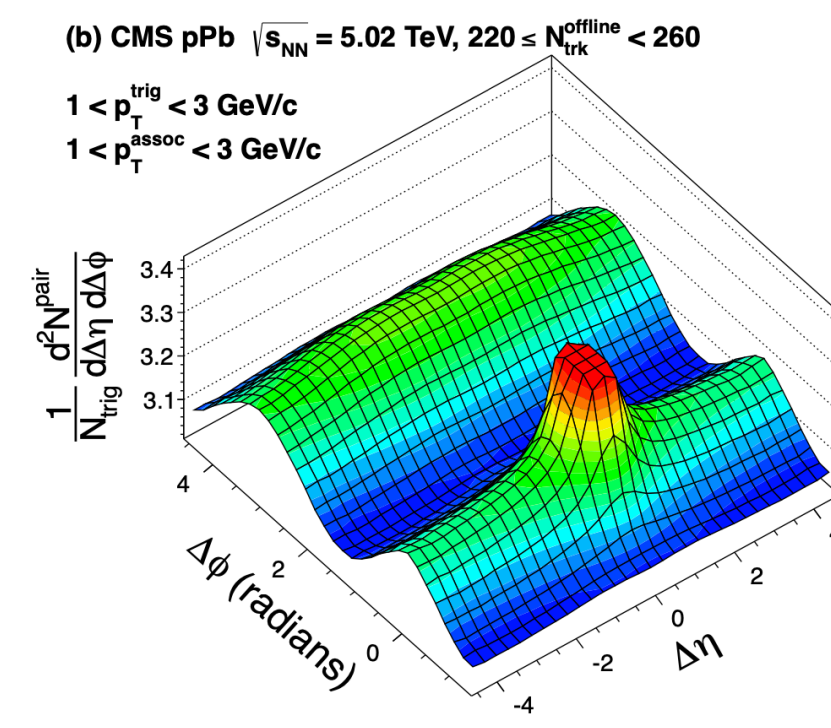
pp



$(e^+e^-)$

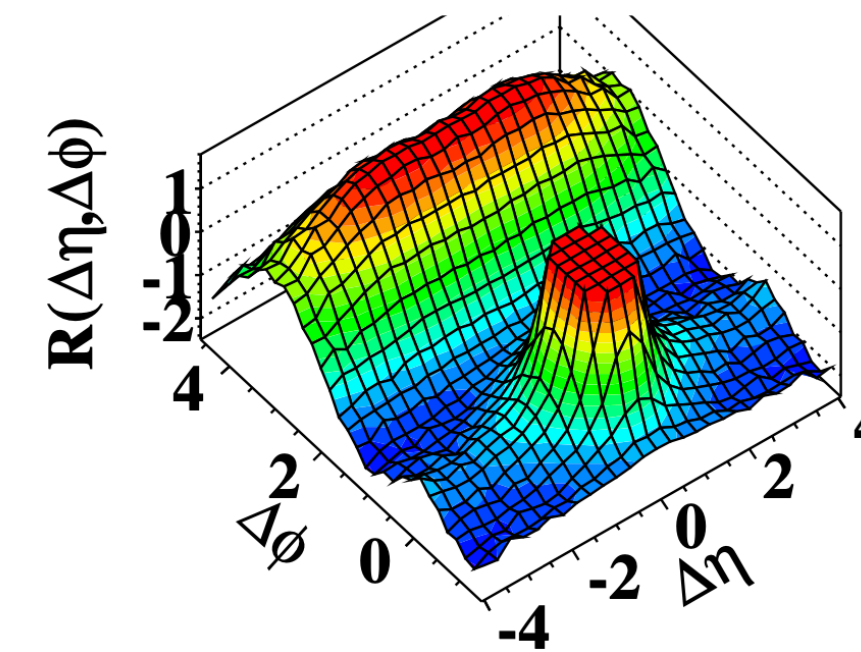


Phys. Lett. B 724 (2013) 213

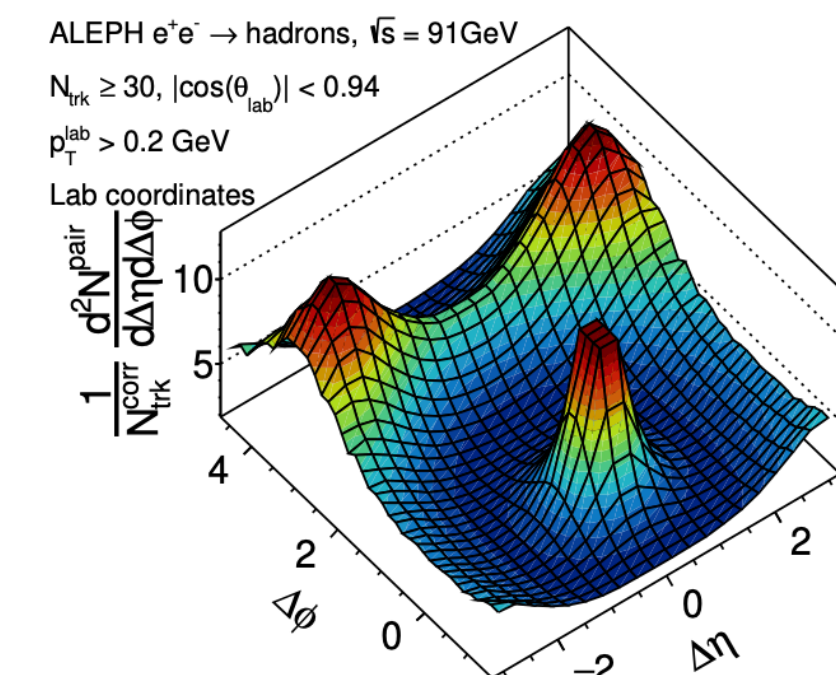


Phys. Lett. B 724 (2013) 213

(d) CMS  $N \geq 110$ ,  $1.0 \text{ GeV}/c < p_T < 3.0 \text{ GeV}/c$

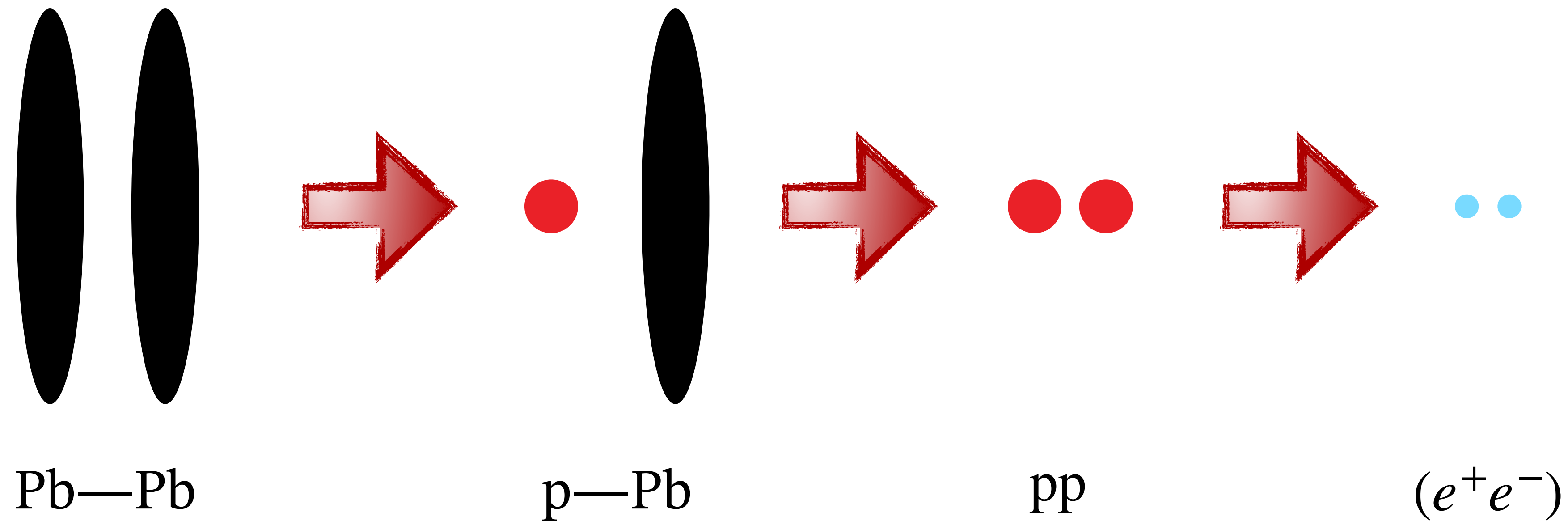


JHEP 1009:091,2010



Phys. Rev. Lett. 123, 212002 (2019)

# From large to small systems



- What are the properties of the QGP medium, mechanisms of parton energy loss and hadronisation?
- What is the origin of collective-like behaviour in small collisions systems?
- What is the lower limit of the collective-like behaviour?



# Correlation functions

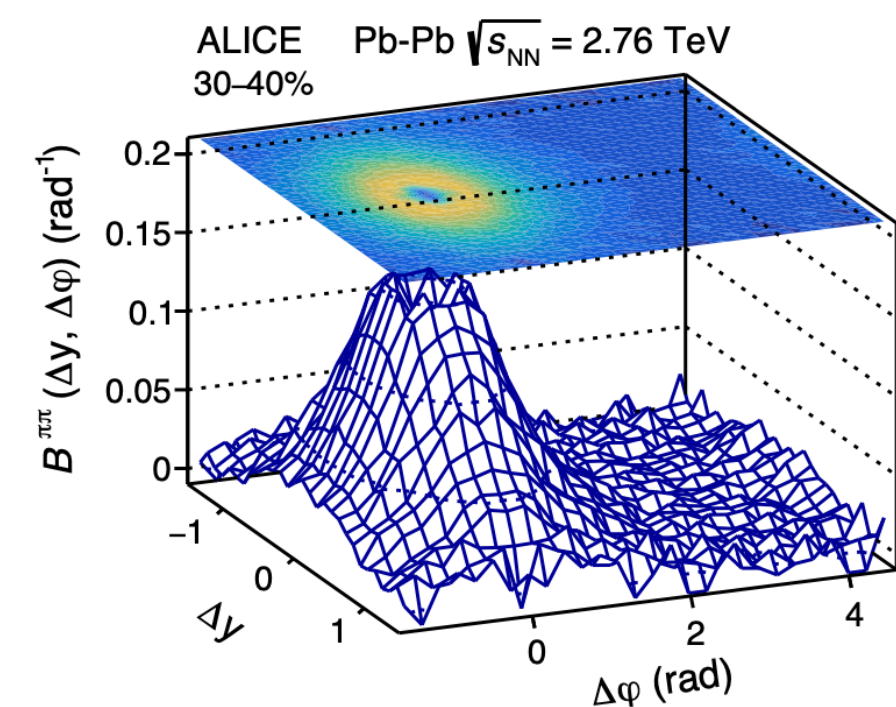
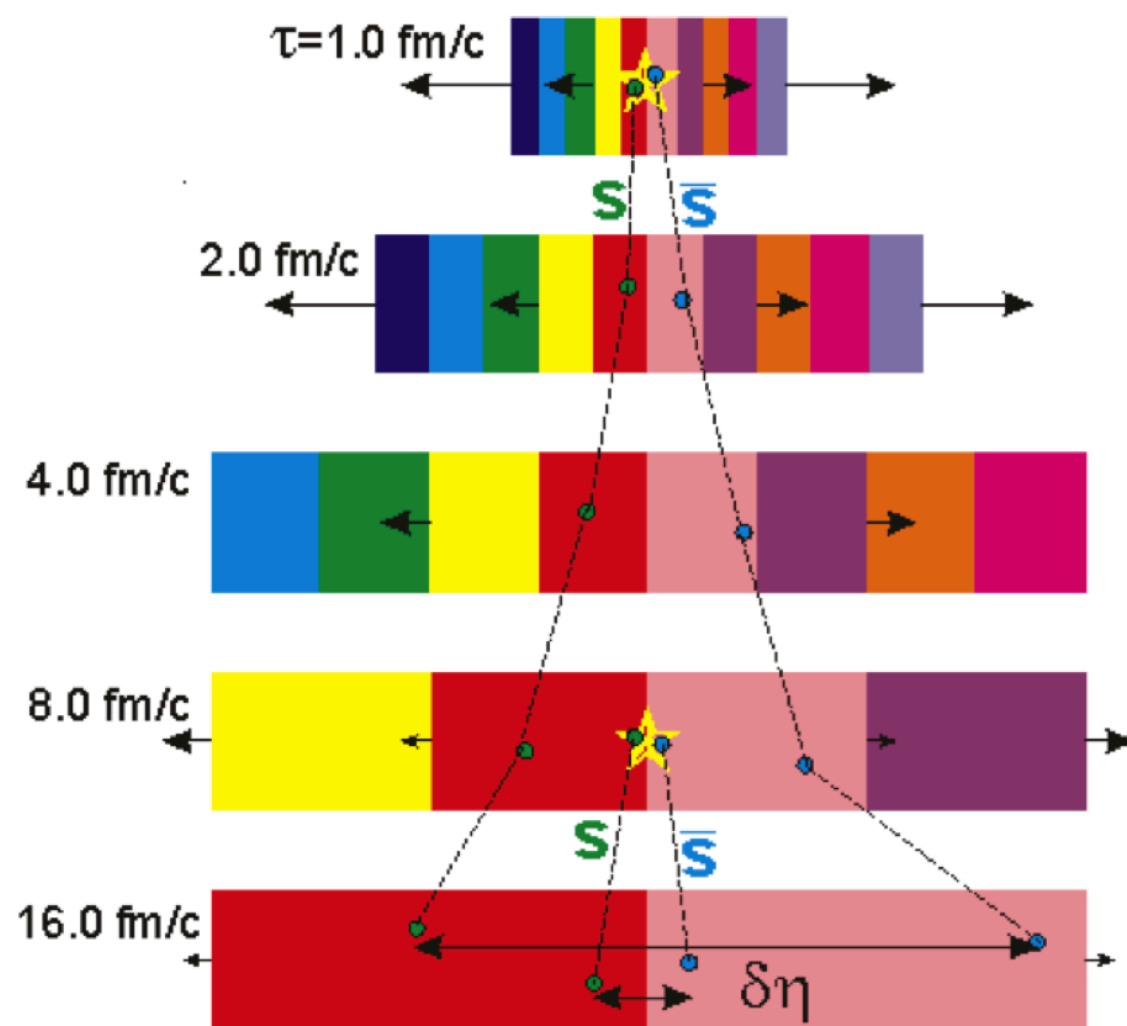
Soft particles  $p_T < 2 \text{ GeV}/c$

## Balance function

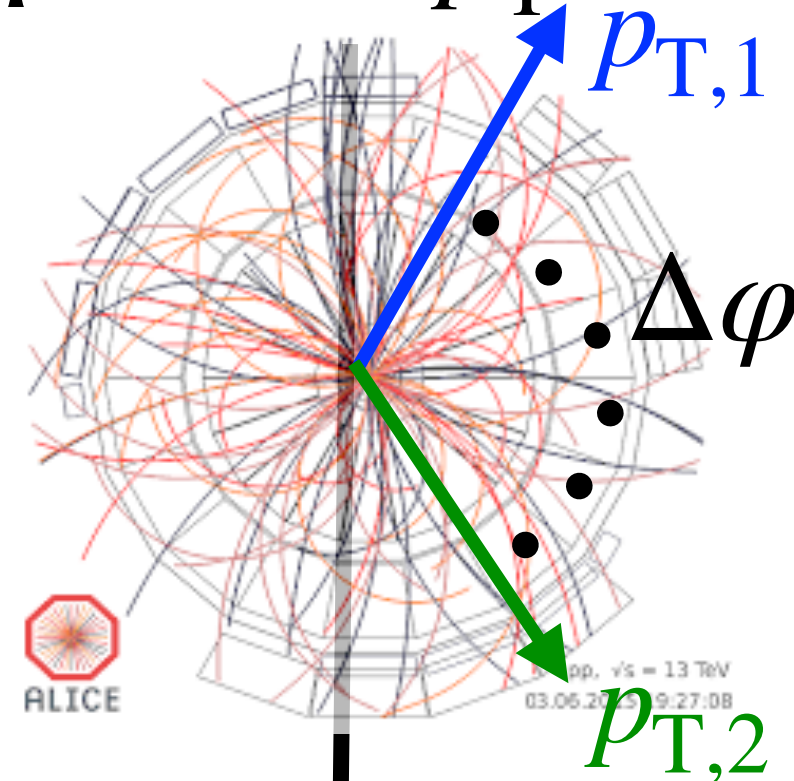
- Measure of balancing charges

$$R_2^{\alpha\beta} = \frac{\rho_2^{\alpha\beta}}{\rho_1^\alpha \rho_1^\beta} - 1$$

$$B^{\alpha\beta} = \frac{1}{2} \left\{ \rho_1^{\beta-} \left[ R_2^{\alpha+\beta-} - R_2^{\alpha-\beta-} \right] + \rho_1^{\beta+} \left[ R_2^{\alpha-\beta+} - R_2^{\alpha+\beta+} \right] \right\}$$



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## $G_2$

- Sensitive to momentum current correlations

$$G_2 = \frac{1}{\langle p_{T,1} \rangle \langle p_{T,2} \rangle} \left[ \frac{\int_{\Omega} p_{T,1} p_{T,2} \rho_2(p_1, p_2) dp_{T,1} dp_{T,2}}{\int_{\Omega} \rho_1(p_1) dp_{T,1} \int_{\Omega} \rho_2(p_2) dp_{T,2}} - \langle p_{T,1} \rangle \langle p_{T,2} \rangle \right]$$

- Charge independent:

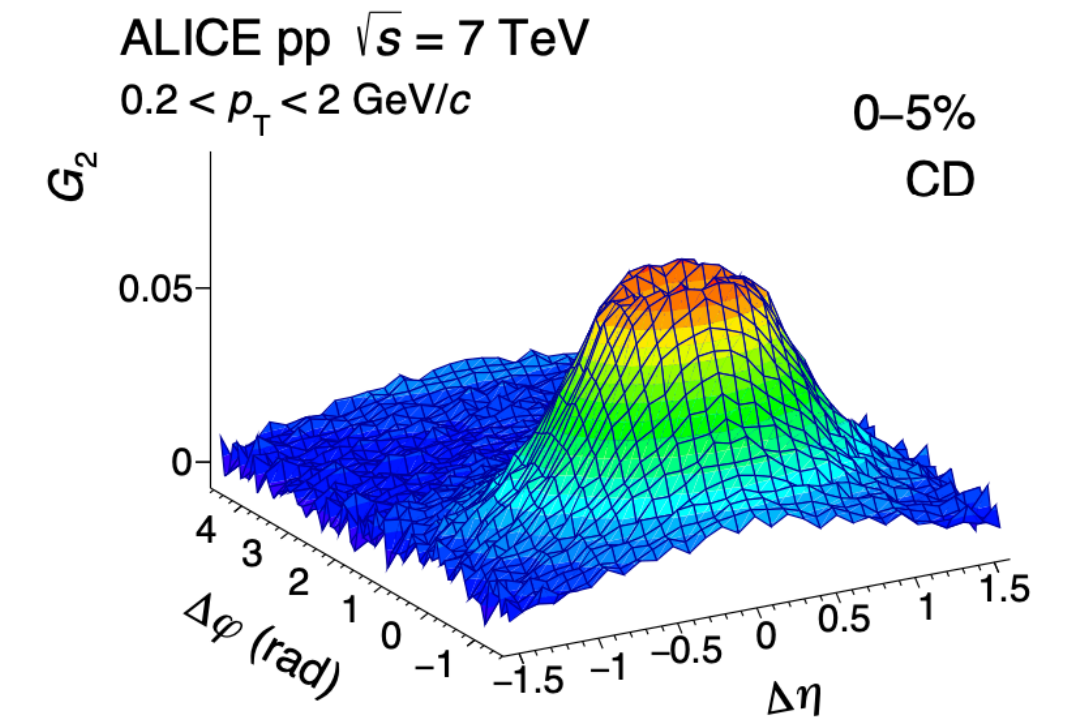
$$G_2^{CI} = \frac{1}{2} (G_2^{US} + G_2^{LS})$$

Like sign pairs (+ +) (- -)

- Charge dependent:

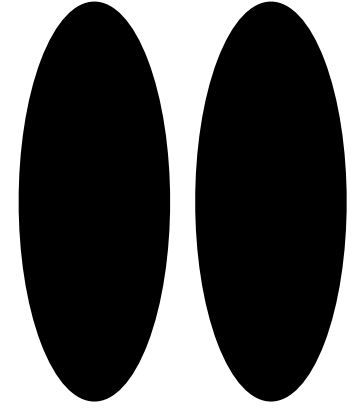
$$G_2^{CD} = \frac{1}{2} (G_2^{US} - G_2^{LS})$$

Unlike sign pairs (+ -)

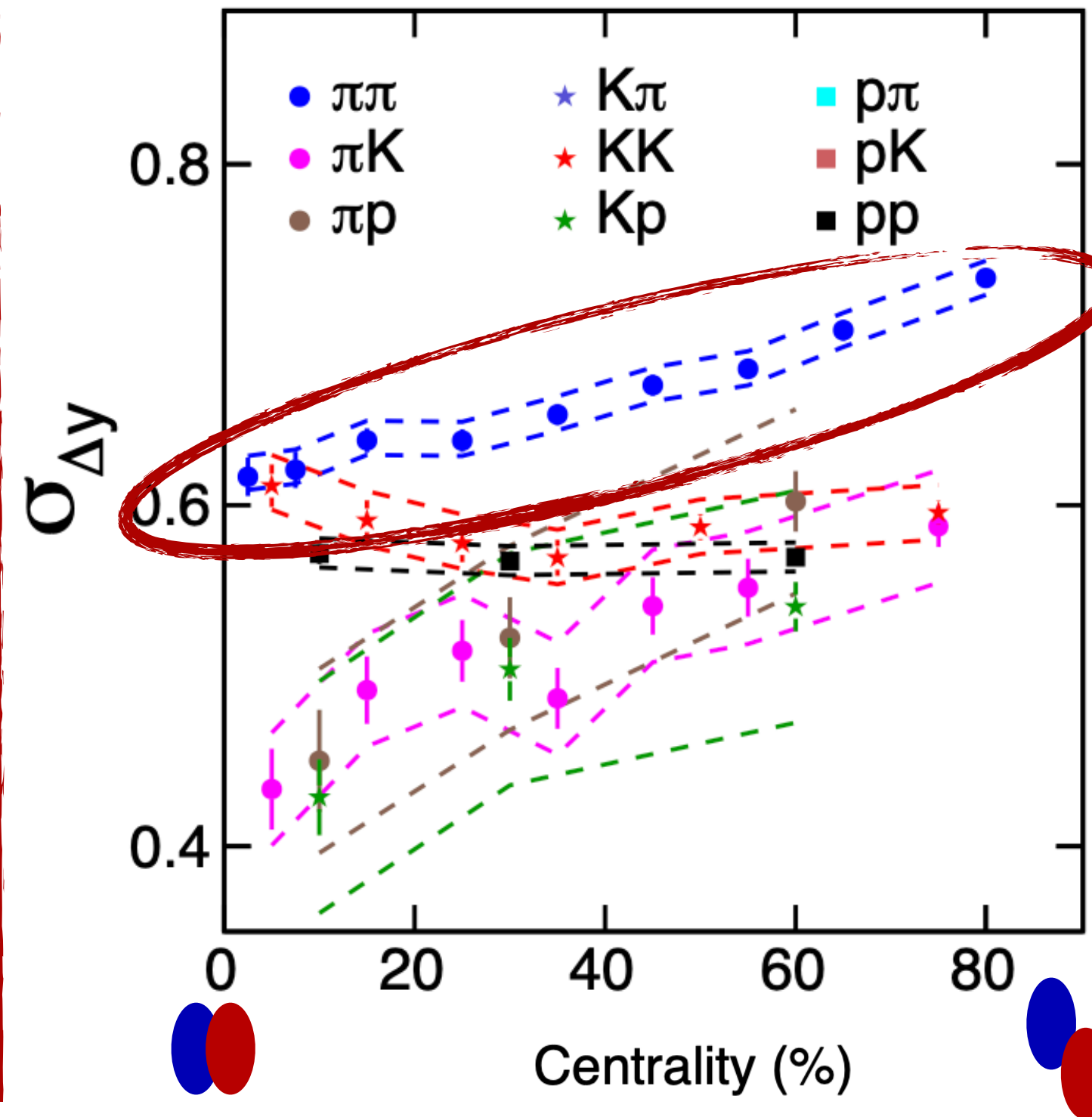
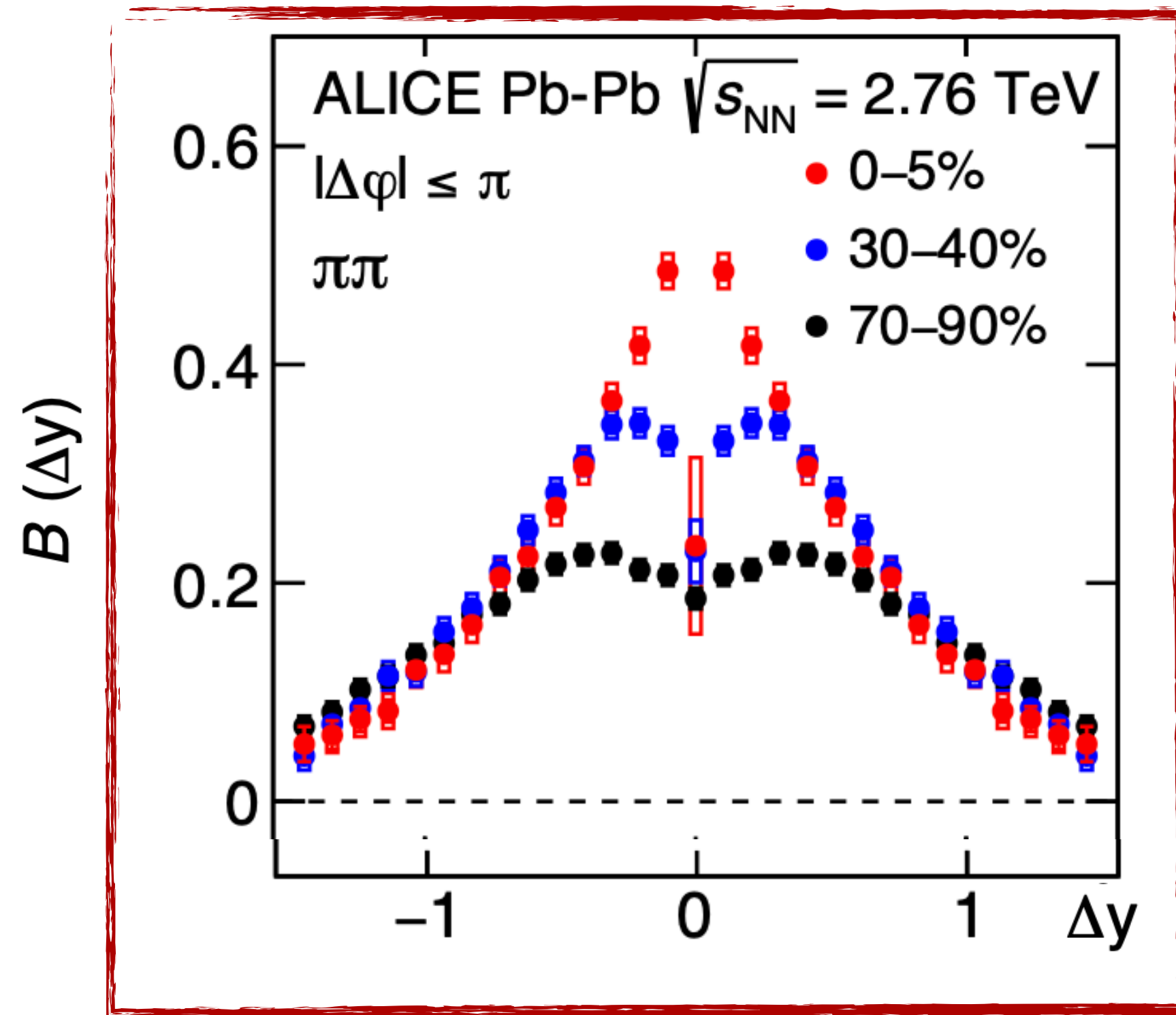


arXiv:2211.08979





# Balance function: Identified hadrons

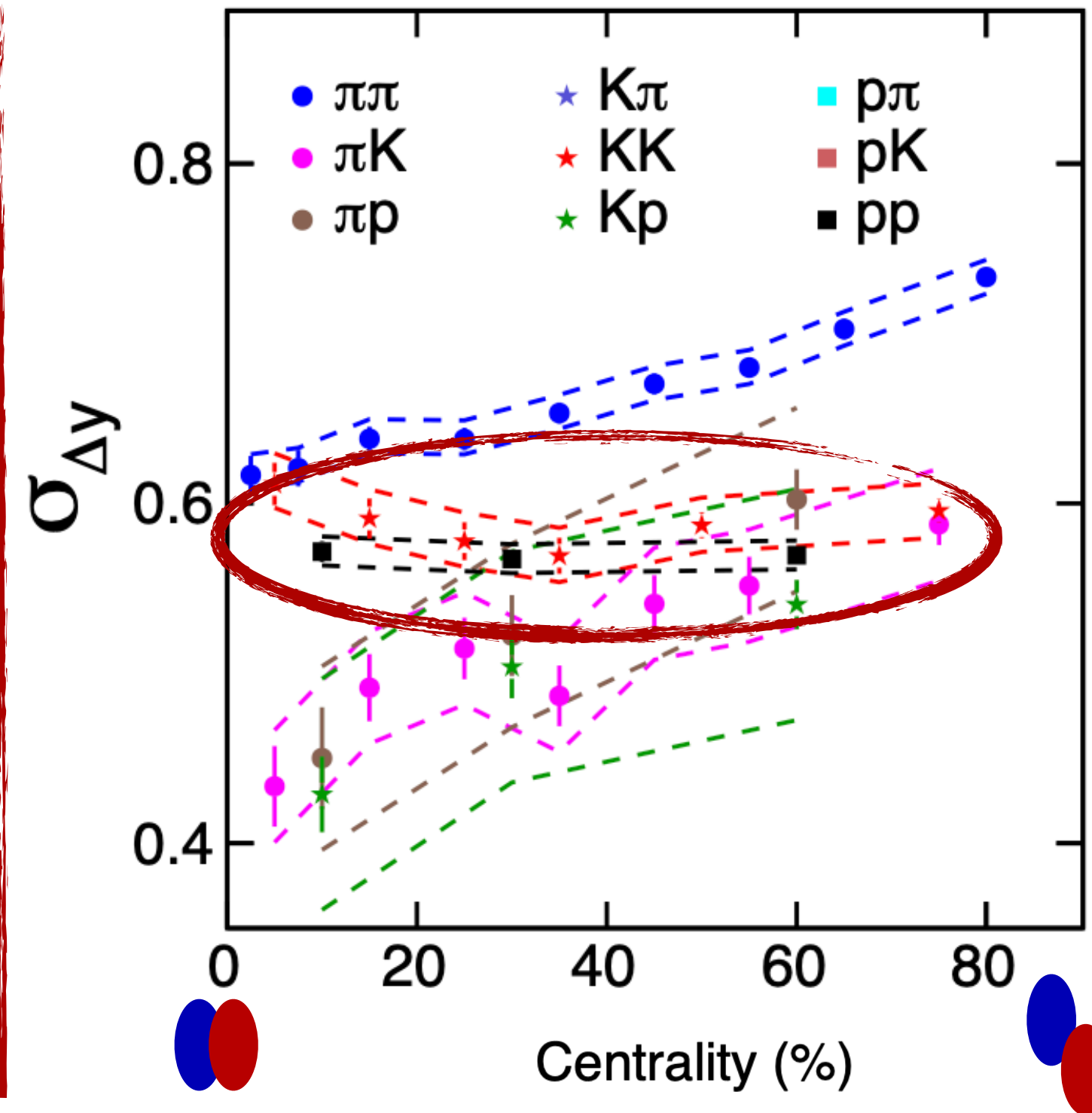
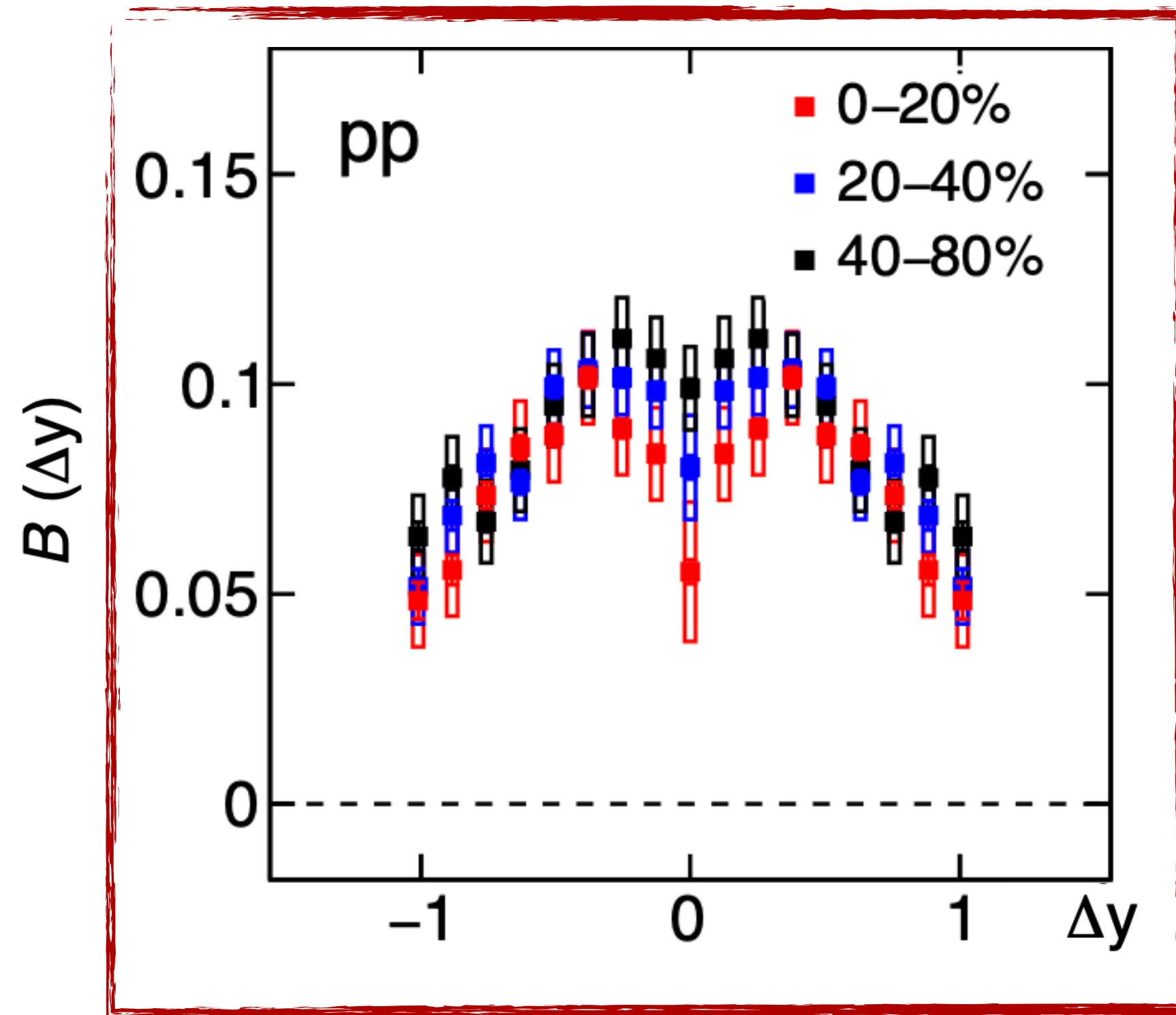


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- Measure of balancing charges
- $BF_{\pi\pi}$  - narrow in central collision - **coalescence?**



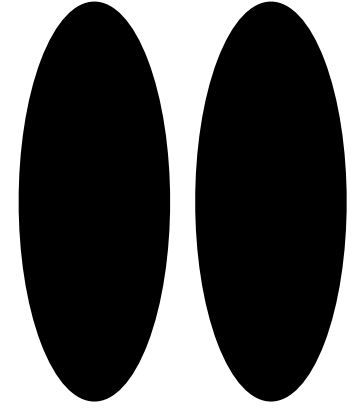
# Balance function: Identified hadrons



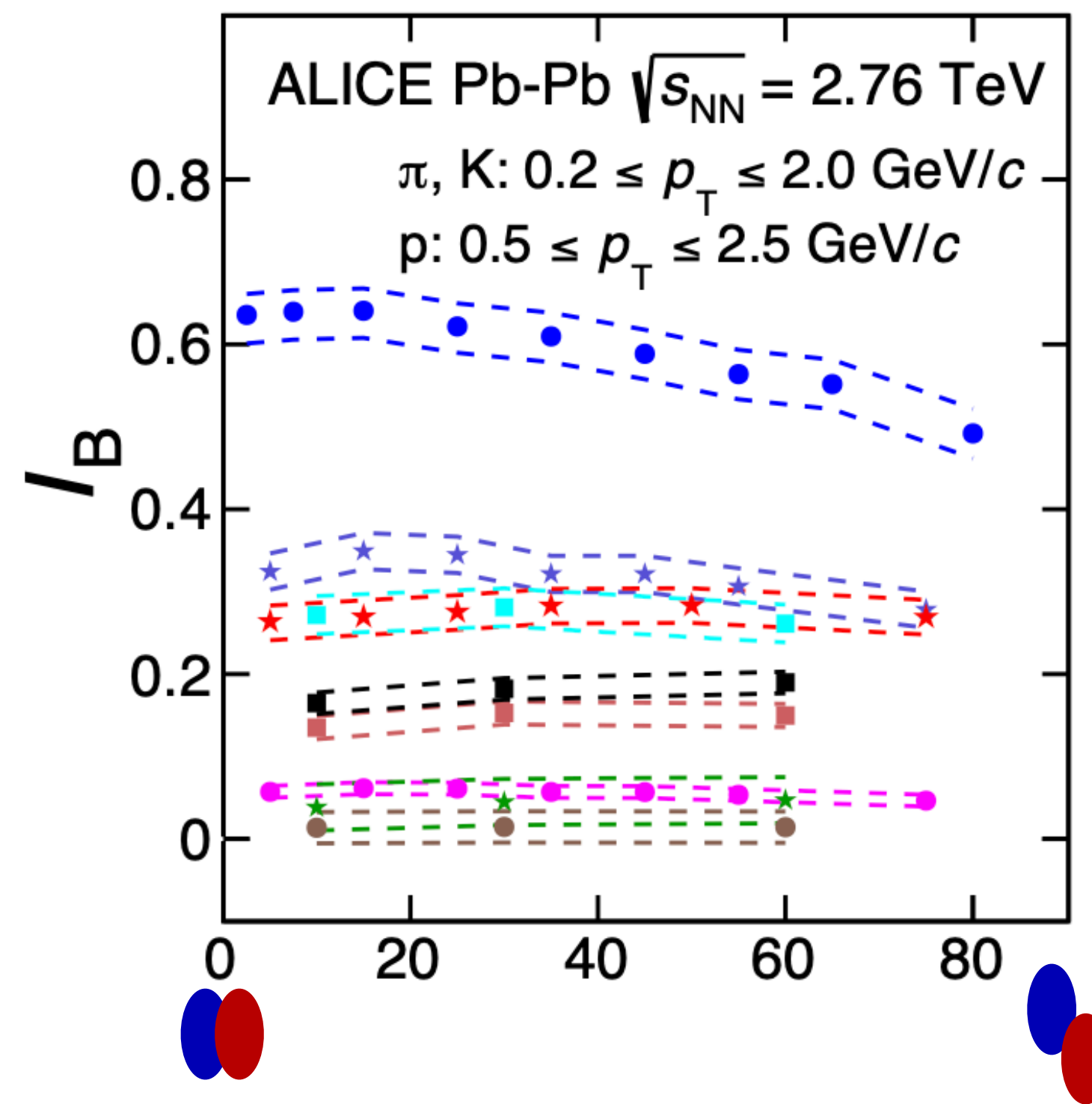
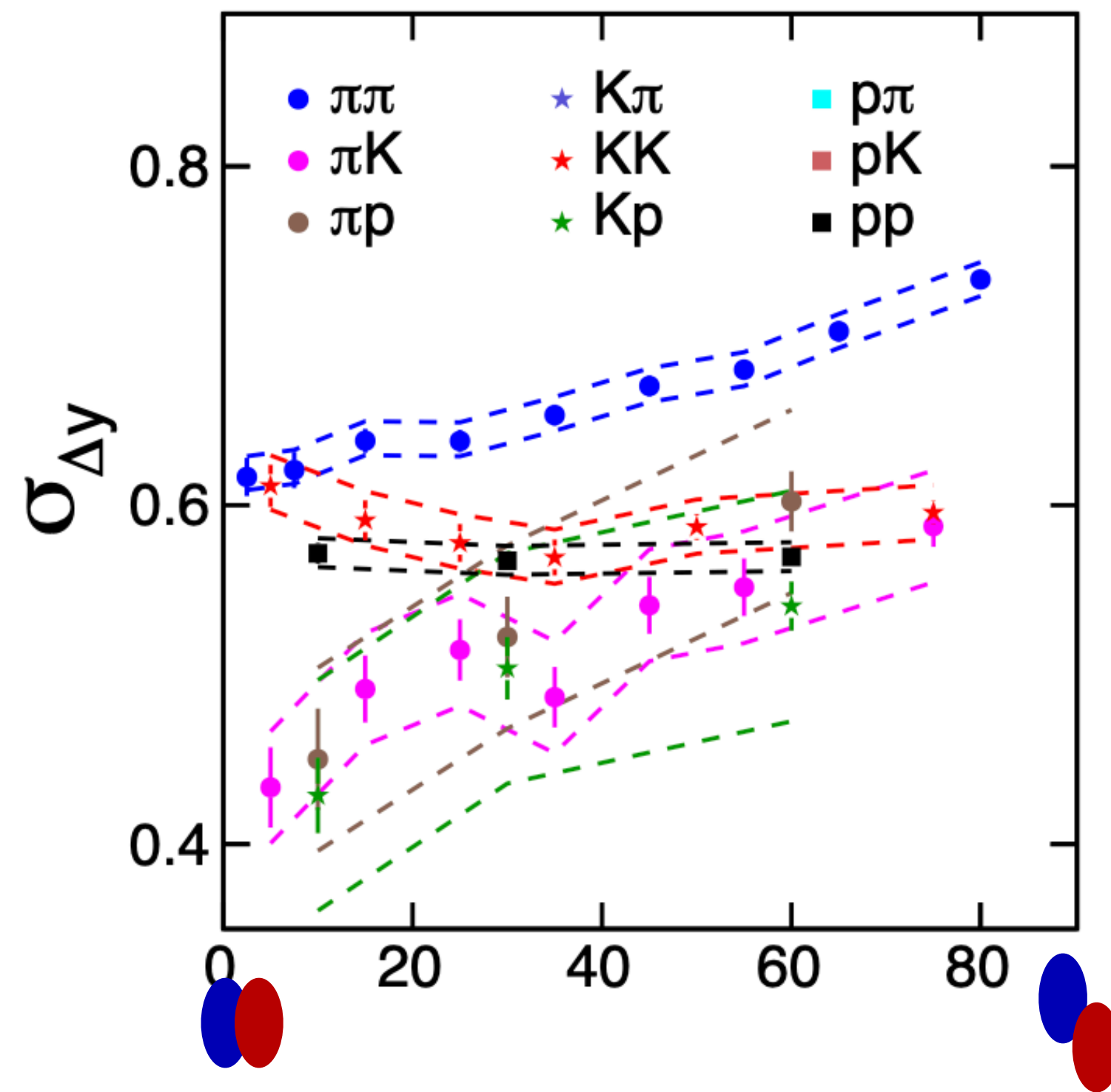
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- Measure of balancing charges
- $BF_{pp}$  - wider than acceptance, no dependence on multiplicity
  - **Early stage production?**





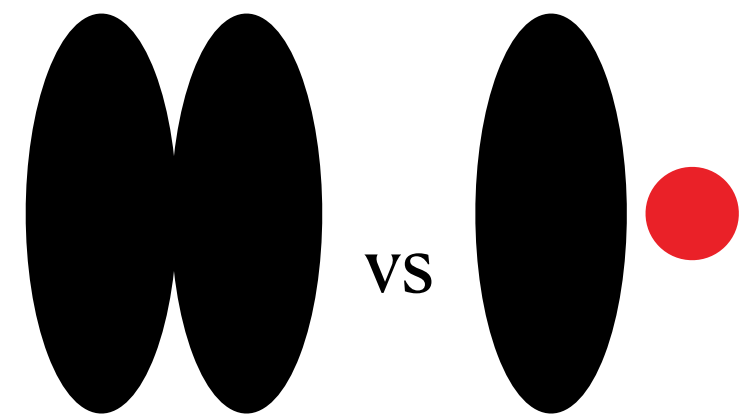
# Balance function: Identified hadrons



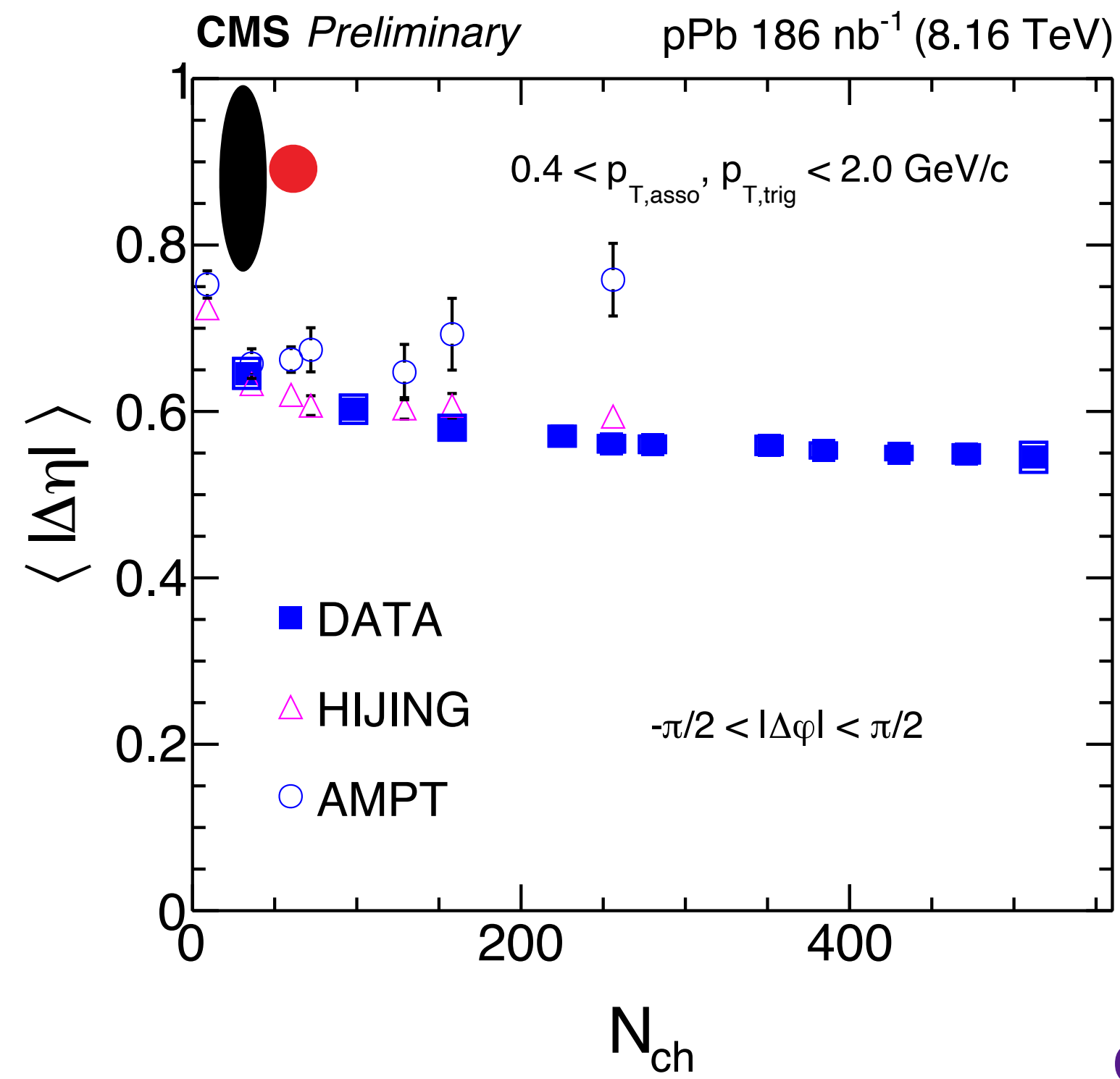
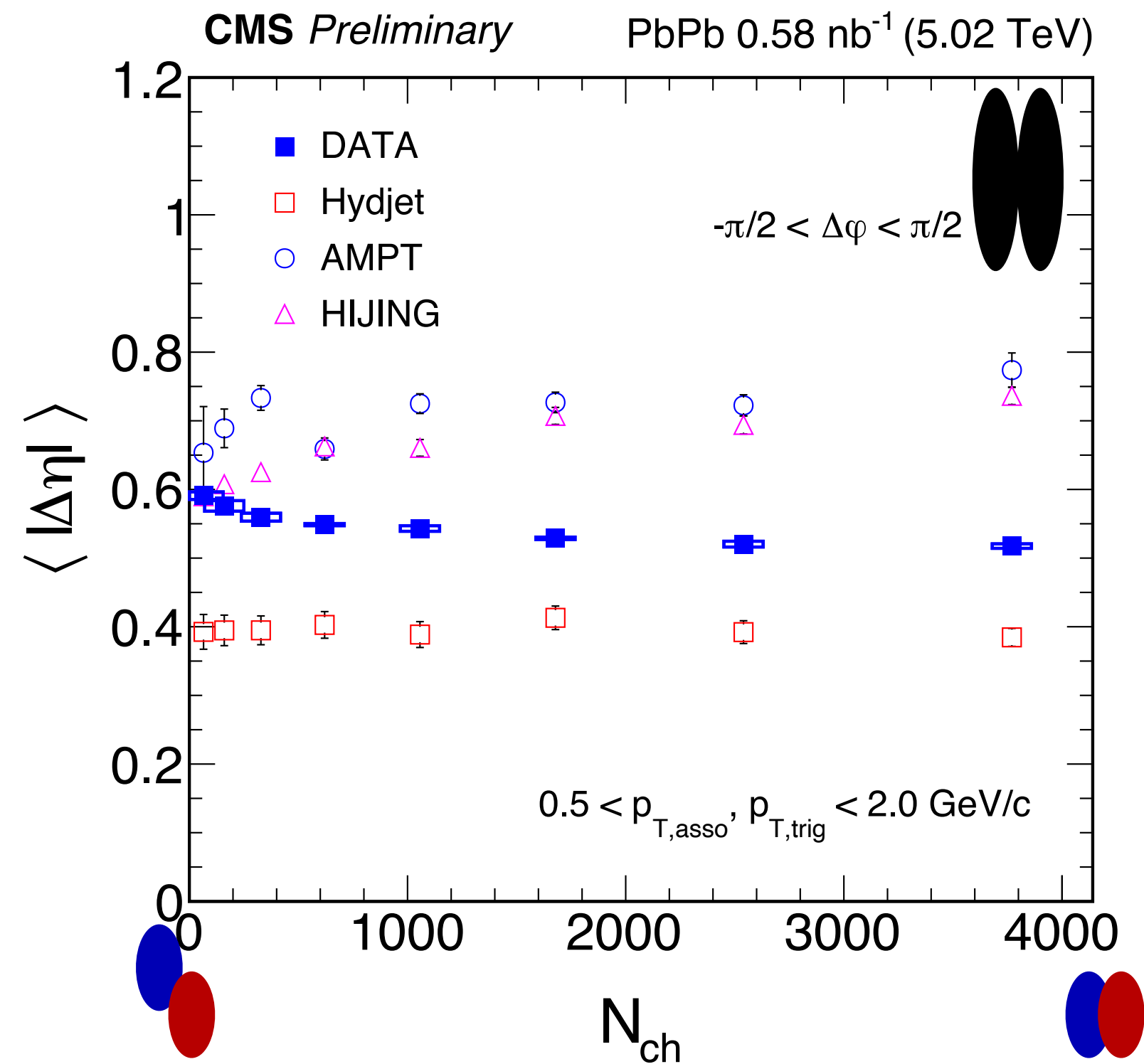
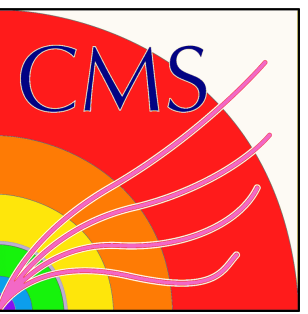
Phys.Lett.B 833 (2022) 137338

- Pairing fractions not dependent on centrality, except  $I^{\pi\pi} \Rightarrow$  quantitative **characterisation of the hadronisation of the QGP**





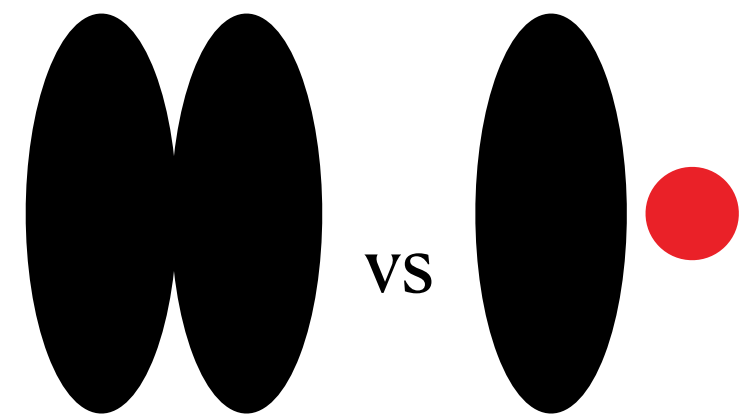
# Balance function: Charged hadrons



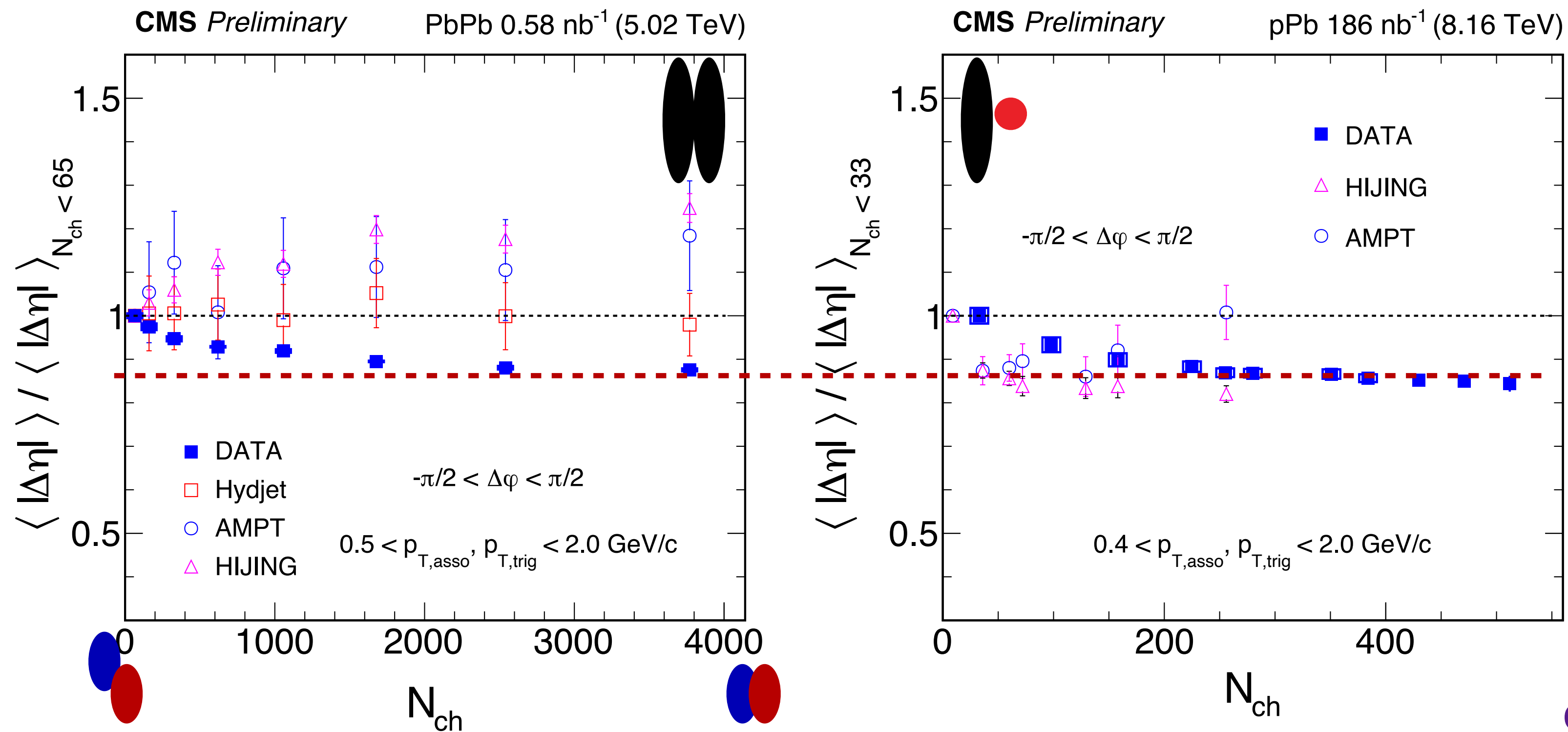
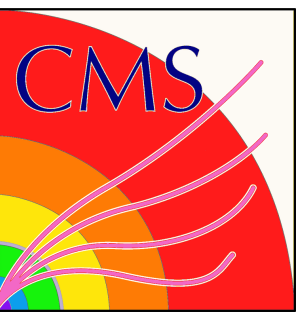
CMS-PAS-HIN-21-017

- Narrowing of width of BF towards central collisions
  - Radial flow, late particle production (coalescence)
- Similar behaviour in p–Pb collisions





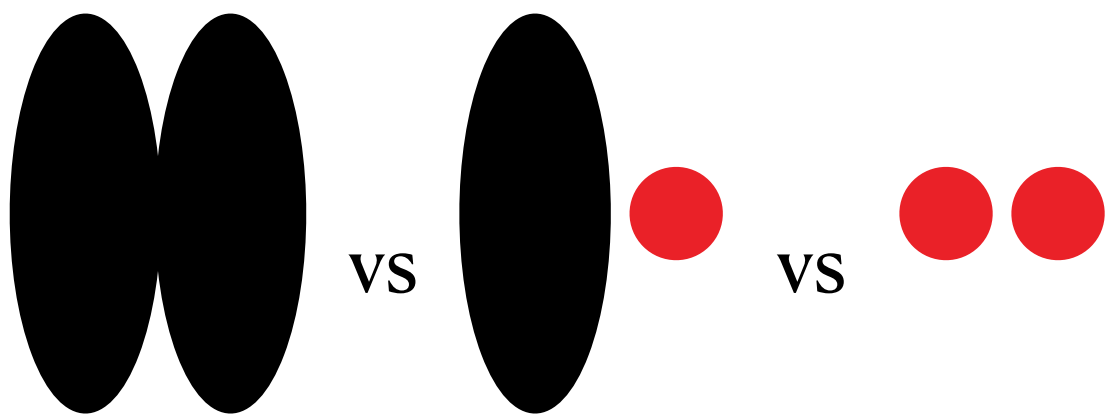
# Balance function: Charged hadrons



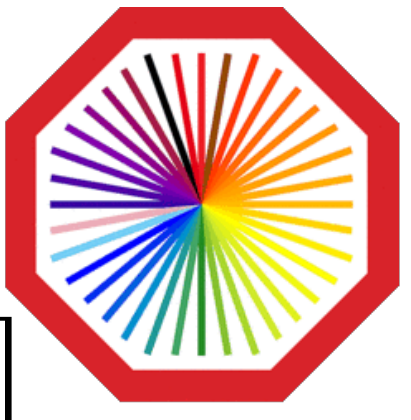
CMS-PAS-HIN-21-017

- Similar trends in p–Pb and Pb–Pb collisions
  - Consistent with the delayed hadronisation, **support collectivity** in p–Pb collisions
  - Models cannot describe data perfectly, though provide better description in  $\Delta\varphi$

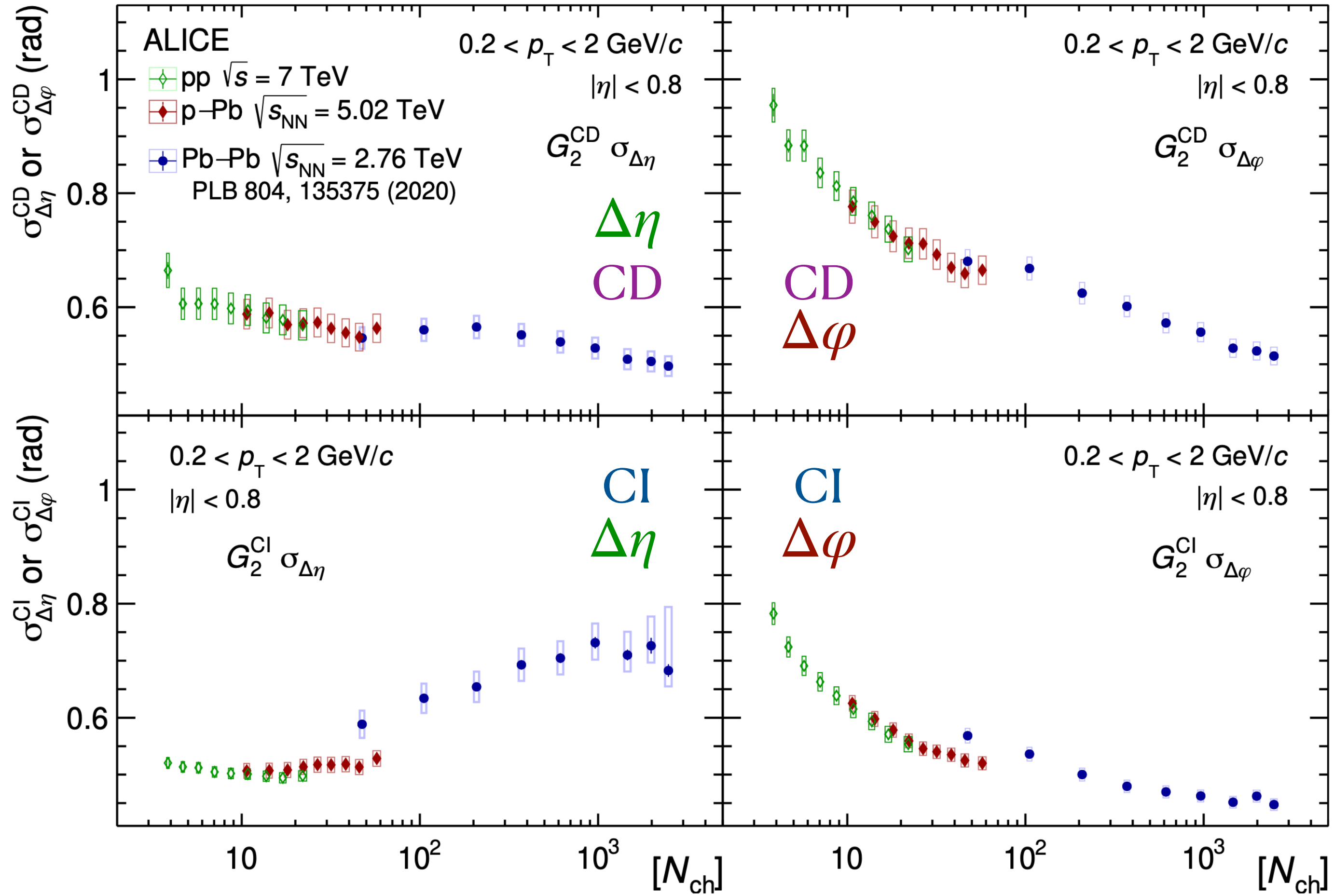




# $G_2$

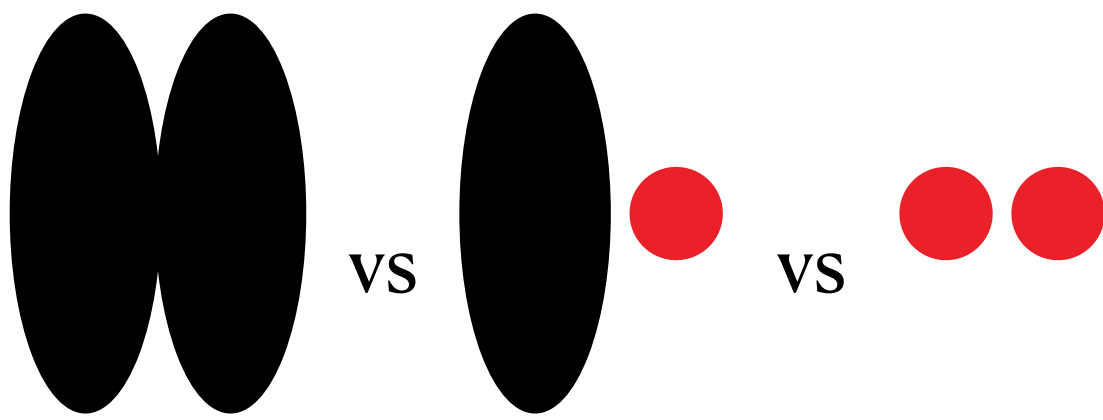


$$G_2 = \frac{1}{\langle p_{T,1} \rangle \langle p_{T,2} \rangle} \left[ \frac{\int_{\Omega} p_{T,1} p_{T,2} \rho_2(p_1, p_2) dp_{T,1} dp_{T,2}}{\int_{\Omega} \rho_1(p_1) dp_{T,1} \int_{\Omega} \rho_2(p_2) dp_{T,2}} - \langle p_{T,1} \rangle \langle p_{T,2} \rangle \right]$$

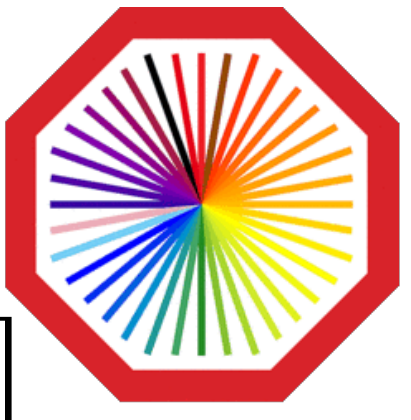


- $G_2^{CI}$  - sensitive to momentum current correlations
- Affected by mini-jets, radial flow etc.
- $G_2^{CD}$  - driven by hadronic decays, radial flow

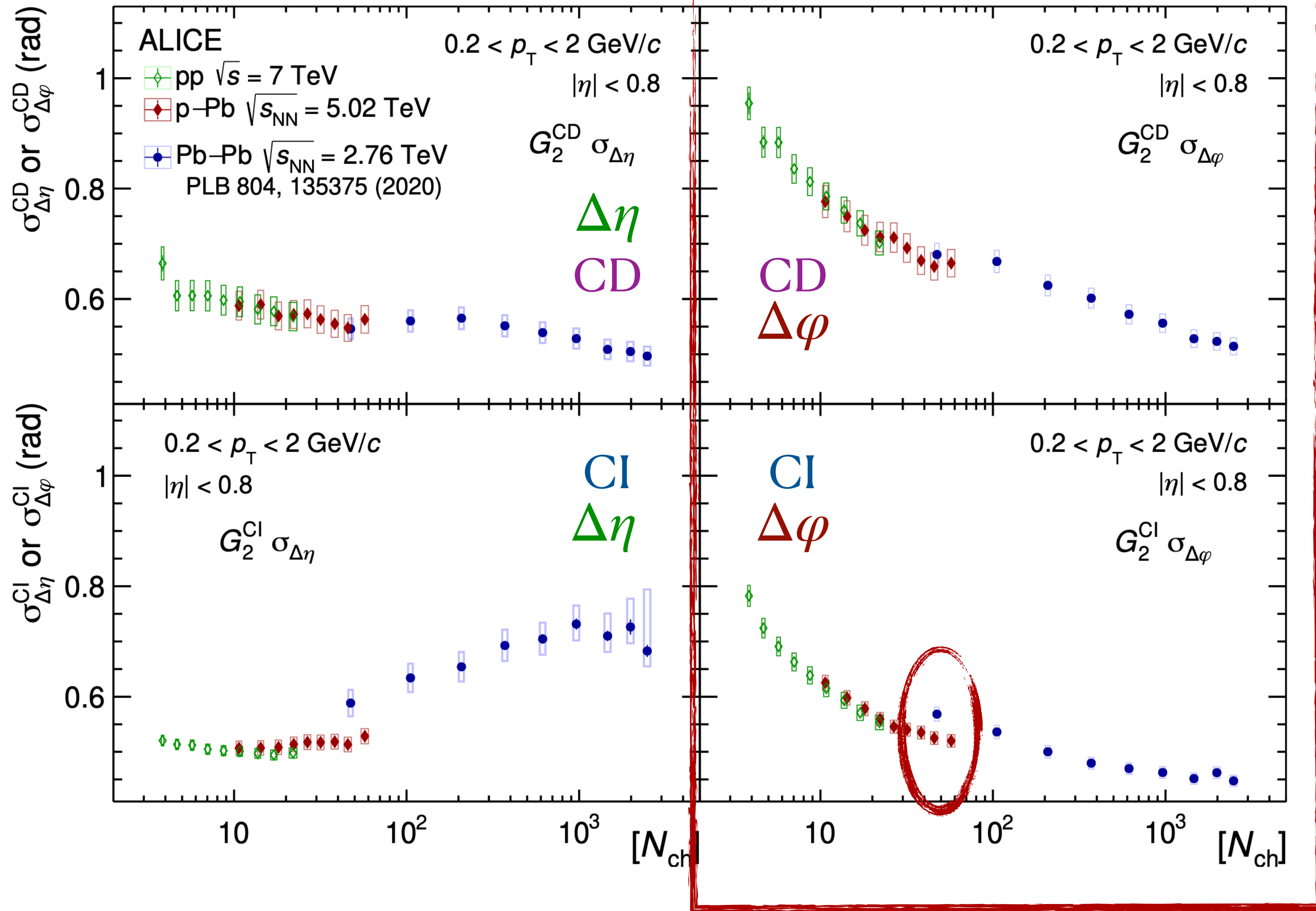




# $G_2$

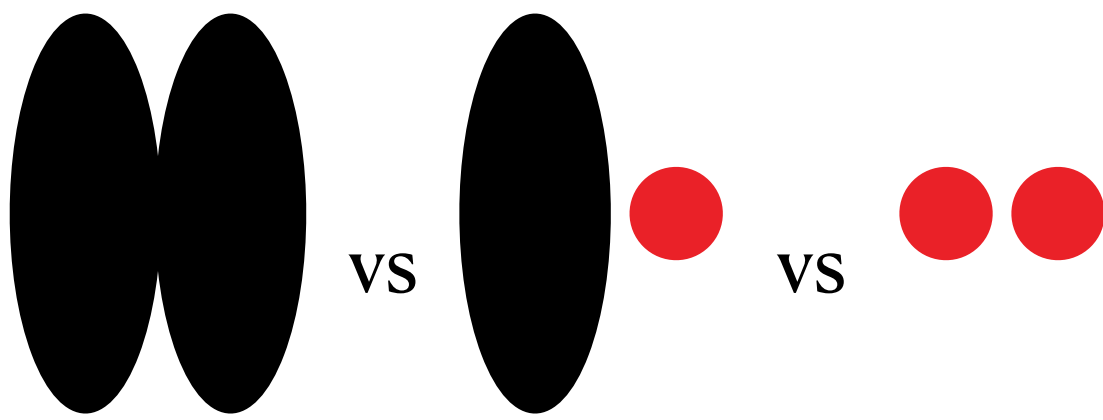


$$G_2 = \frac{1}{\langle p_{T,1} \rangle \langle p_{T,2} \rangle} \left[ \frac{\int_{\Omega} p_{T,1} p_{T,2} \rho_2(p_1, p_2) dp_{T,1} dp_{T,2}}{\int_{\Omega} \rho_1(p_1) dp_{T,1} \int_{\Omega} \rho_2(p_2) dp_{T,2}} - \langle p_{T,1} \rangle \langle p_{T,2} \rangle \right]$$

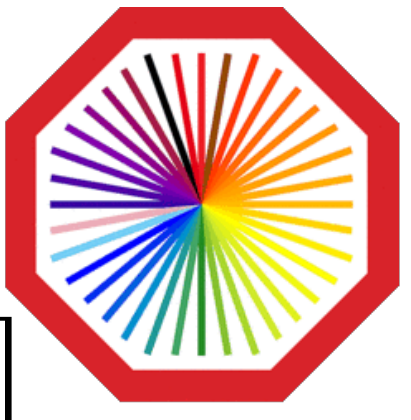


- $\Delta\phi$  - narrowing for both CI and CD
- $\langle p_T \rangle$  vs. Mult. increasing in small systems
- Difference in p-Pb and Pb-Pb - different system size

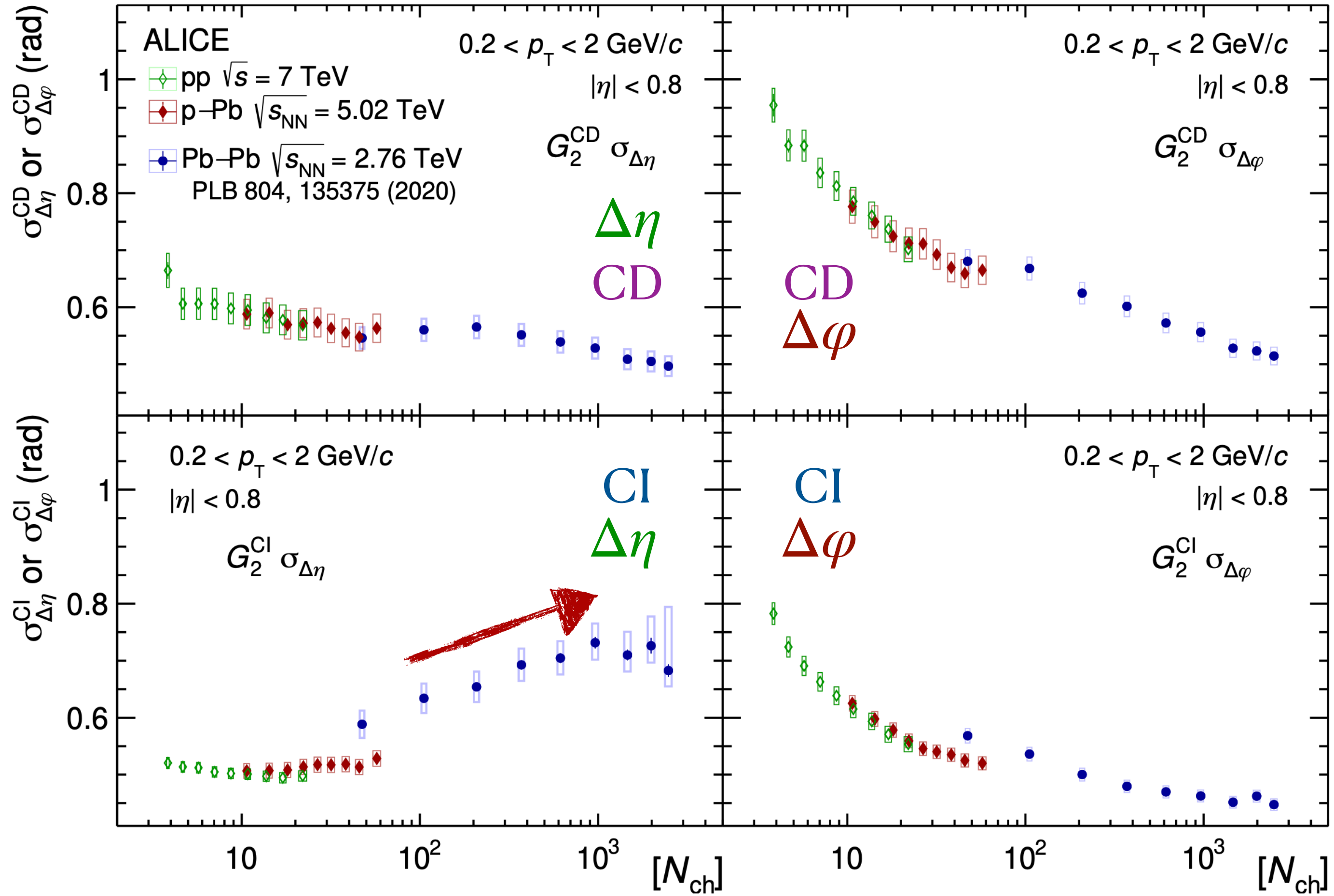




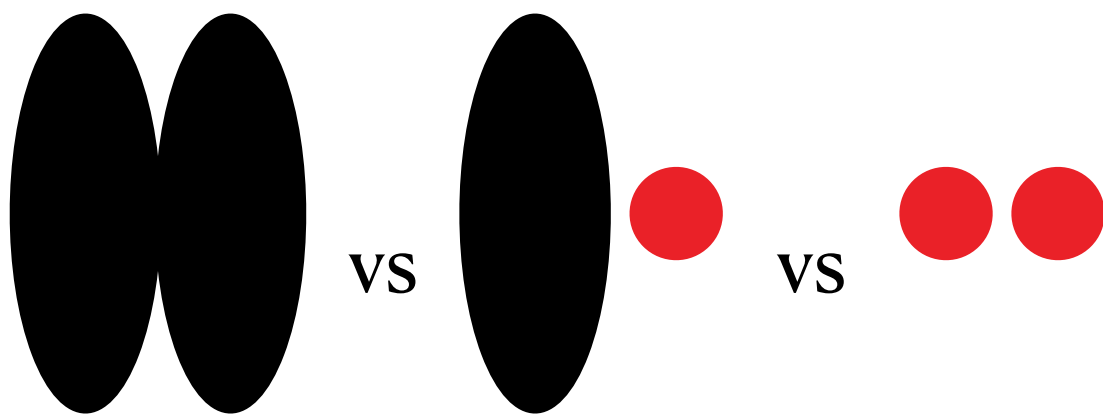
# $G_2$



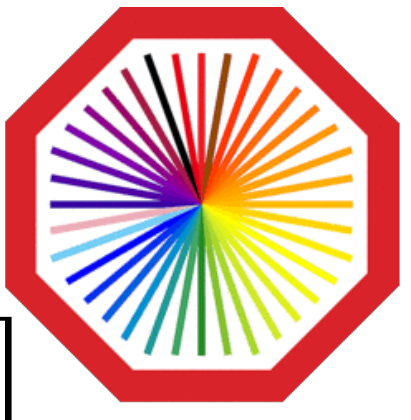
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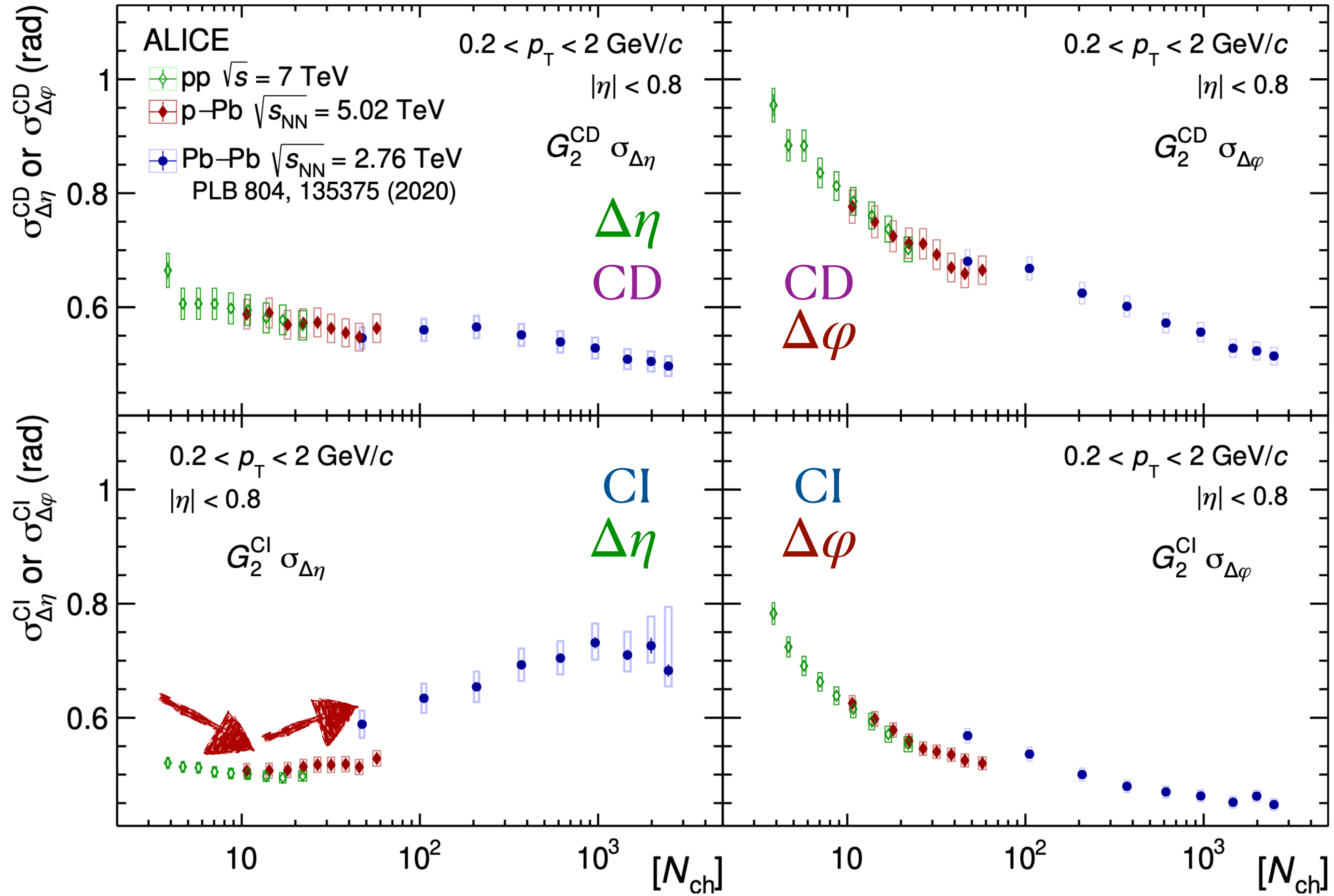
- $\Delta\eta$  CI - different for all three systems
- Pb-Pb - increase 24% - viscous effects of long-lived QGP with small  $\eta/s$



# $G_2$

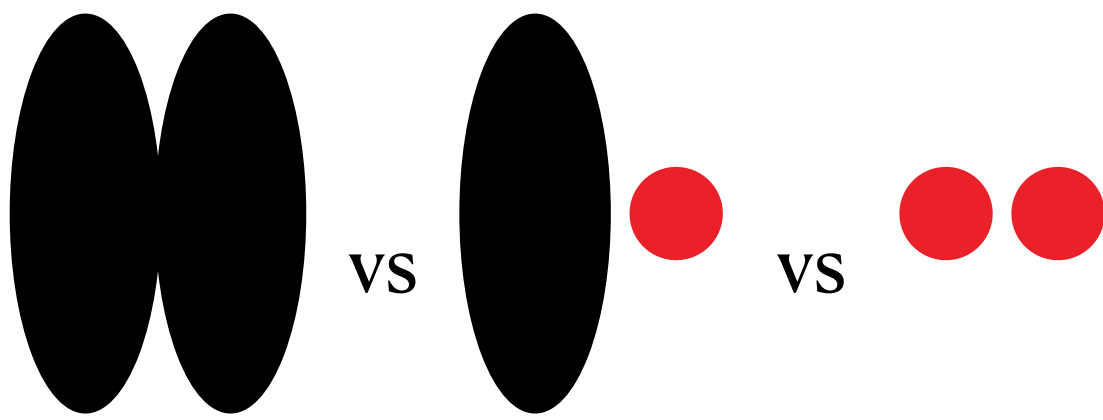


$$G_2 = \frac{1}{\langle p_{T,1} \rangle \langle p_{T,2} \rangle} \left[ \frac{\int_{\Omega} p_{T,1} p_{T,2} \rho_2(p_1, p_2) dp_{T,1} dp_{T,2}}{\int_{\Omega} \rho_1(p_1) dp_{T,1} \int_{\Omega} \rho_2(p_2) dp_{T,2}} - \langle p_{T,1} \rangle \langle p_{T,2} \rangle \right]$$

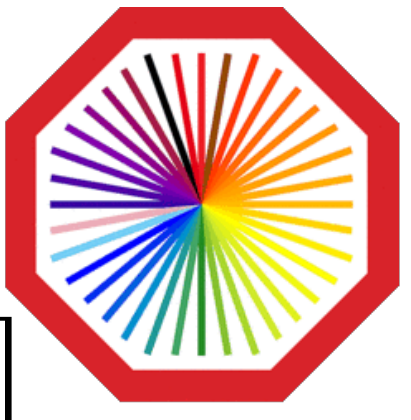


- $\Delta\eta$  CI - different for all three systems
- Pb–Pb - increase 24% - viscous effects of long-lived QGP with small  $\eta/s$
- pp - slight decrease, p–Pb slight increase
- **Too small for viscous forces to equilibrate?**
- Different explanations?

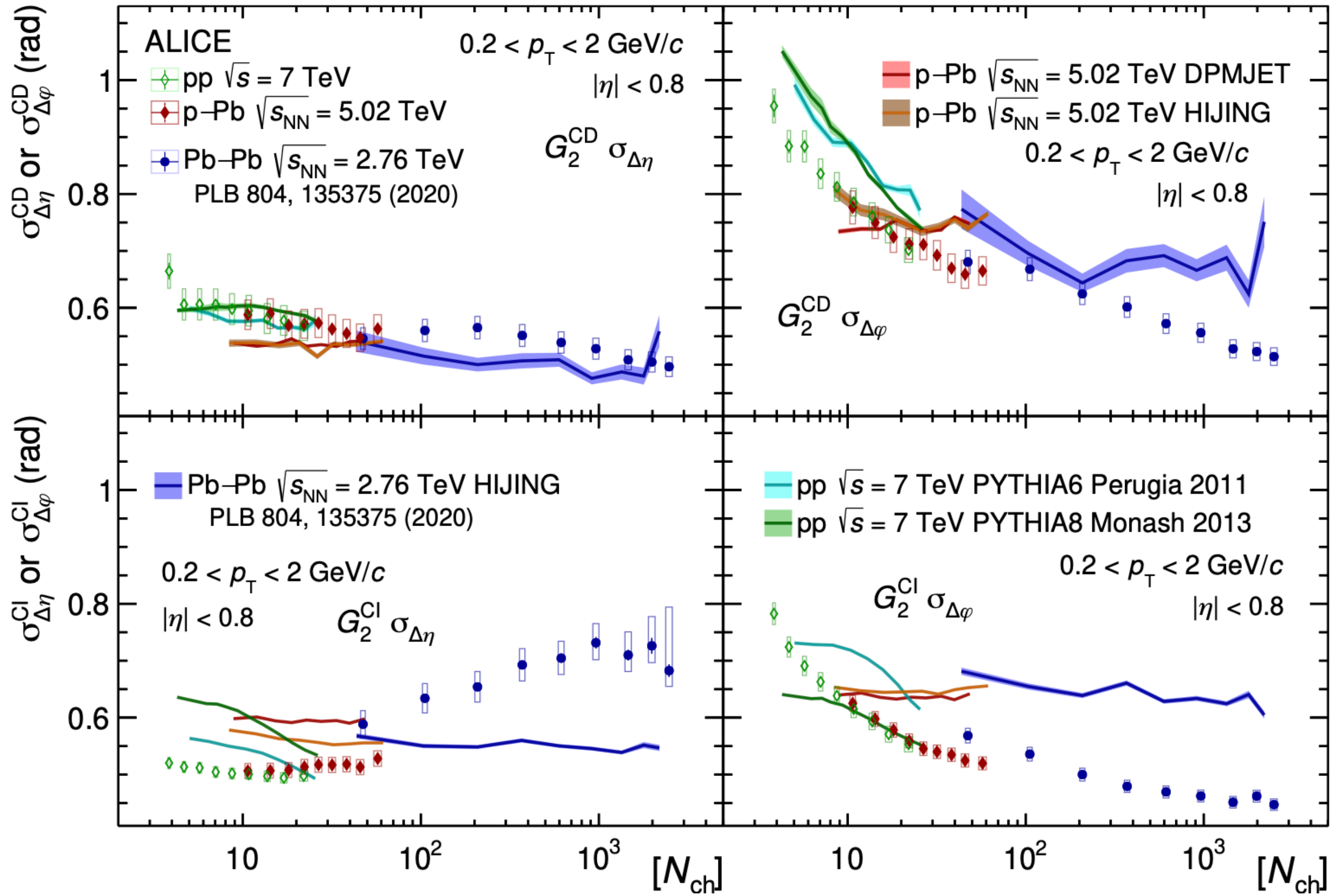




# $G_2$



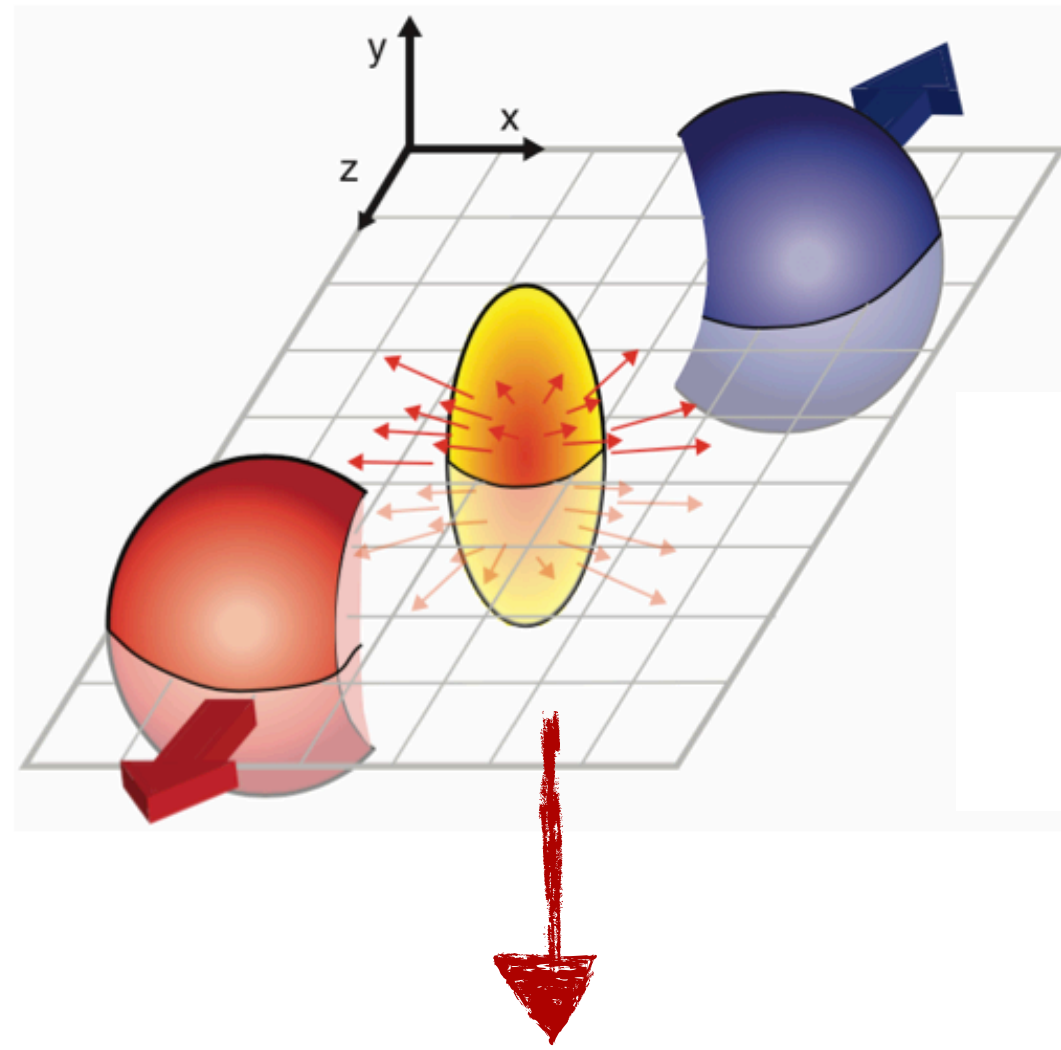
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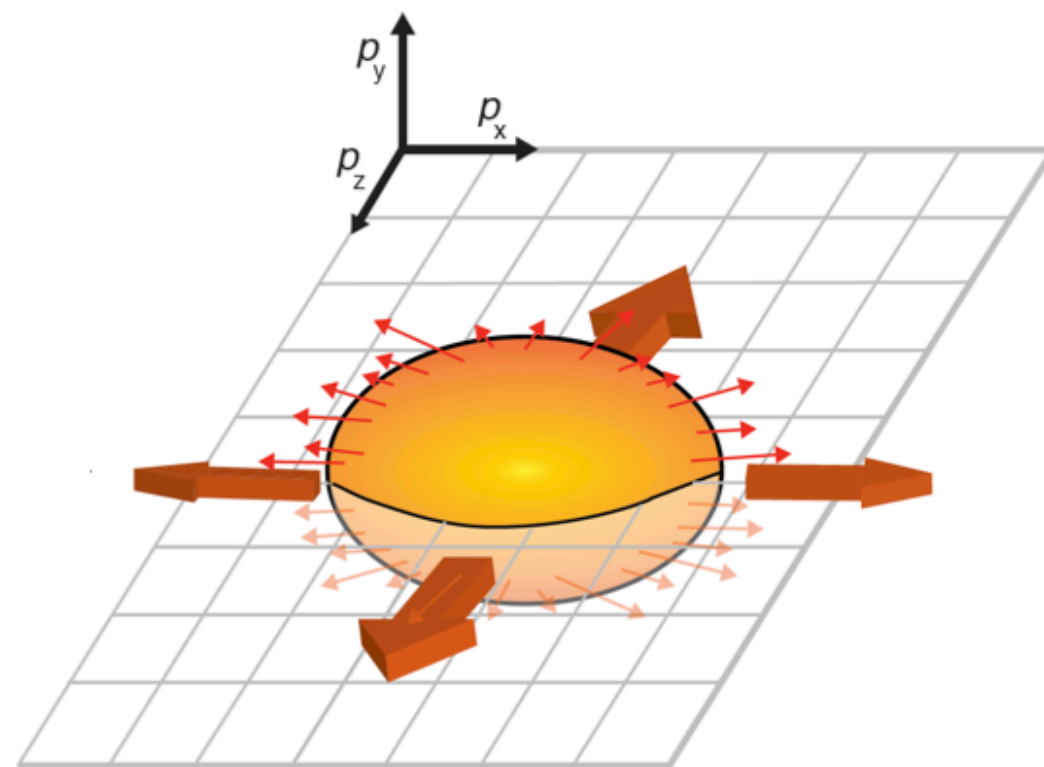
- $\Delta\eta$  CI - different for all three systems
- Pb-Pb - increase 24% - viscous effects of long-lived QGP with small  $\eta/s$
- pp - slight decrease, p-Pb slight increase
- Too small for viscous forces to equilibrate?
- Different explanations
- Models without collective effects do not describe data

# Anisotropic flow

**Initial spatial anisotropy**



**Final anisotropy in momentum space**



- Reflects the conversion of the initial-state spatial anisotropy into final-state anisotropies in momentum space
- Anisotropy in distribution of final-state particles:

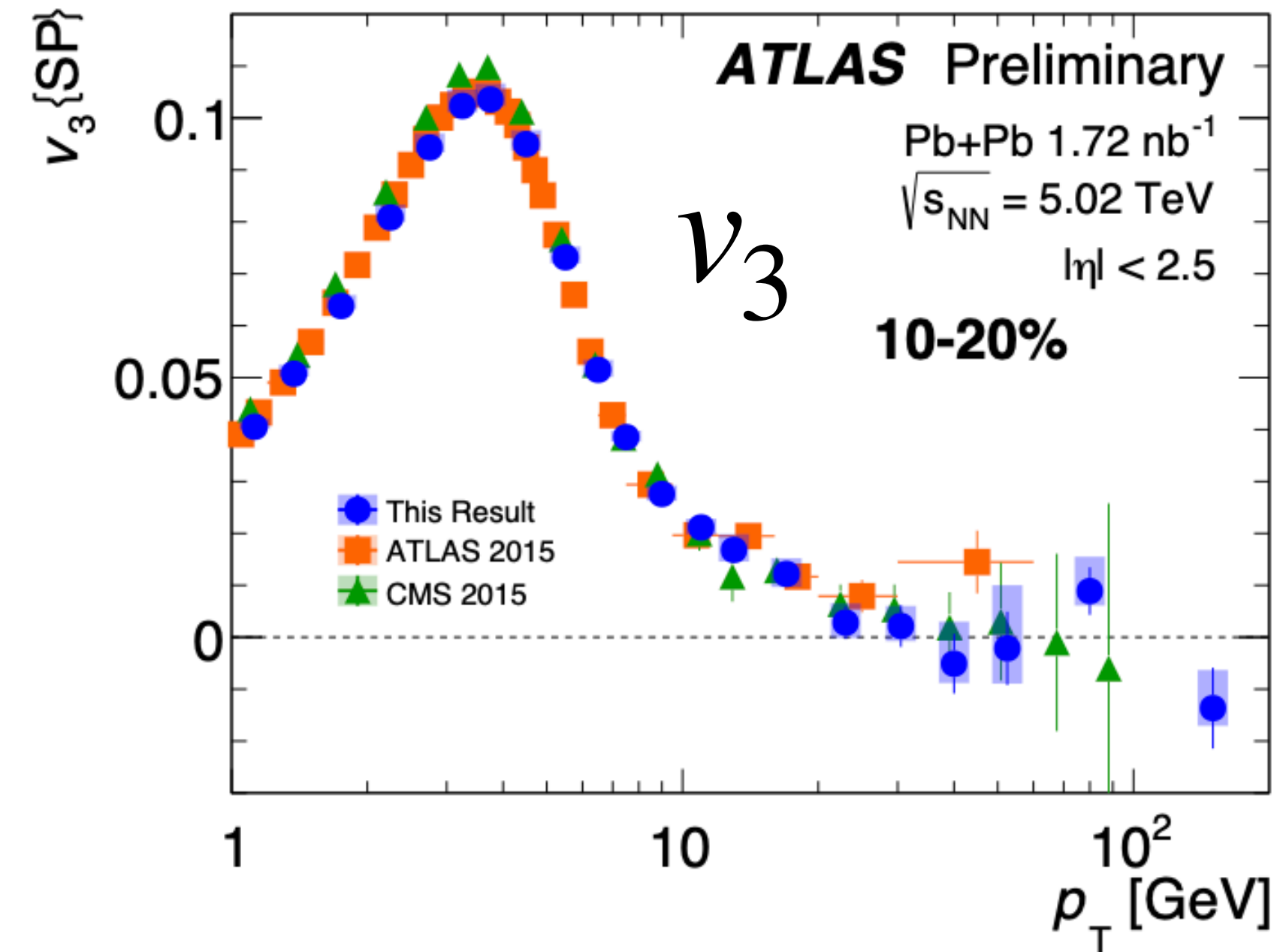
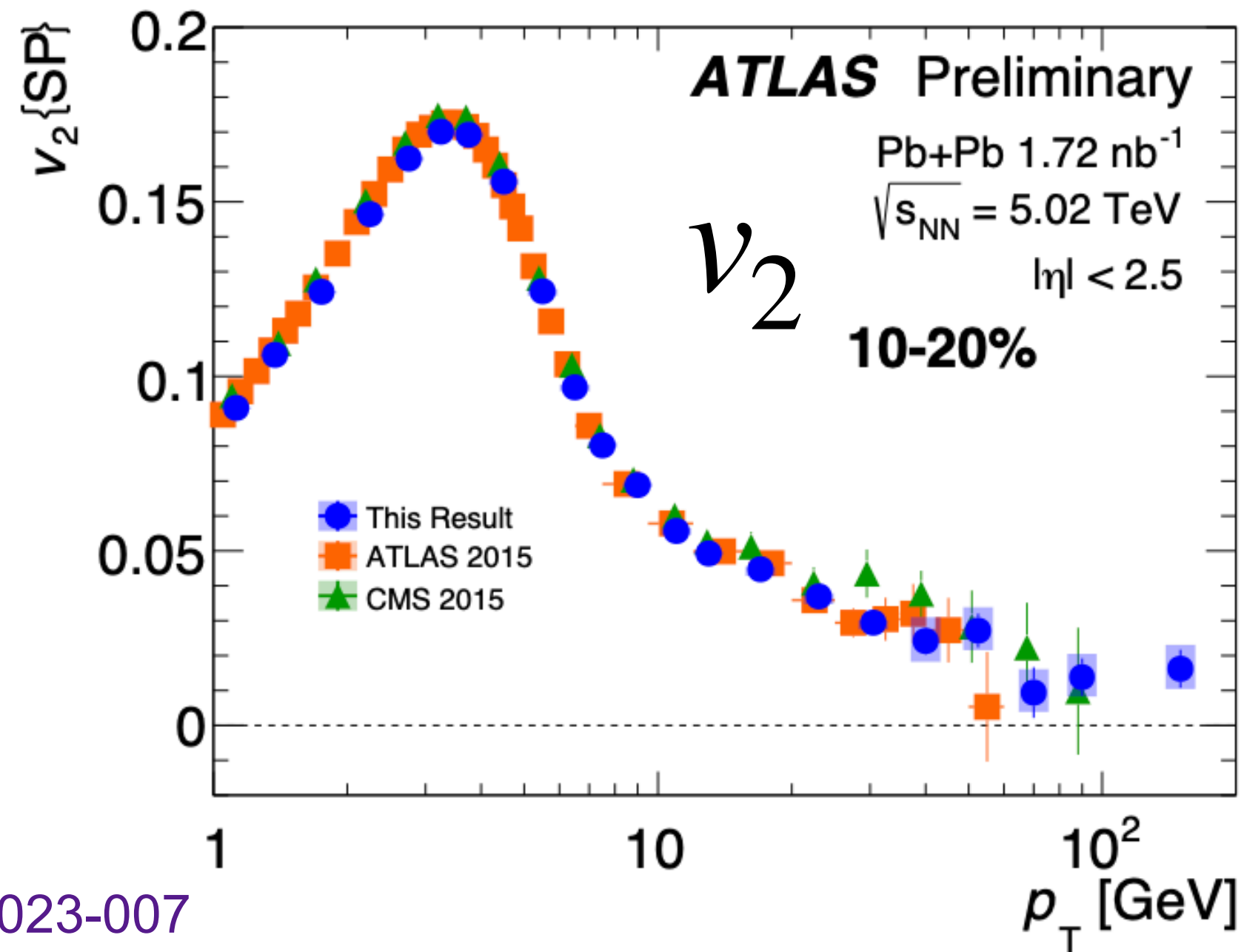
$$\frac{dN}{d\varphi} \propto 1 + 2 \sum_{n=1}^{\infty} v_n \cos n(\varphi - \Psi_n)$$

$$v_n = \langle \cos(n(\varphi - \psi_n)) \rangle$$

- Initial conditions and transport properties of the created medium (low  $p_T$ )
- Initial geometry affects energy loss of hard hadrons (high  $p_T$ )



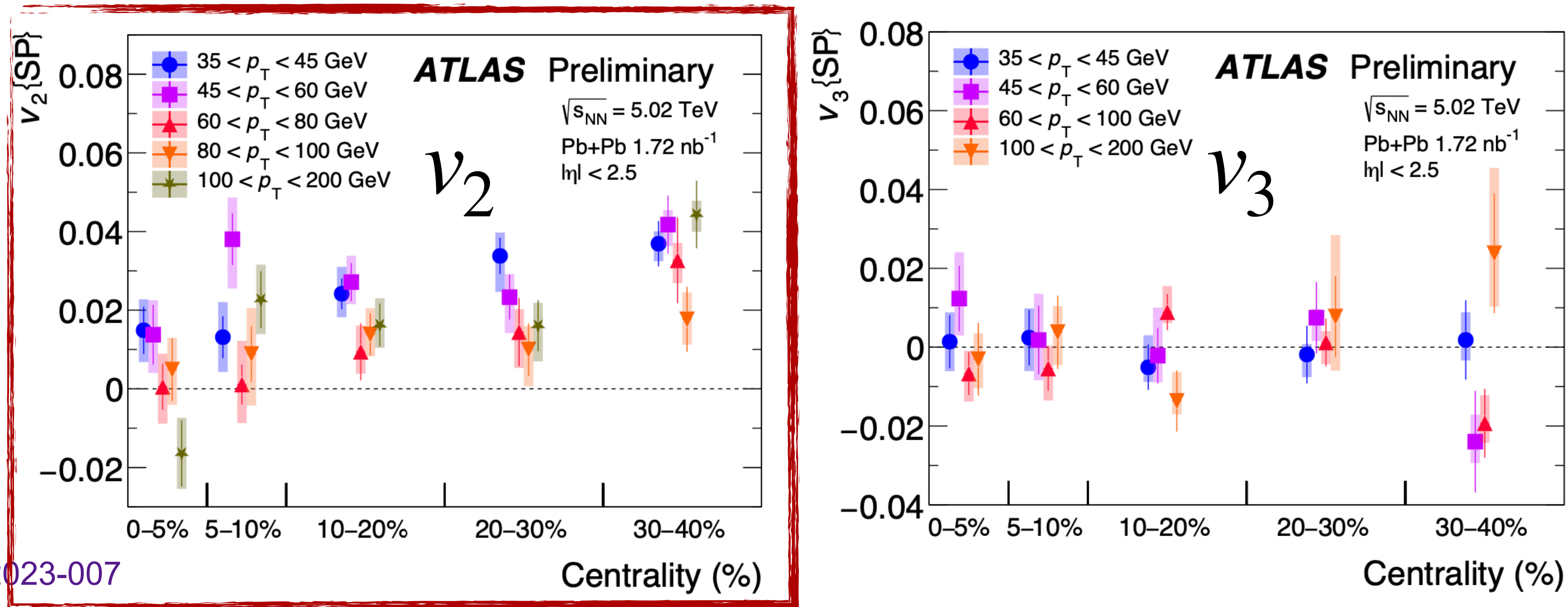
# $v_n$ up to high $p_T$ in Pb—Pb



ATLAS-CONF-2023-007

- First measurement of Fourier coefficients up to  $p_T = 200$  GeV/c
- Compatible with previous measurements
  - Decreased uncertainties

# $v_n$ up to high $p_T$ in Pb—Pb

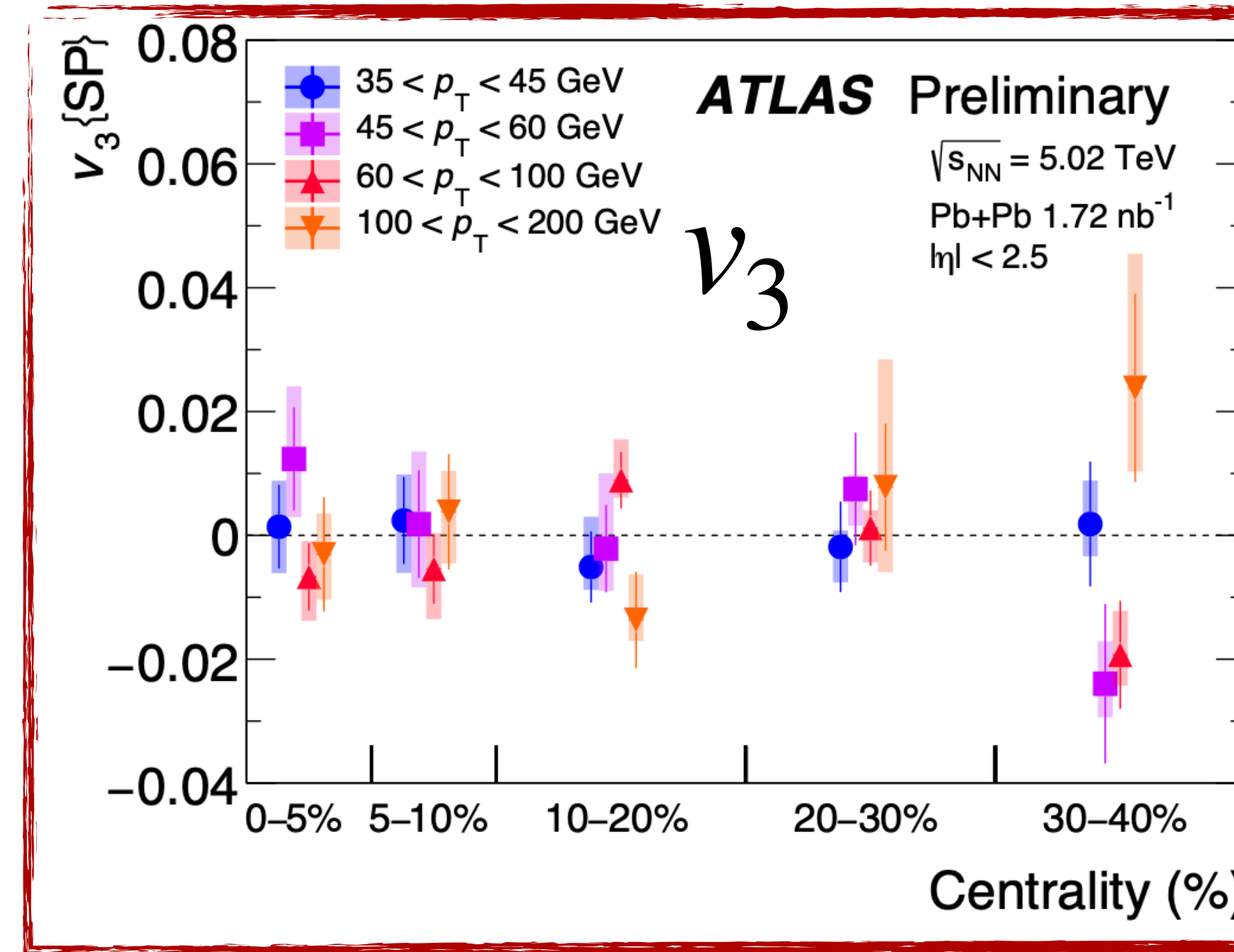
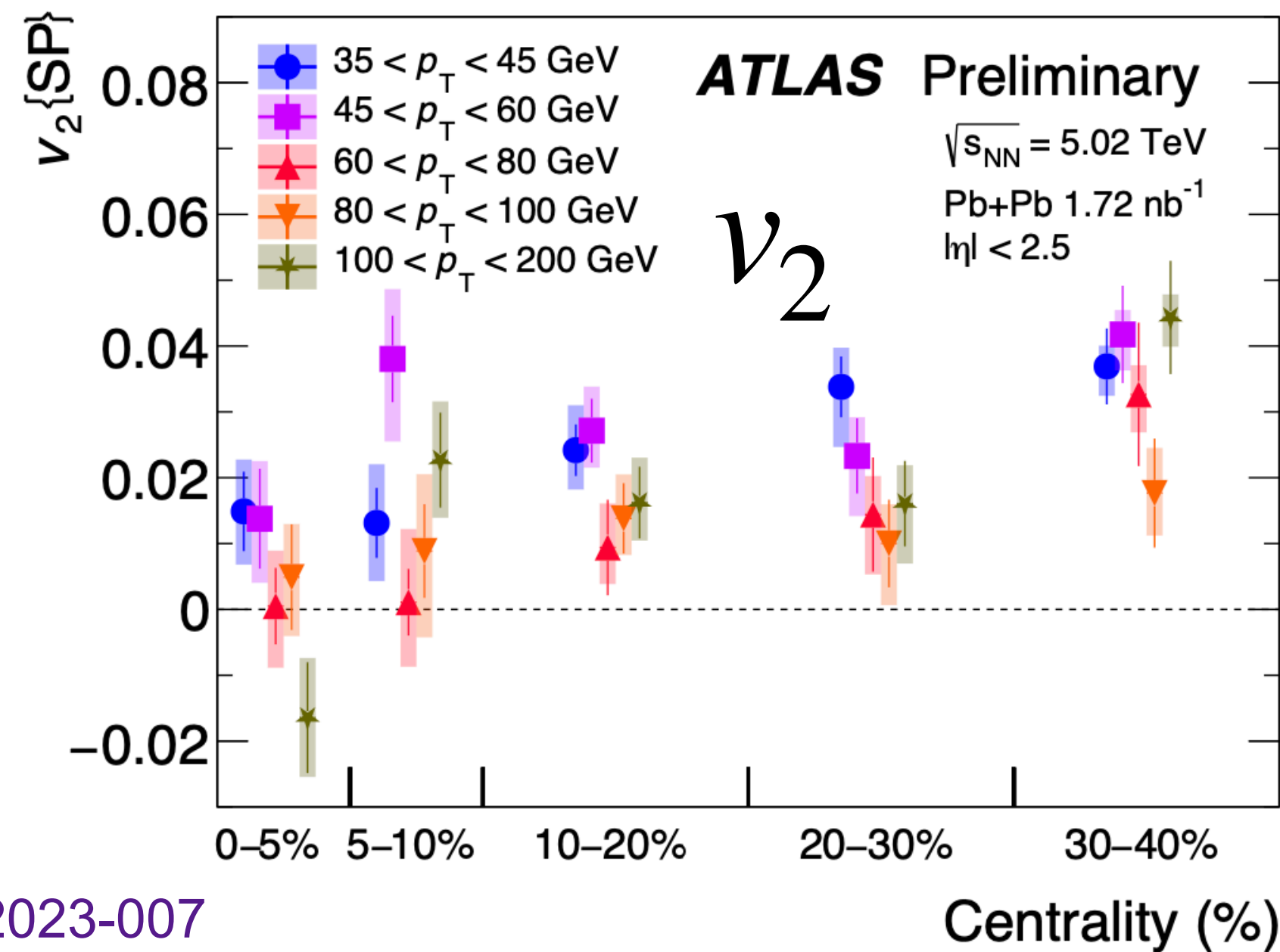


ATLAS-CONF-2023-007

- Non-zero  $v_2$  at high  $p_T$ 
  - Increasing towards semicentral collisions
  - **Hard hadrons influenced by initial geometry**

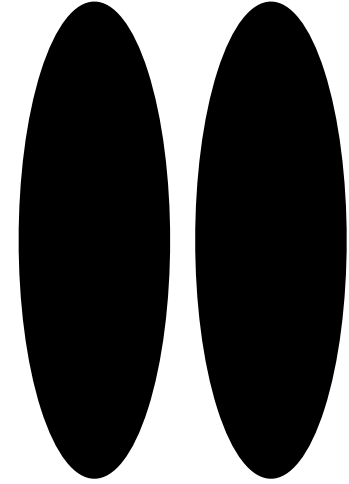


# $v_n$ up to high $p_T$ in Pb—Pb

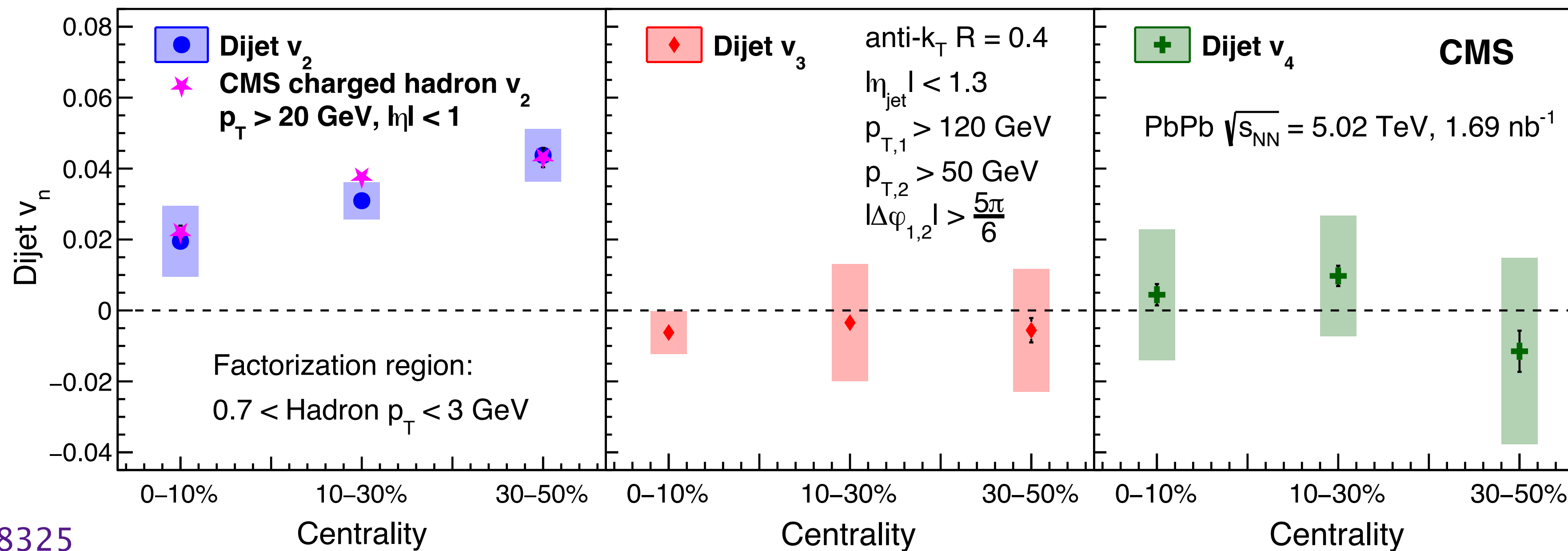


ATLAS-CONF-2023-007

- Non-zero  $v_2$  at high  $p_T$ 
  - Increasing towards semicentral collisions
  - Hard hadrons influenced by initial geometry
- $v_3$  at high  $p_T$  compatible with zero
  - **Hard hadrons not influenced by initial fluctuations**



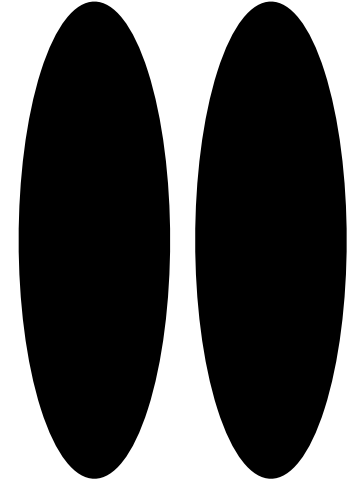
# $v_n$ of dijets (Pb—Pb)



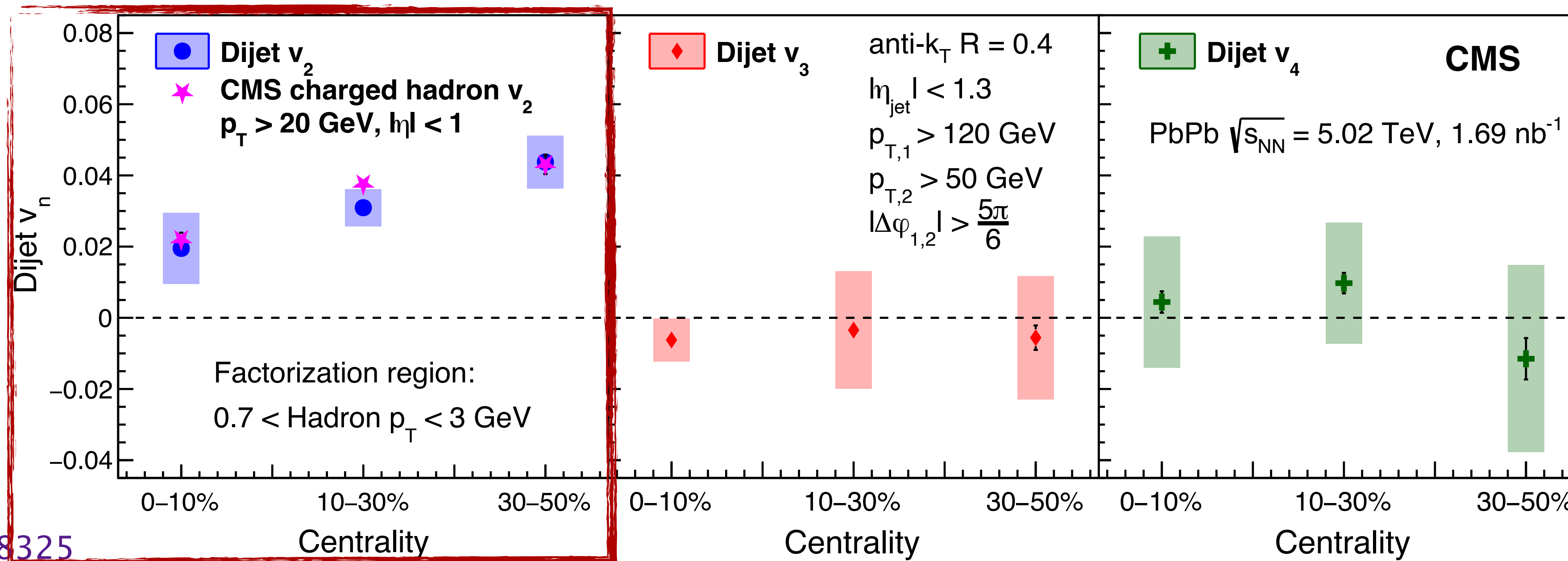
[arXiv:2210.08325](https://arxiv.org/abs/2210.08325)

- Fourier coefficients of dijets measured with two-particle correlations



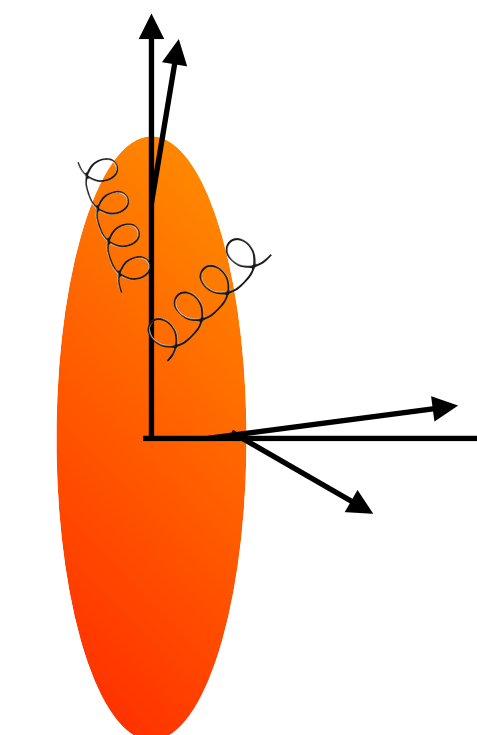


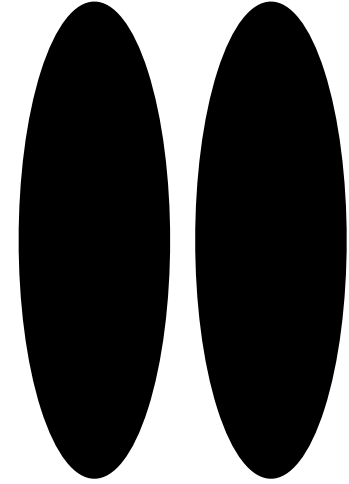
# $v_n$ of dijets (Pb—Pb)



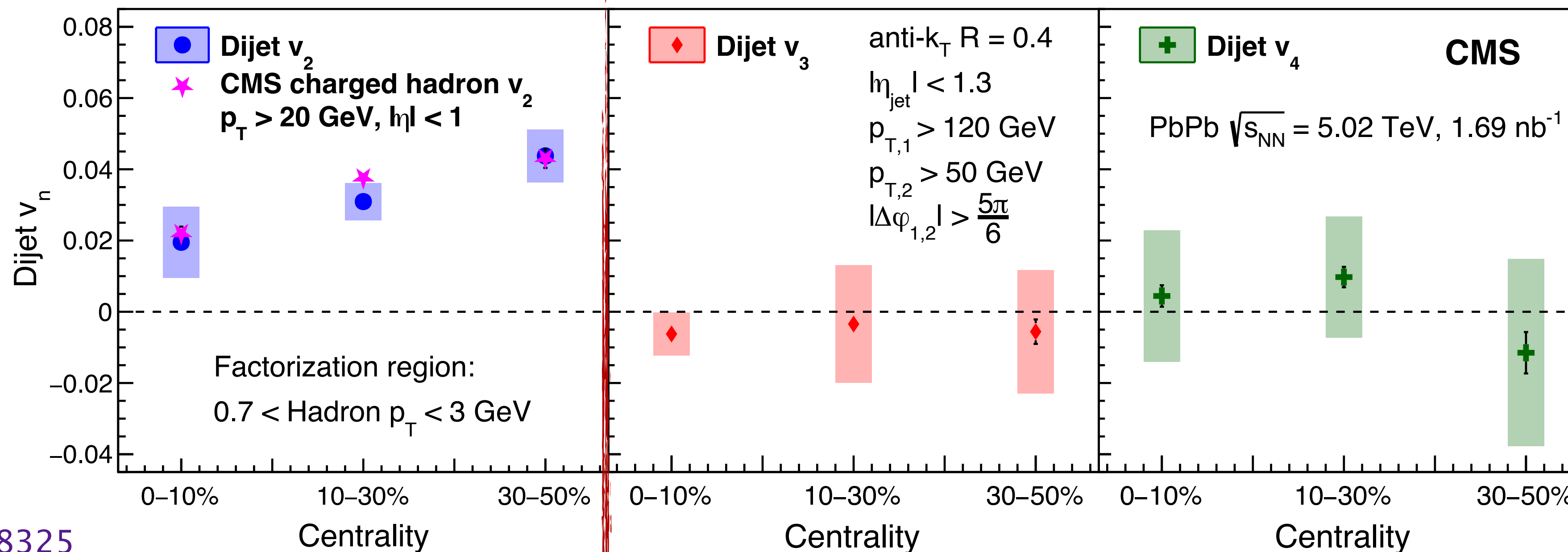
[arXiv:2210.08325](https://arxiv.org/abs/2210.08325)

- Fourier coefficients of dijets measured with two-particle correlations
- Non-zero  $v_2$ :
  - **More jets observed coplanar with event plane**
  - Less energy loss  $\rightarrow$  higher chance to pass selection criteria





# $v_n$ of dijets (Pb—Pb)

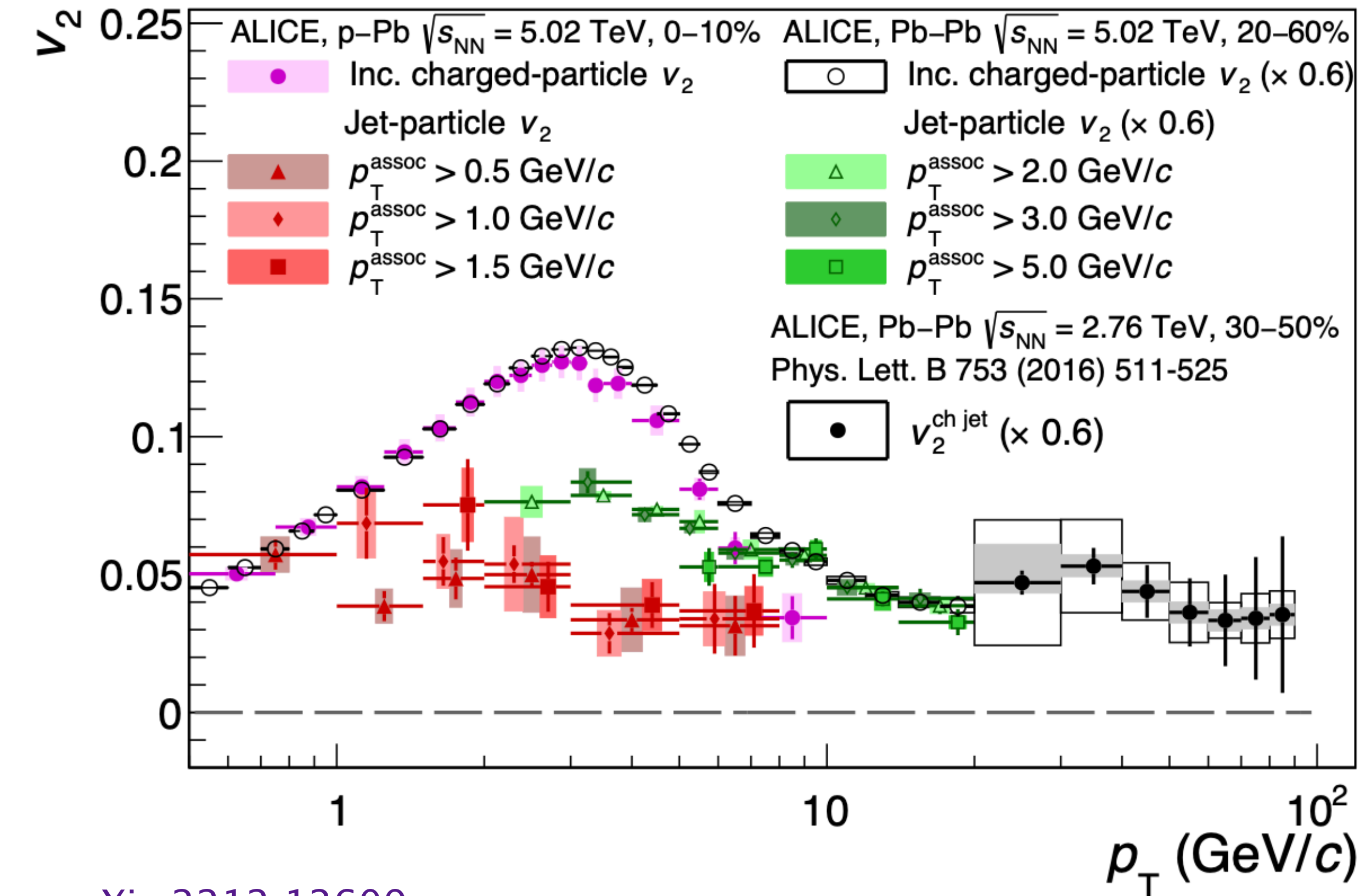


[arXiv:2210.08325](https://arxiv.org/abs/2210.08325)

- Fourier coefficients of dijets measured with two-particle correlations
- Non-zero  $v_2$ :
  - **More jets observed coplanar with event plane**
    - Less energy loss  $\rightarrow$  higher chance to pass selection criteria
- $v_3, v_4$  compatible with zero:
  - The fluctuations in the initial state **do not impact** the azimuthal distributions of dijets

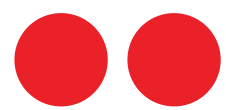


# $v_2$ of particles in jets (p–Pb, Pb–Pb)

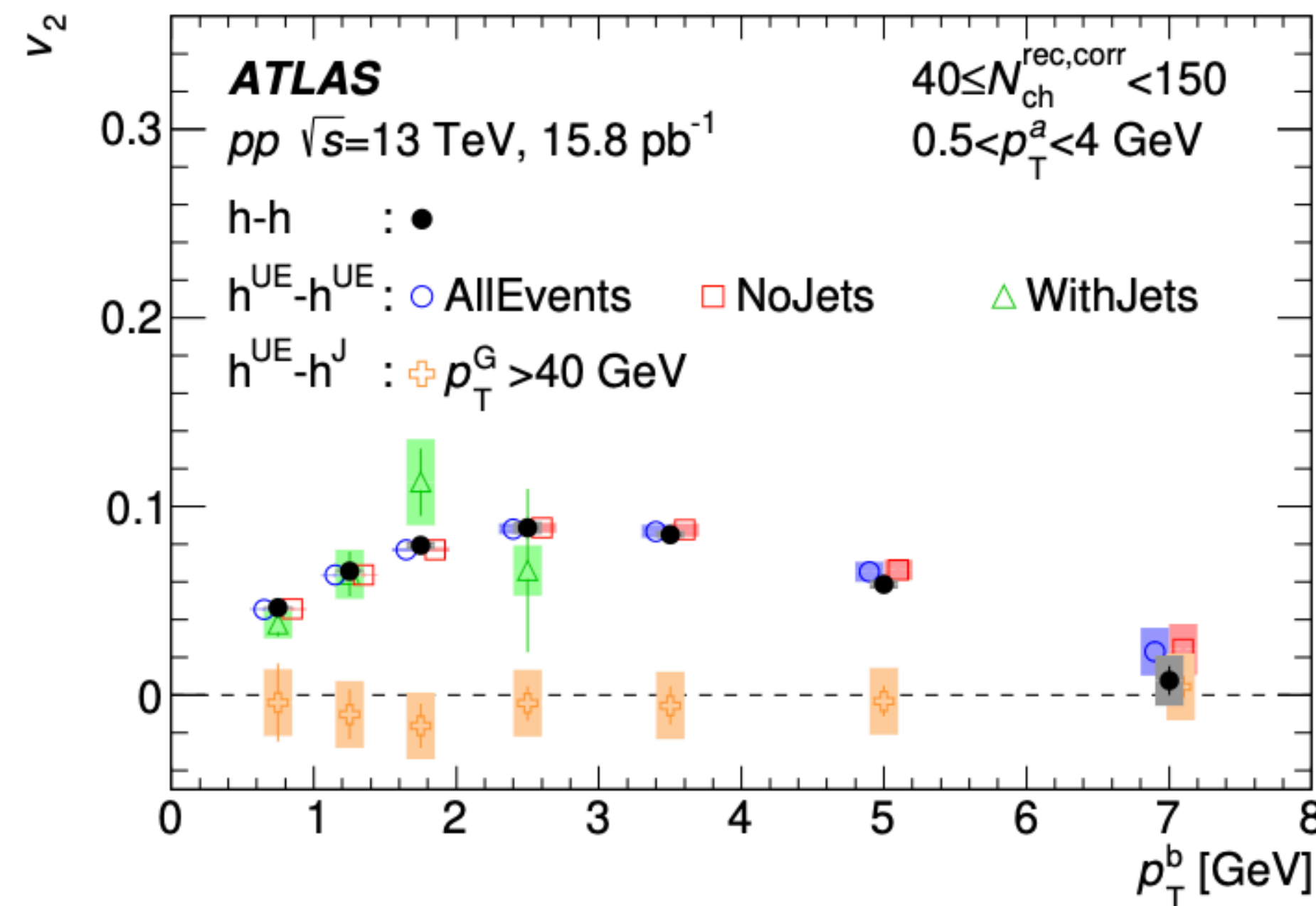
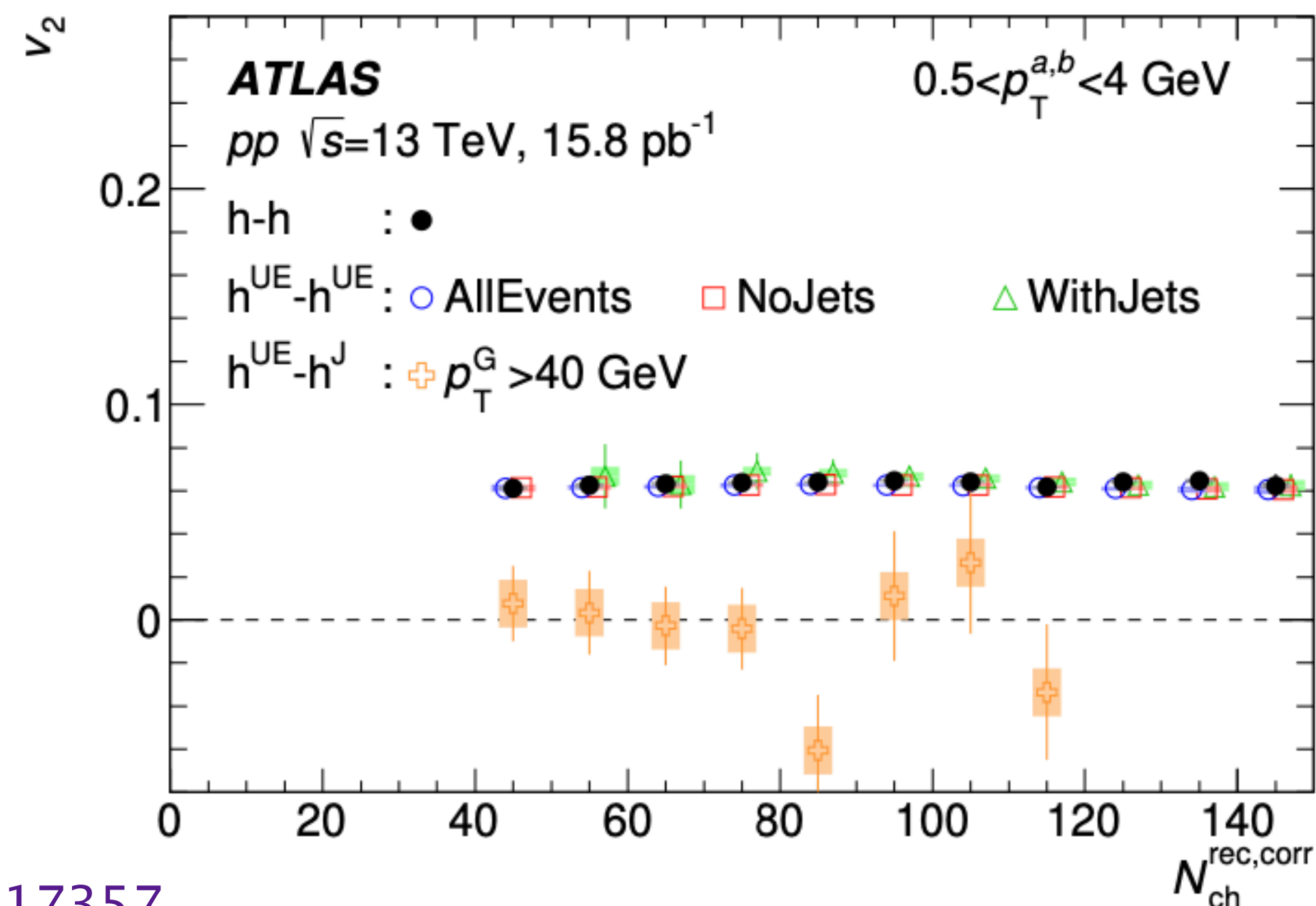


- **Non-zero jet  $v_2$**  in p–Pb and Pb–Pb collisions
- Smaller magnitude than inclusive  $v_2$
- No dependence on  $p_T^{assoc}$
- At high  $p_T$  - similar magnitude as in Pb–Pb
- $v_2$  driven by the non-equilibrium anisotropic parton escape mechanism

arXiv:2212.12609



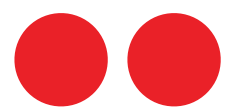
# $v_2$ of particles in jets (pp)



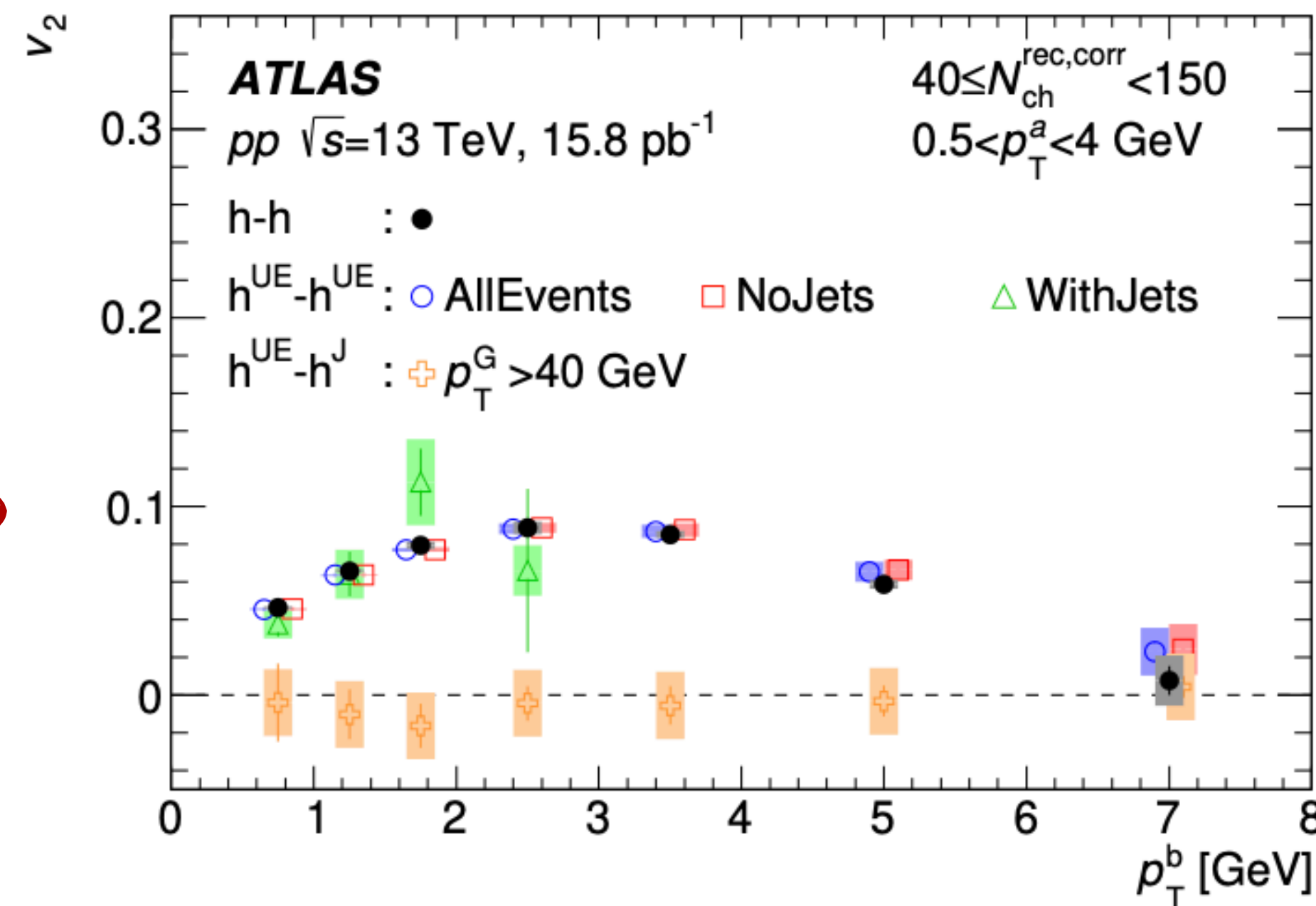
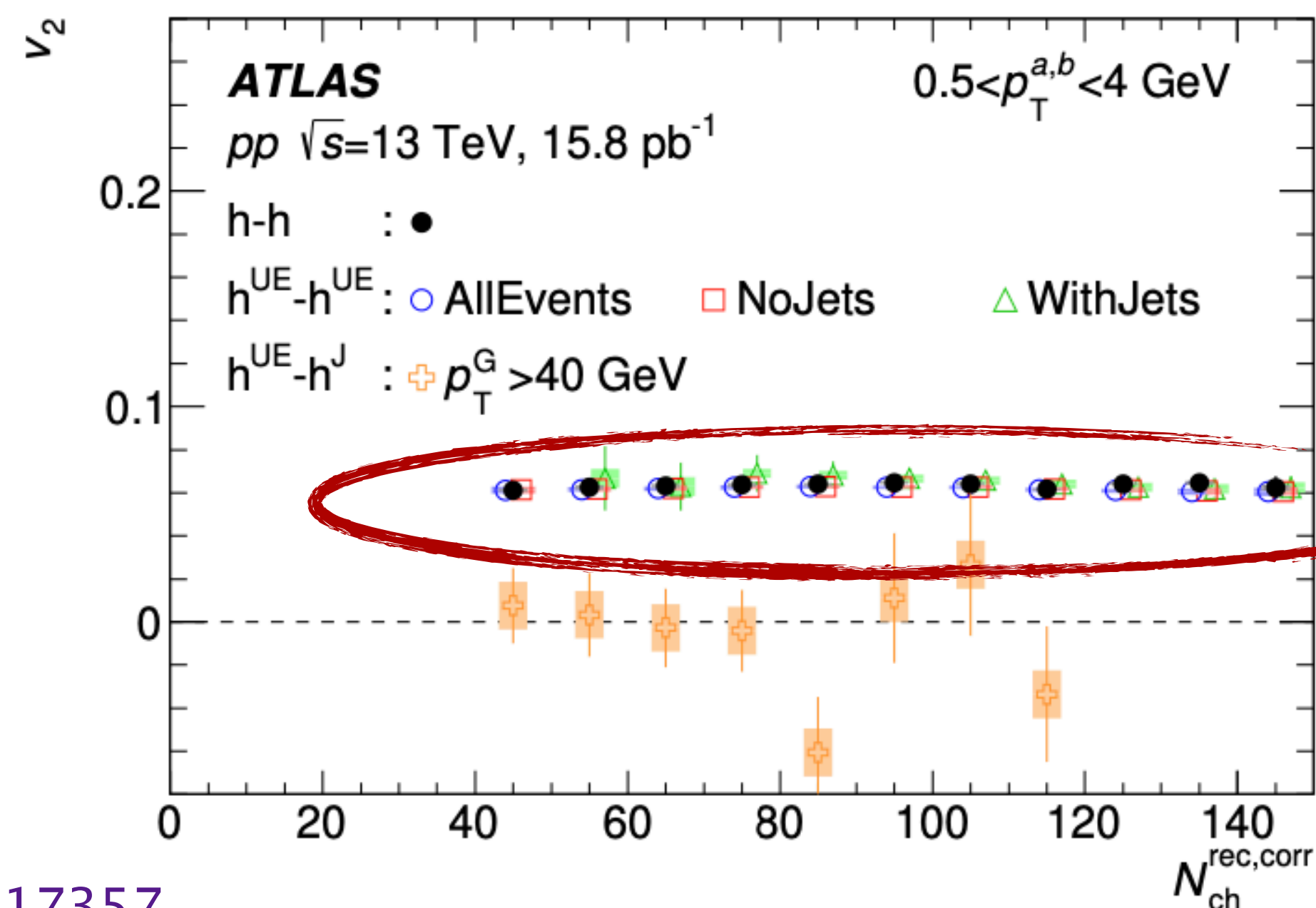
[arXiv:2303.17357](https://arxiv.org/abs/2303.17357)

- Study of influence of jets on inclusive  $v_2$  and jet  $v_2$  - origin of  $v_n$  in pp?
- $h^{\text{UE}}$  separated by  $\Delta\eta > 1$  from jet with  $p_T > 15 \text{ GeV}/c$
- $h^{\text{J}}$  constituents of jets



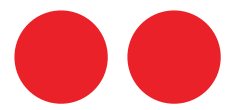


# $v_2$ of particles in jets (pp)

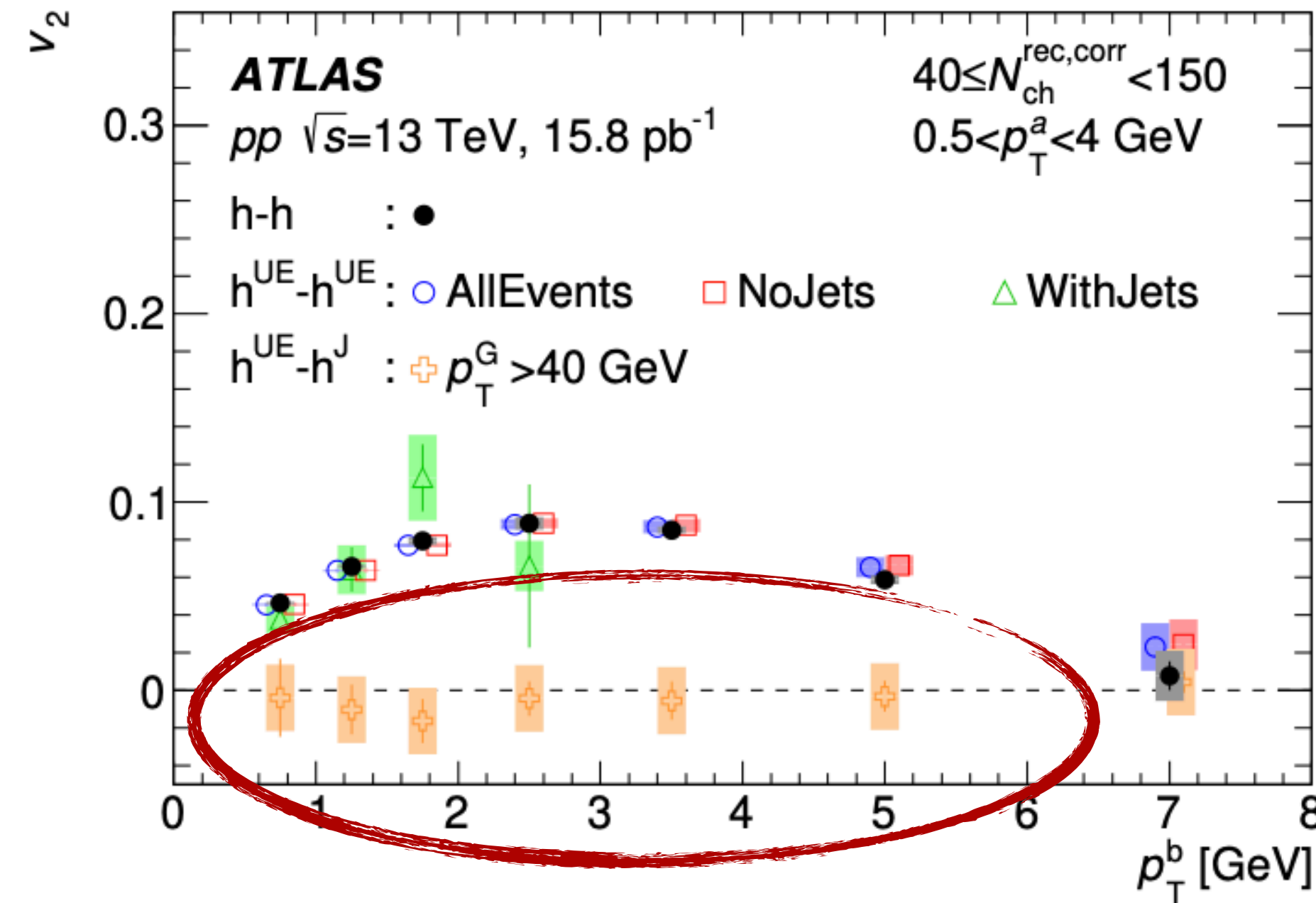
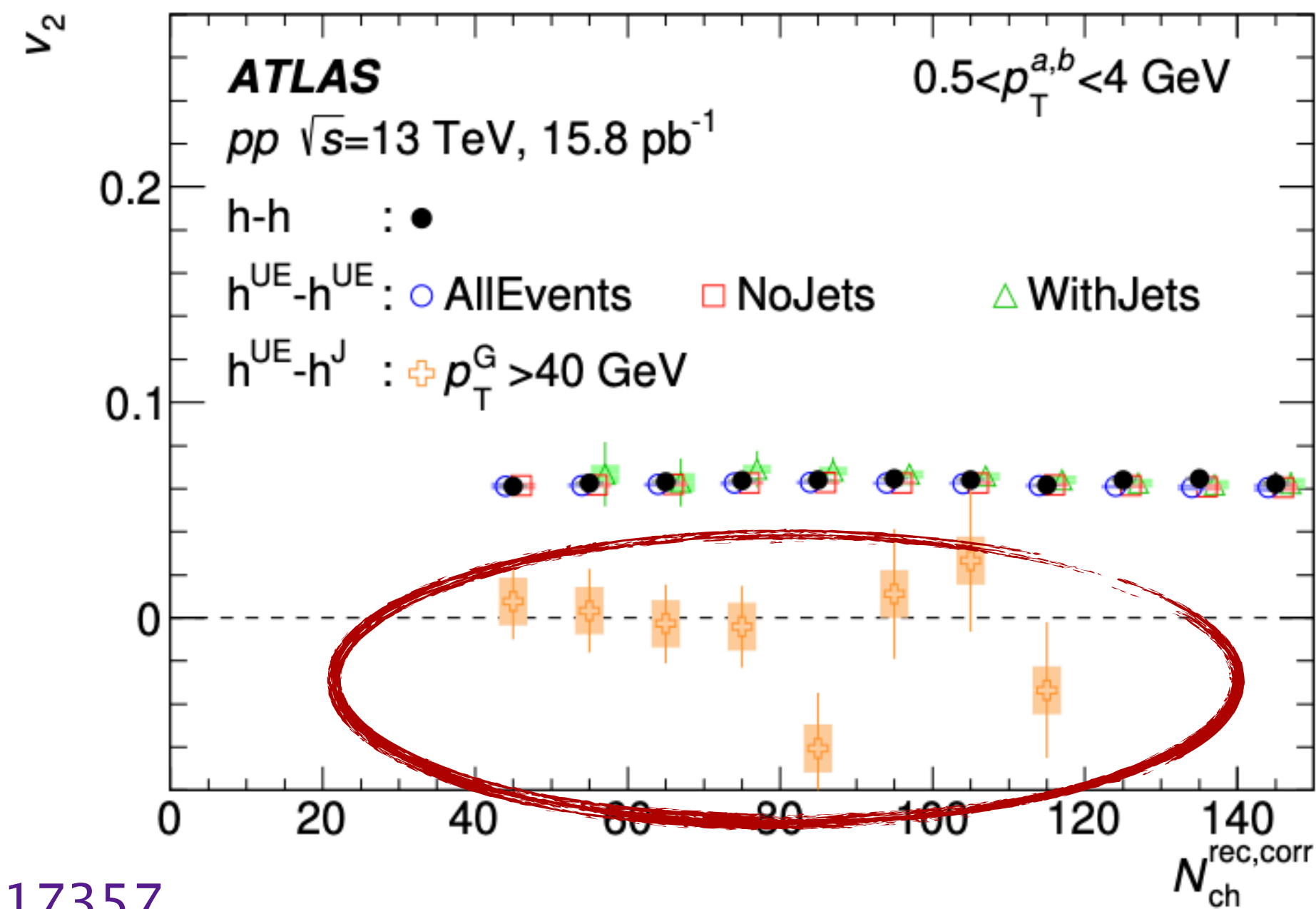


arXiv:2303.17357

- **Presence of a jet with  $p_T > 15 \text{ GeV}/c$  does not influence the  $v_2$  of  $h^{UE}$**
- No multiplicity dependence



# $v_2$ of particles in jets (pp)



arXiv:2303.17357

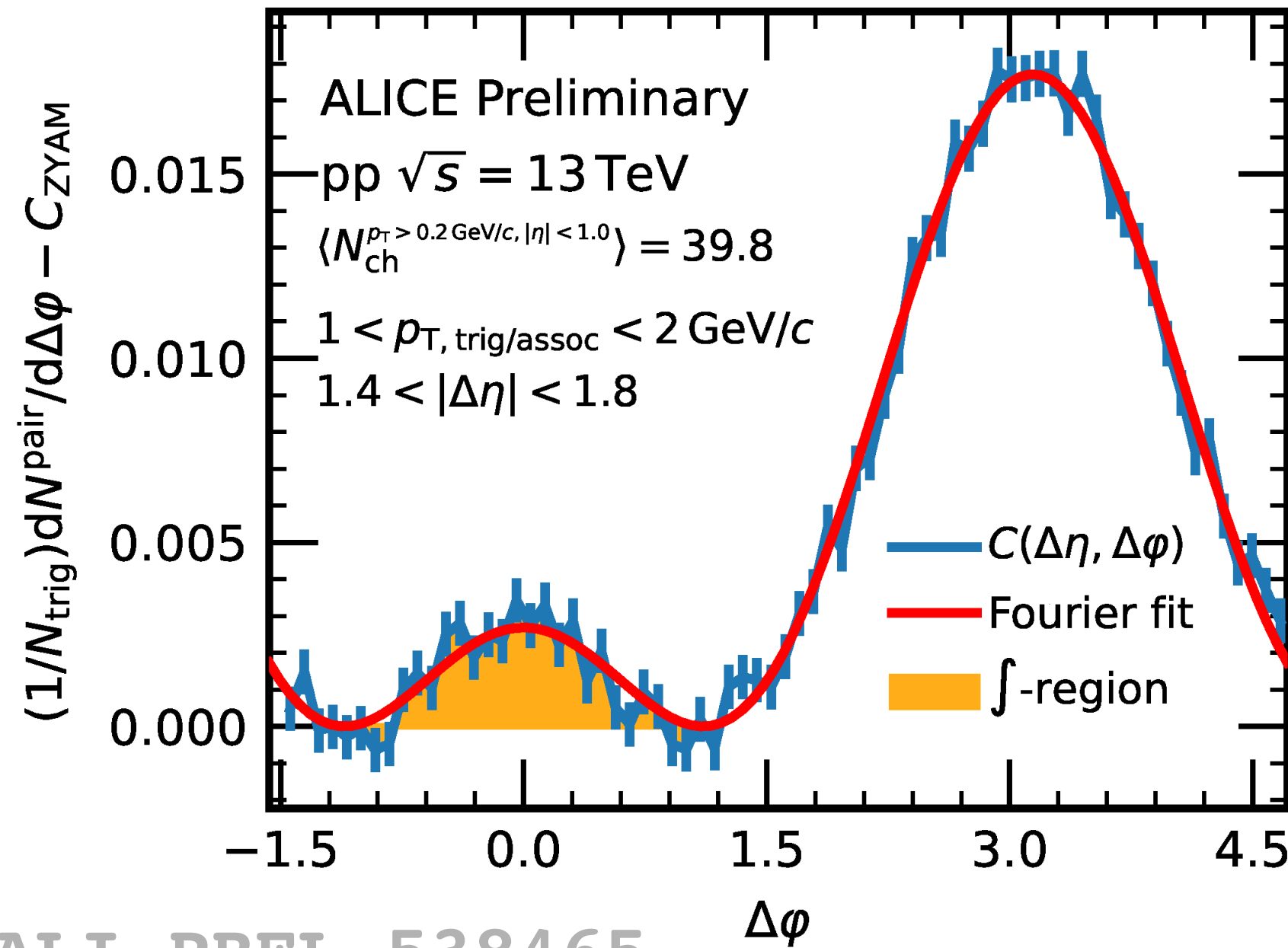
- Presence of a jet with  $p_T > 15$  GeV/c does not influence the  $v_2$  of  $h^{UE}$ 
  - No multiplicity dependence
- $v_2$  of  $h^J$  compatible with zero
  - **The inclusive  $v_2$  is not driven by jet fragmentation, but rather by bulk**
  - **The collective system is too small to influence jets - no energy loss**



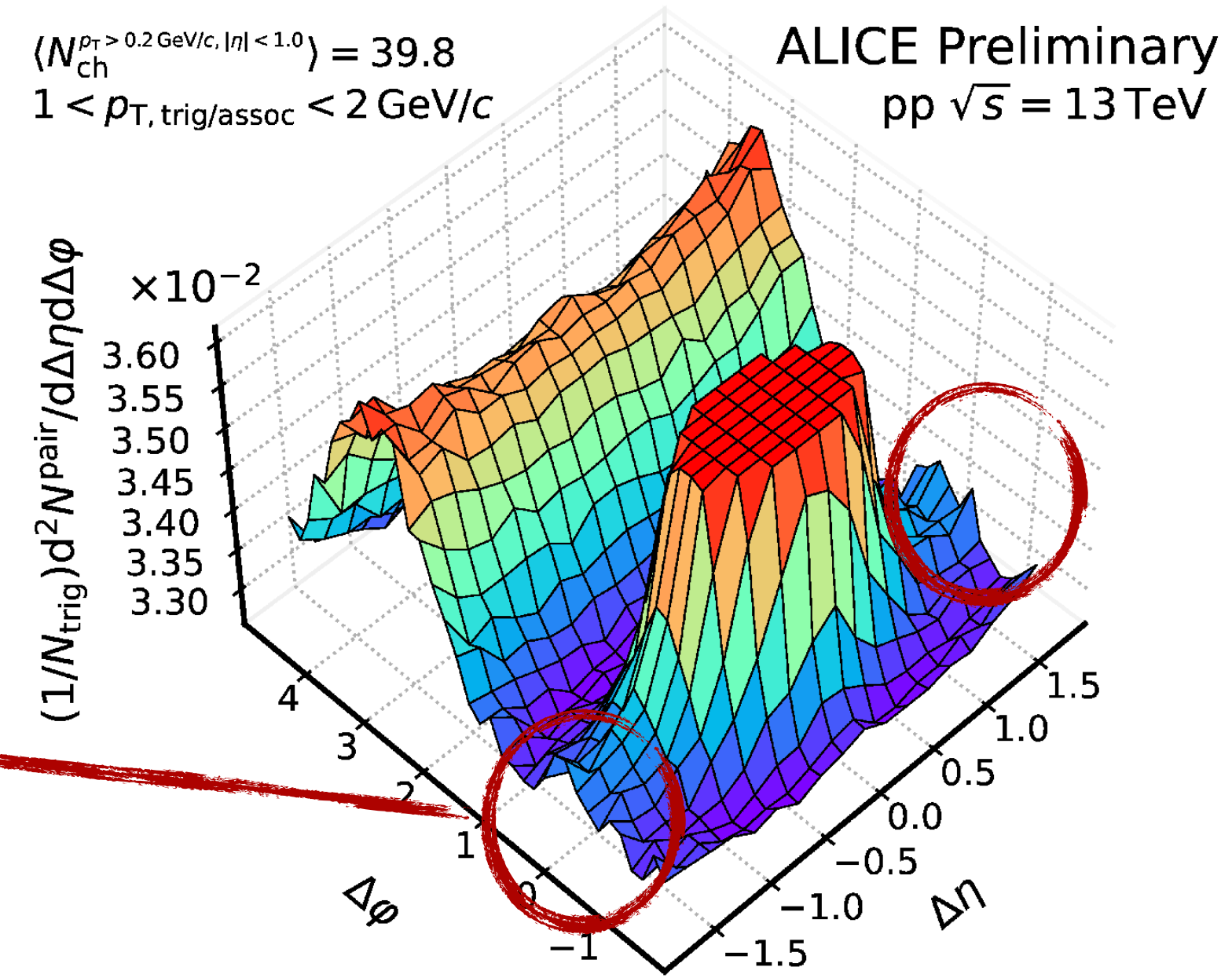


# Limit of collectivity in small systems

●● vs ●●



ALI-PREL-538465



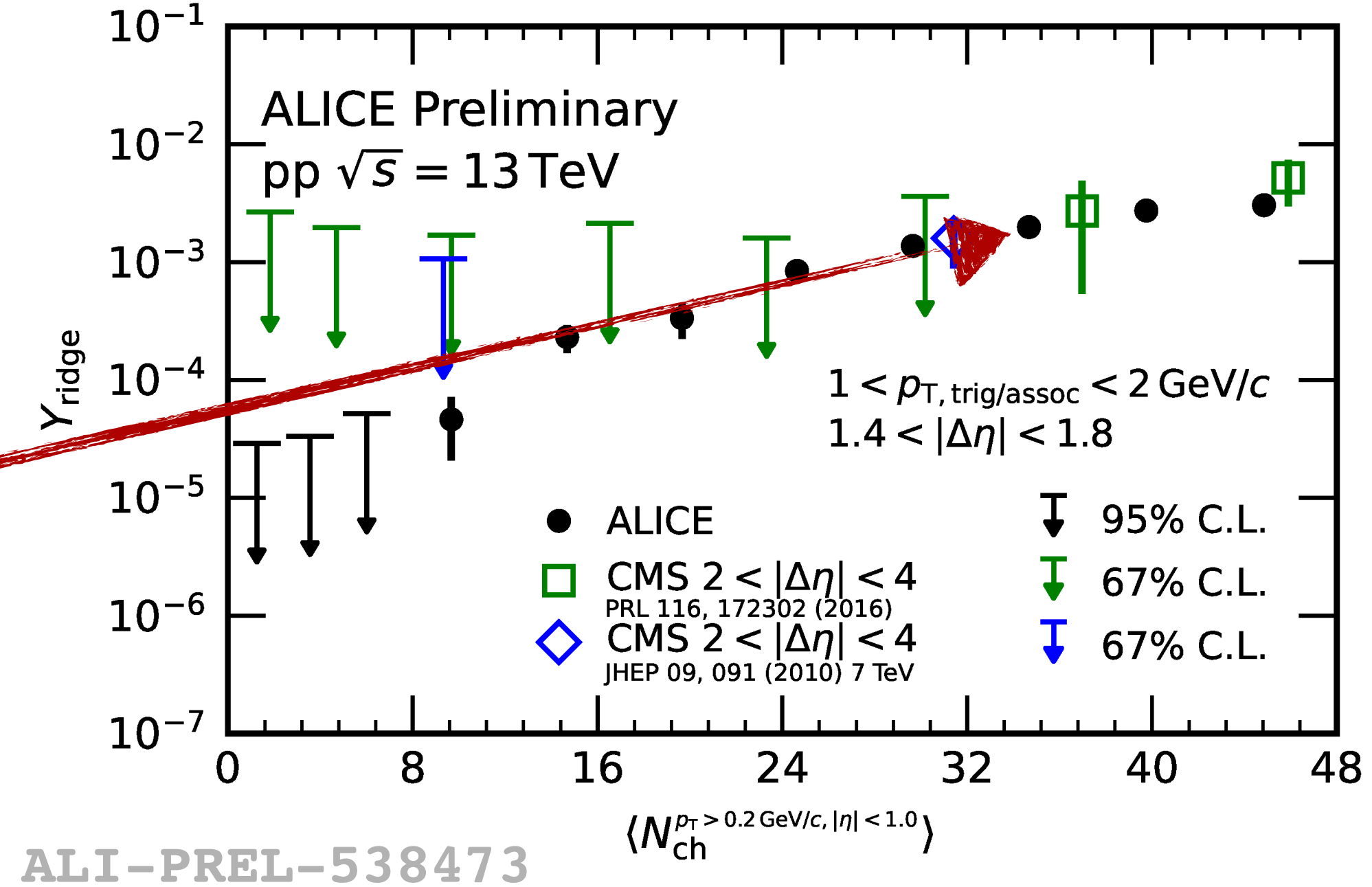
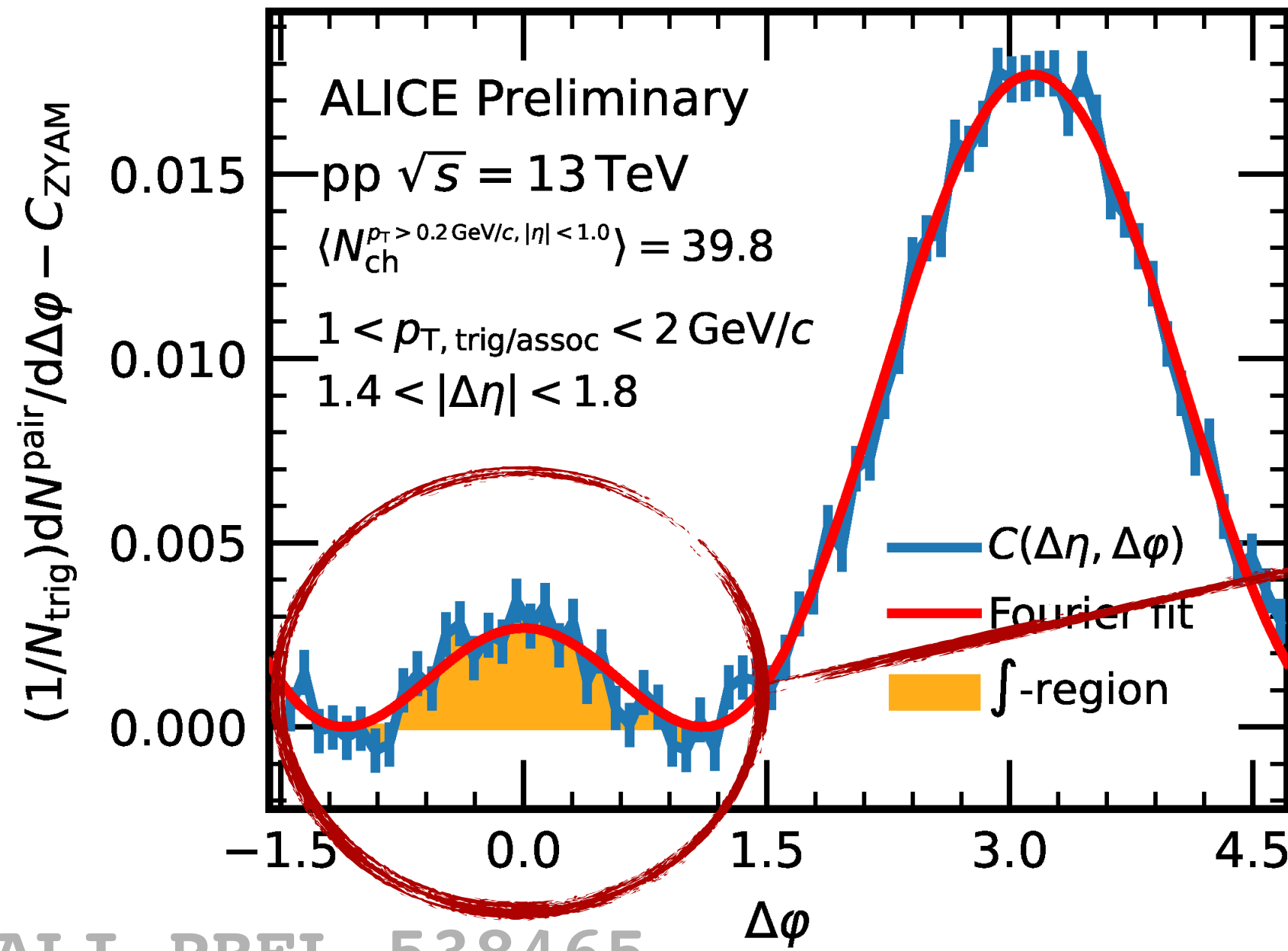
ALI-PREL-538420

- Long-range two-particle correlations measured up to the smallest multiplicities



# Limit of collectivity in small systems

● vs ●



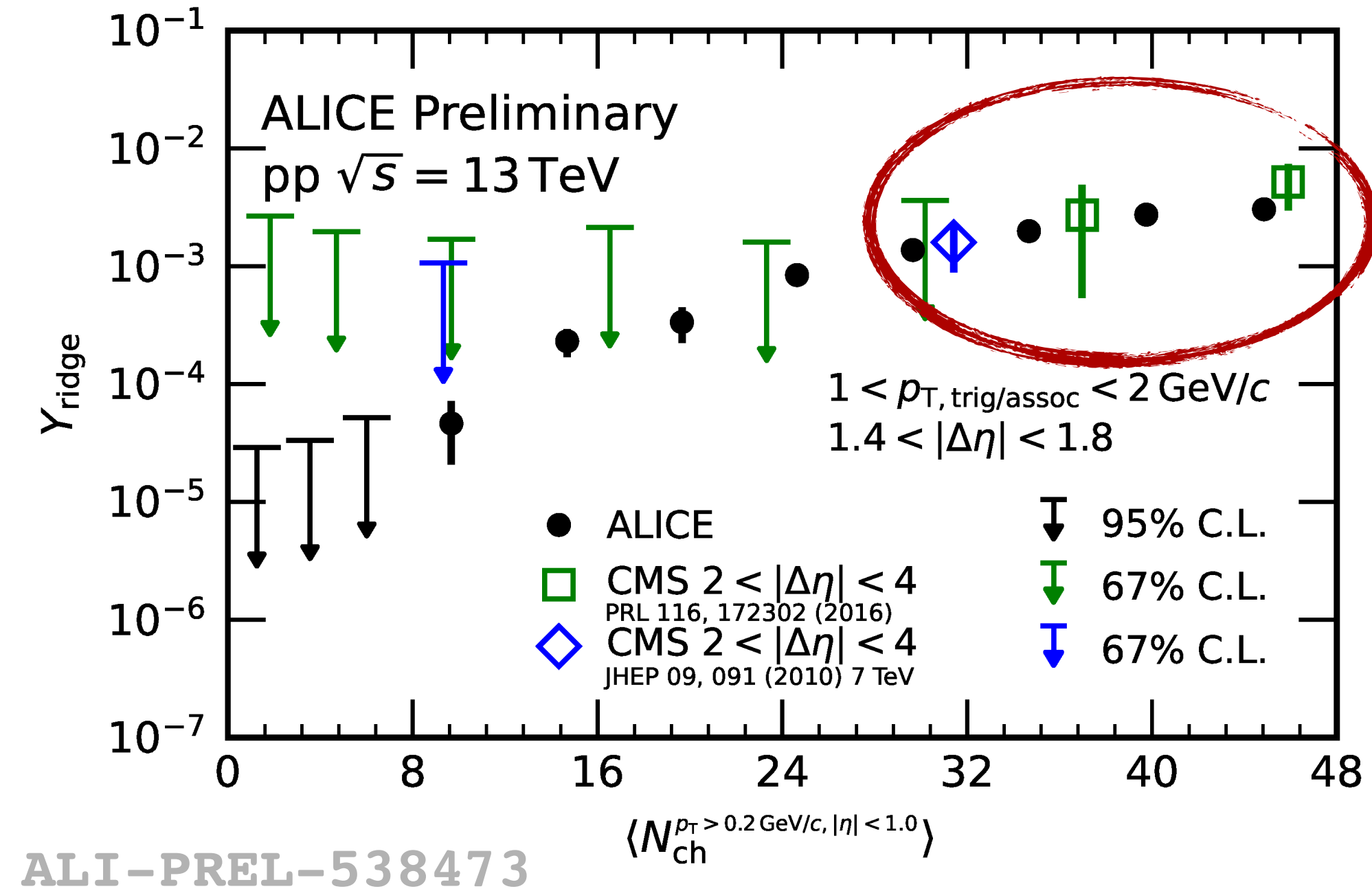
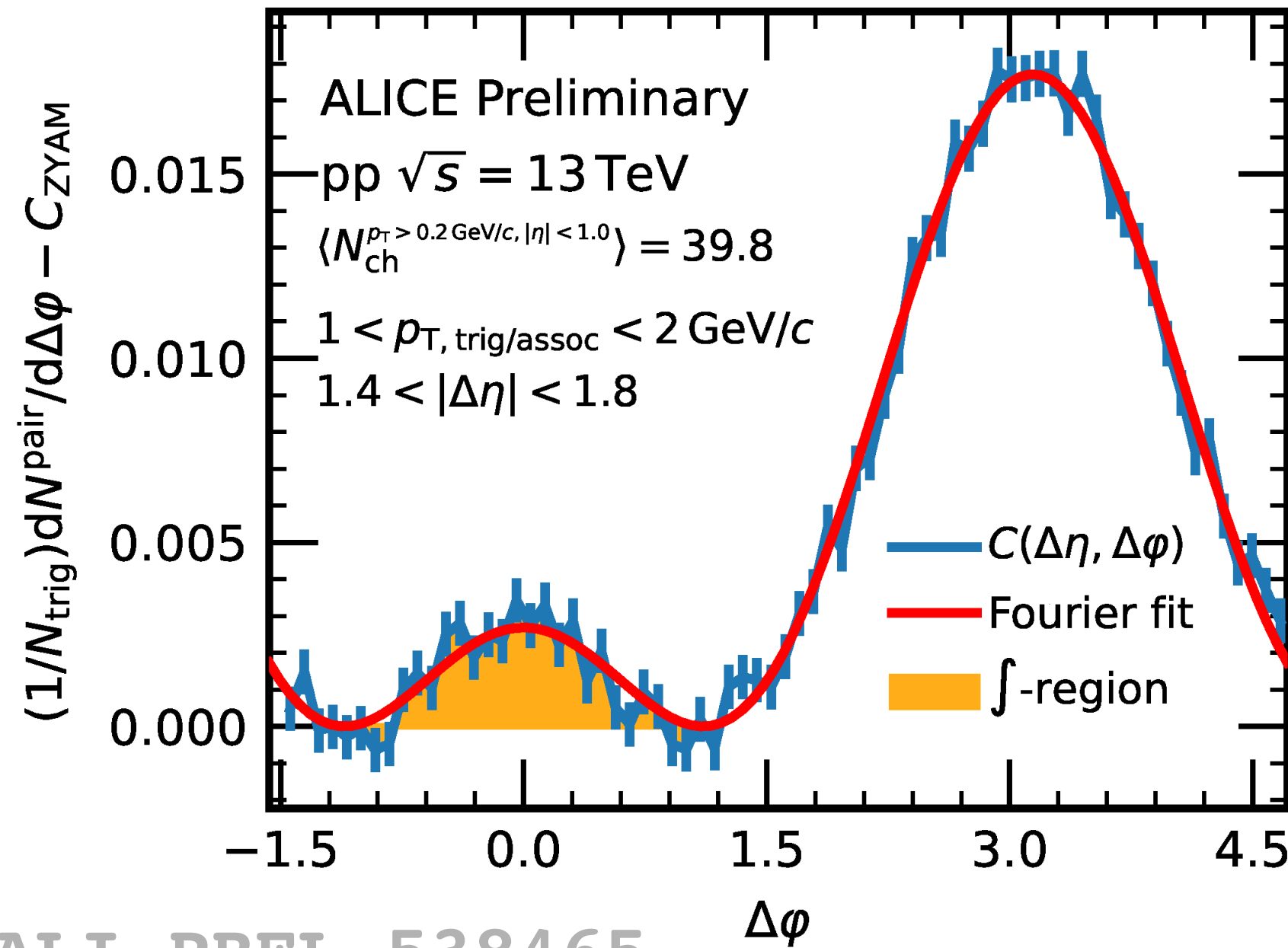
- Integrated ridge yield as a function of multiplicity calculated with great precision





# Limit of collectivity in small systems

●● vs ●●

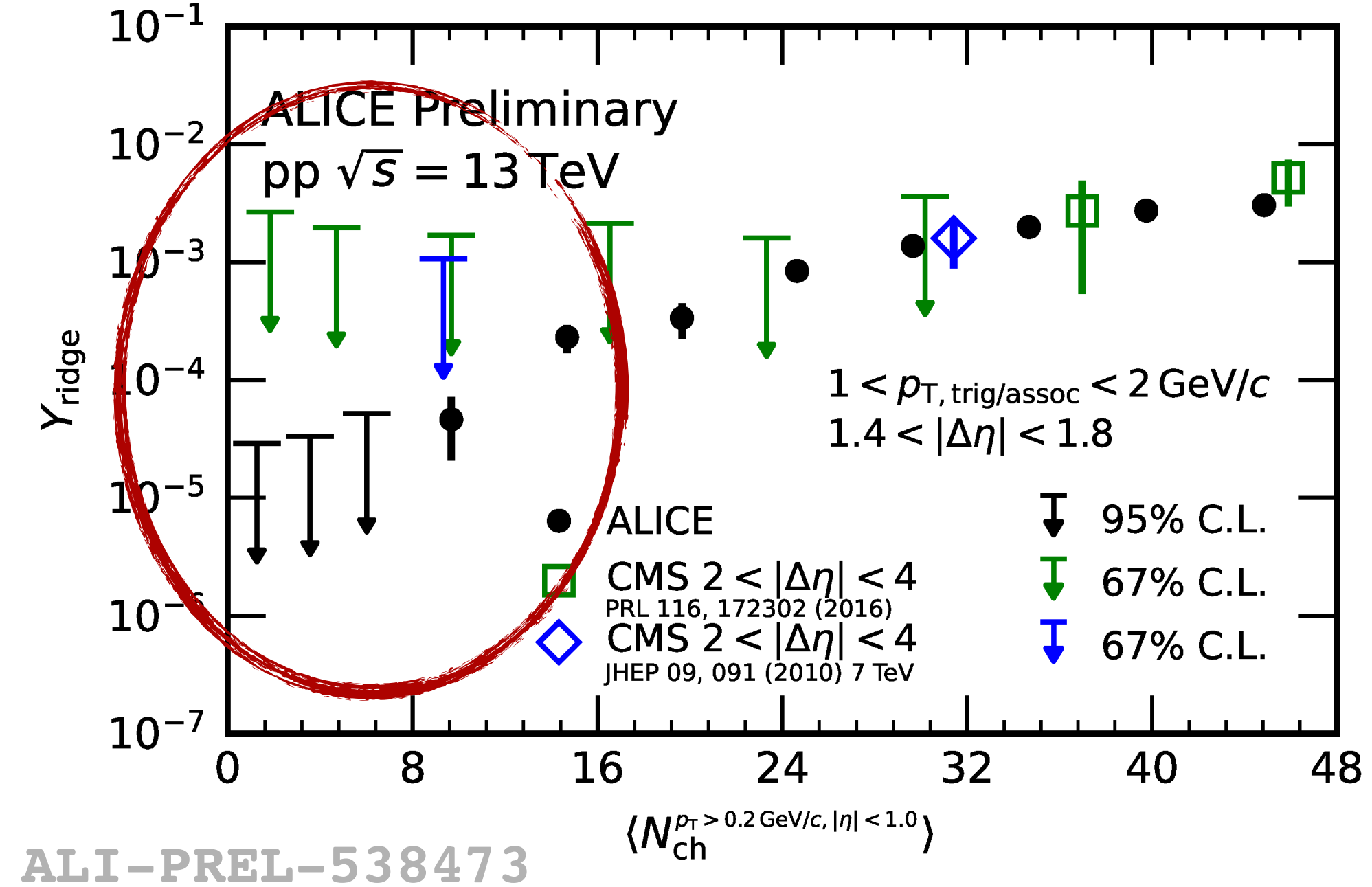
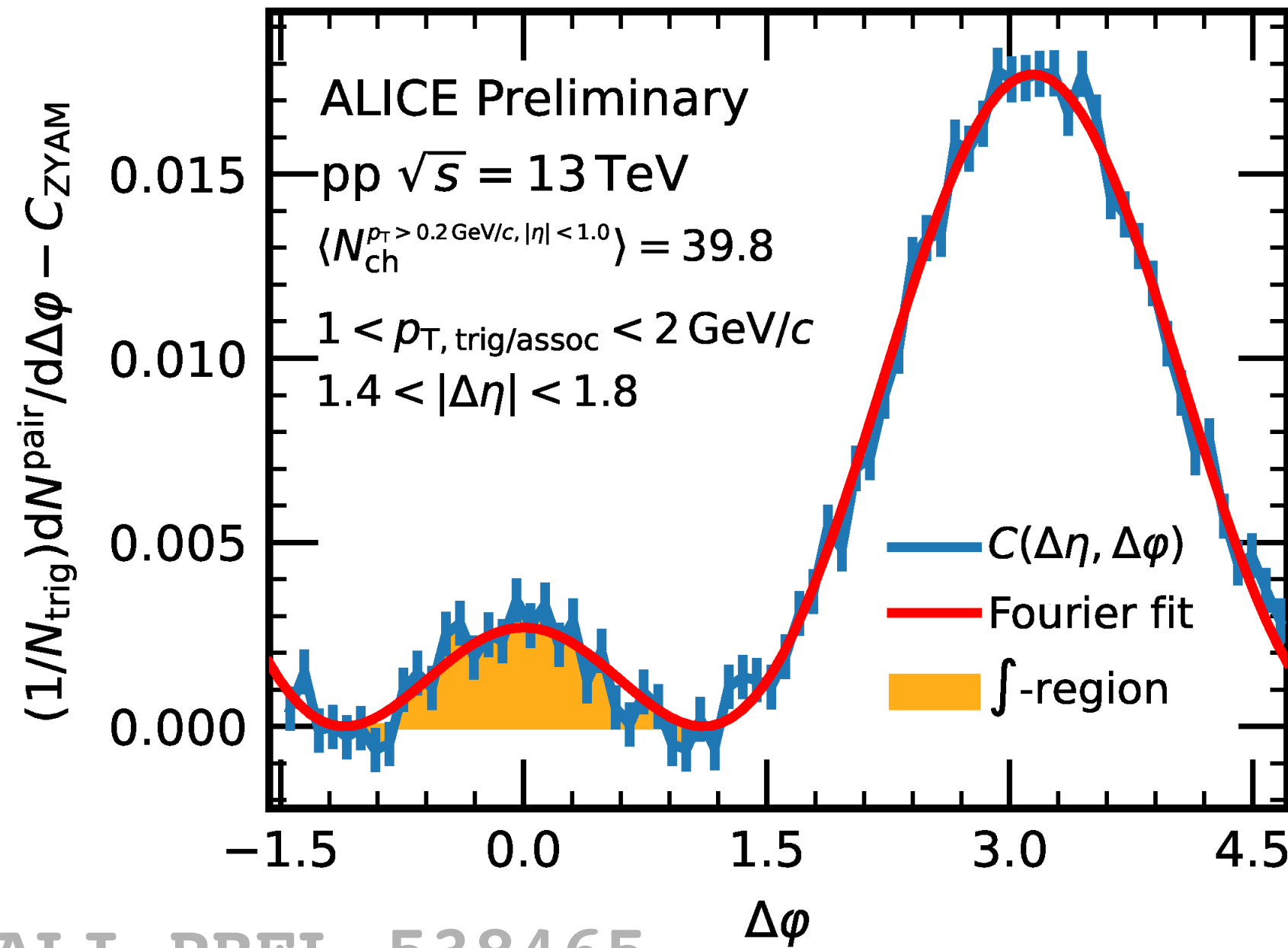


- Integrated ridge yield as a function of multiplicity calculated with great precision
- At  $N_{ch} > 30$  **compatible with CMS** measurement



# Limit of collectivity in small systems

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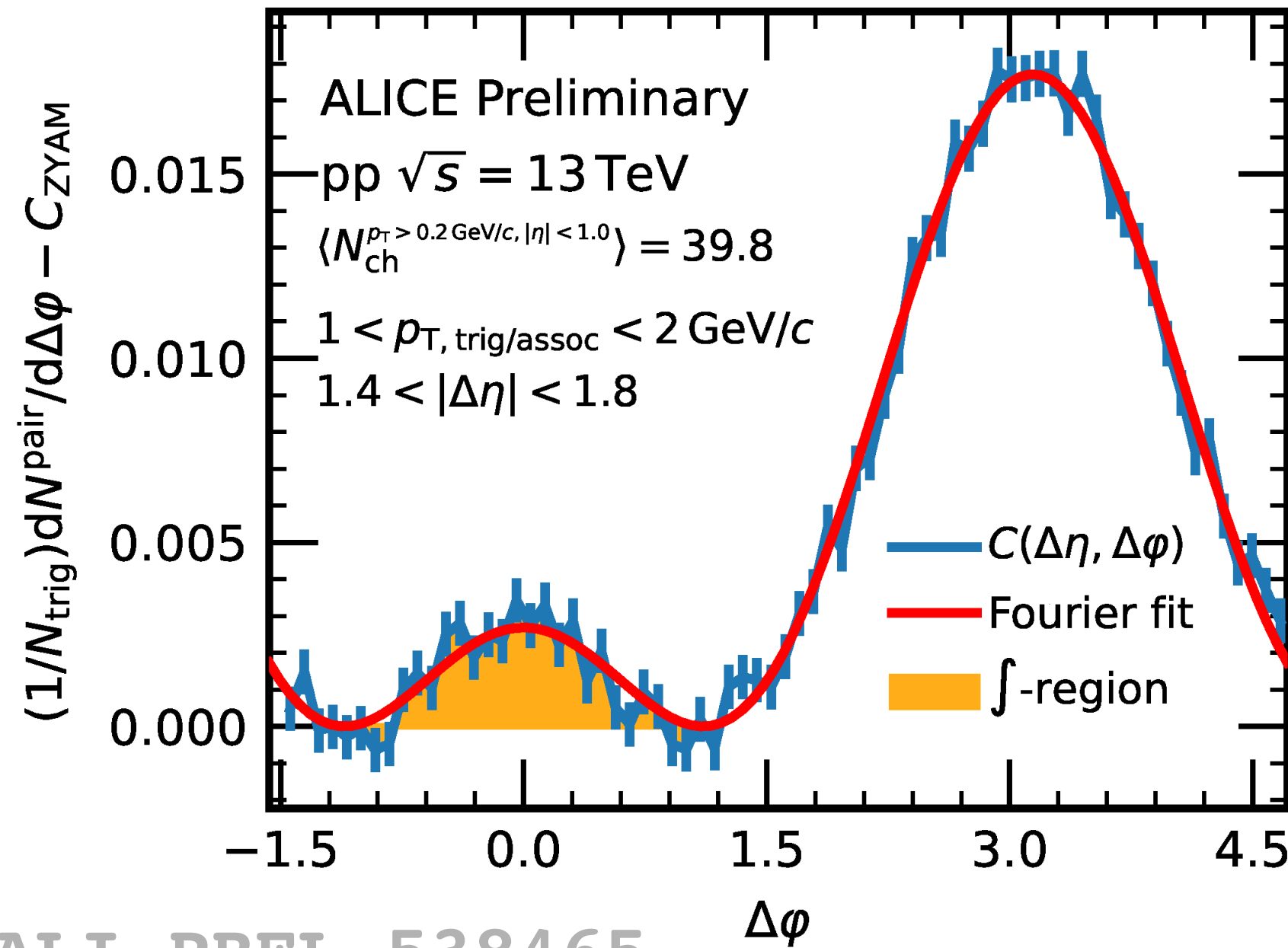
- Integrated ridge yield as a function of multiplicity calculated with great precision
  - At  $N_{ch} > 30$  **compatible with CMS** measurement
  - At lower multiplicities - increased precision



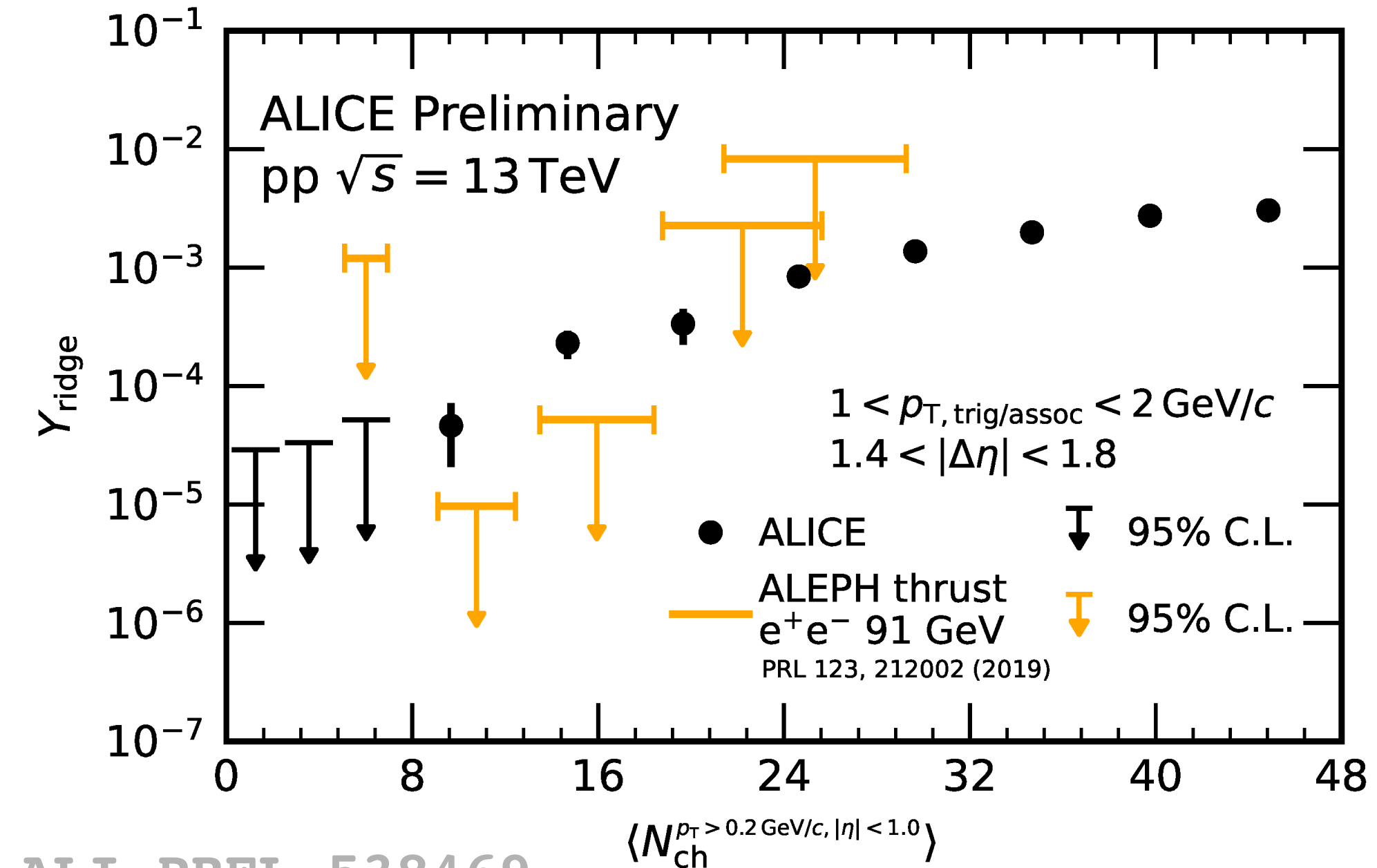


# Limit of collectivity in small systems

●● vs ●●



ALI-PREL-538465



ALI-PREL-538469

- Comparison with  $e^+e^-$  collisions
  - $Y^{pp} > Y^{ee}$  for  $\langle N_{ch} \rangle \approx 15$  with  $3\sigma$
  - First quantitative comparison between pp and  $e^+e^-$  collisions
  - New insight to processes contributing to the long-range ridge

# Conclusion

- **Large systems**

- Deconfined medium with small  $\eta/s$
- Late production of pions via coalescence, hint of early production of protons
- $v_2$  of jets and jet particles induced by path length dependent energy loss

- **Small systems**

- Collectivity supported by narrowing of the peak width of  $BF$  and  $G_2$  correlation functions of low  $p_T$  hadrons and non-zero  $v_2$ 
  - Viscous forces do not have time to equilibrate the system
- $v_2$  in pp collisions not driven and not influenced by jet fragmentation
- Significant ridge yield in pp down to  $\langle N_{ch} \rangle \approx 10$ , larger than in  $e^+e^-$



*Thank you for your attention!*

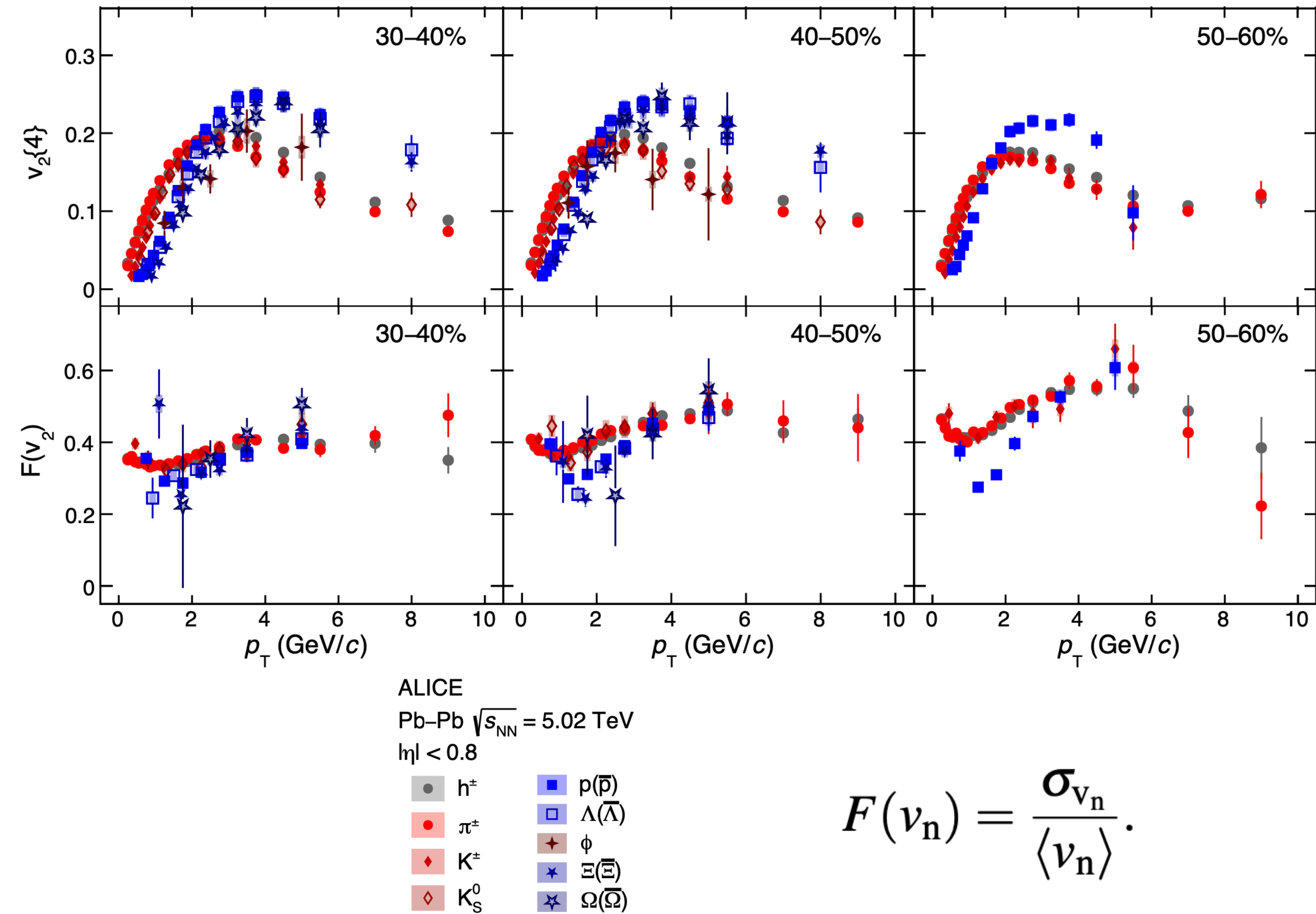
**Questions**



# More results

# PID flow in Pb-Pb

arXiv:2206.04587



- First  $p_T$ -differential  $v_2$  measurements using four-particle cumulants for identified particles
- In the intermediate  $p_T$  range,  $-v_2\{4\}$  for baryons is larger than that for mesons by about 50%
- $F(v_2)$  - an apparent splitting between baryons and mesons for centrality above 30%  $\Rightarrow$  a significant role for final-state interactions in developing this observable

$$F(v_n) = \frac{\sigma_{v_n}}{\langle v_n \rangle}.$$



# Back up

